Sensorimotor Locus of the Buildup Activity in Monkey Lateral Intraparietal Area Neurons

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Park J, Zhang J. Sensorimotor locus of the buildup activity in monkey lateral intraparietal area neurons. J Neurophysiol 103: 2664–2674, 2010. First published February 17, 2010; doi:10.1152/jn.00733.2009. A study in 2002 using a random-dot motion-discrimination paradigm showed that an information accumulation model with a threshold-crossing mechanism can account for activity of the lateral intraparietal area (LIP) neurons. Here, mathematical techniques were applied to the same dataset to quantitatively address the sensory versus motor representation of the neuronal activity during the time course of a trial. A technique based on Signal Detection Theory was applied to provide indices to quantify how neuronal firing activity is responsible for encoding the stimulus or selecting the response at the behavioral level. Additionally, a statistical model based on Poisson regression was used to provide an orthogonal decomposition of the neuronal activity into stimulus, response, and stimulus-response mapping components. The temporal dynamics of the sensorimotor locus of the LIP activity indicated that there is no stimulus-response mapping-specific neuronal firing activity throughout a trial; the neural activity toward the saccadic onset reflects the development of the motor representation, and the neural activity in the beginning of a trial contains little, if any, information about the sensory representation. Sensorimotor analysis on individual neurons also showed that the neuronal activation, as a population, represent pending saccadic direction and carry little information about the direction of the motion stimulus.

INTRODUCTION

The lateral intraparietal (LIP) area, a subdivision of the inferior parietal lobule and a part of the association cortex, has been implicated in various computations related to perceptual decision making. Namely, it has been linked to information processing that occurs between the registration of the visual sensory stimulus and the programming of eye movement. For instance, LIP activity is known to correlate with saccadic movements and their planning (Barash et al. 1991a; Bracewell et al. 1996; Dickinson et al. 2003; Mazzoni et al. 1996; Mountcastle et al. 1975; Platt and Glimcher 1997; Snyder et al. 1997), visual attention, saliency, and sensory information (Goldberg et al. 2002; Gottlieb and Goldberg 1999; Gottlieb et al. 1998; Robinson et al. 1978; Shadlen and Newsome 1996), subjective valuation or motivation (Platt and Glimcher 1999; Sugrue et al. 2004), and the transformation of visual information into an eye movement (Barash et al. 1991b; Oristaglio et al. 2006; Russ et al. 2006; Zhang and Barash 2004). Notwithstanding the possibility of different roles mediated by different subsets of LIP neurons (Colby et al. 1996), an emerging viewpoint is that the LIP functions by accumulating sensory evidence over time for the purpose of generating a perceptual decision (Huk and Shadlen 2005; Mazurek et al. 2003; Roitman and Shadlen 2002; Shadlen and Newcombe 2001).

Roitman and Shadlen (2002) tested this hypothesis using a random-dot motion stimulus and examined the neuronal activity of monkeys engaged in a two-alternative forced-choice reaction time task (Fig. 1A). Their results showed that, while the perceptual decision was being formed, the LIP firing rate built up during each trial up until the time of initiation of a behavioral response, and the rate of such “buildup” was monotonically related to the stimulus strength as controlled by the experimenter. This study supported the idea that perceptual decisions, as implemented by LIP neurons, can be modeled as a sequential sampling process with threshold-crossing decision mechanism—the animal continuously samples environmental input and responds as soon as the accumulated evidence in favor of one hypothesis (against the other alternative hypothesis) exceeds a preset threshold (see review by Shadlen and Gold 2004; Smith and Ratcliff 2004). Build-up activity had been previously found in the frontal eye field (Hanes and Schall 1996) and the superior colliculus (Basso and Wurtz 1997; Munoz and Wurtz 1995).

Previous analyses on LIP activity showed signal strength–dependent accumulation of the neuronal activity from stimulus onset up until response initiation of given trials. Here, two novel mathematical techniques allow us to analyze the same data in terms of their sensorimotor locus, which reflects the quantification of the relative contributions of sensory and motor representations, of the neuronal activity during the time course of a trial. In particular, for a simple task with two alternative stimulus directions and two alternative response directions, the pattern of correlation between the stimulus (or response) and the neural activity recorded on a trial-by-trial basis can be used to determine whether a neuron is performing stimulus encoding, response initiation, or the mapping between the two during a task (Zhang et al. 1997a,b). When neuronal activity is analyzed across the ensemble of trials (including those trials where the animal makes a behavioral error), a “predecision” or sensory neuron is one whose activity correlates better with stimulus categories than with response categories; the opposite should be true for a “postdecision” or motor neuron.

Previous analysis of 0% motion coherence and error trials (Roitman and Shadlen 2002) and other studies (Shadlen and Newcombe 1996, 2001) has suggested that LIP activity primarily reflects response initiation rather than stimulus encoding. However, it is not clear whether the LIP neuronal activity during the buildup process entirely represents response initiation or if there is any stimulus encoding or stimulus-response mapping aspect during this process.
In this study, we perform a refined analysis of the data presented in Roitman and Shadlen (2002) to quantitatively determine the neural sensorimotor locus and its possible transformation during the progression of a trial. A mathematical technique based on Signal Detection Theory (SDT) (Zhang et al. 1997a) and a statistical model incorporating orthogonal decomposition of neuronal activity (Zhang et al. 1997b) are independently applied to identify the sensory/motor/sensory-motor mapping aspect of neuronal coding for this random-dot motion discrimination task. Both analyses take advantage of incorrect trials (when motion strength is low) in defining the sensorimotor locus of the cell or cell population through comparing their firing activity in correct and incorrect trials. By incorporating incorrect trials in addition to correct ones, these analyses make it possible to disentangle the monkey’s perceptual processing from its response preparation in interpreting the functional role of neuronal activities along the stimulus-response pathway. By comparing neural activity in trials where the animal decides to make saccades to one or the other direction (regardless of the stimulus direction) and in trials where the dots move to one or the other direction (regardless of the saccadic direction), these analyses enable quantitative assessment of the temporal dynamics of the transformation of sensorimotor representation of LIP neuronal activity during a perceptual decision making task.

**METHODS**

**Participants and task procedures**

The experimental procedure of Roitman and Shadlen (2002), whose data we analyzed, is briefly described here. Monkeys performed a two-alternative forced-choice task using random-dot motion stimuli (Fig. 1A). A trial began when the animal fixated at the central fixation point, after which two choice targets appeared simultaneously. One of the targets was located in the response field (RF) of the neuron (T1) and the other in the opposite hemifield (T2). After a variable interval, the random-dot motion stimulus appeared in the center with a net direction of motion toward either choice target. With the onset of the stimulus, the monkey’s task was to judge the net direction of motion and indicate its decision by making a saccade toward the corresponding target. The monkey was free to indicate the choice at any time once the random-dot motion started. There were six motion strength levels (0, 3.2, 6.4, 12.8, 25.6, and 51.2%, indicating the percentage of dots moving coherently amid dots moving in random directions), and both the direction and strength of motion were chosen randomly on each trial. The period from the onset of the stimulus to saccade initiation is referred to as the reaction time (RT). Spike trains from single unit recording were subject to either peristimulus analysis where individual trials are time-locked to stimulus onset or perireponse analysis where individual trials are time-locked to response-onset—the two analyses yield non-identical results because RTs are not constant across the trials.

Roitman and Shadlen (2002) recorded single-unit activity from the neurons in area LIP of two female rhesus monkeys. The neurons were selected according to anatomical and physiological criteria. That is, a memory-guided saccade task was used to select neurons in area LIP that were active during saccade planning. Following this method, they identified a total of 54 LIP neurons (across 2 monkeys) with sustained response during the delay period when the random-dot motion stimulus was delivered to its response field (RF). The spike trains were available from 100 ms before stimulus onset to 200 ms after response onset in each trial.

The monkeys made very few errors under the conditions when the motion strength was 12.8% (70 incorrect trials of 1,033 total trials), 25.6% (5 incorrect trials of 1,026 total trials), and 51.2% (0 incorrect trials of 1,028 total trials). Our proposed analyses require a sufficient number of error trials (Zhang et al. 1997a); therefore these conditions were excluded from further analysis and we only make use of the data from motion strengths of 3.2% (368 incorrect trials of 1,028 total trials) and 6.4% (229 incorrect trials of 1,025 total trials).
Spike count and firing rate estimation

Peristimulus and periresponse spike trains were binned at every 20 ms to derive spike counts and firing probabilities at each time bin for each trial. The inverse of the firing probability, while taking the size of the bin into account, was considered as an estimate of the underlying firing rate at each 20 ms bin. The estimated firing rate from the correct trials reproduced the original results (Fig. 2A; cf. with Fig. 7 in Roitman and Shadlen 2002). The estimated firing rate from the incorrect trials in 3.2 and 6.4% motion coherence conditions also reproduced the original results (Fig. 2, B and C; cf. with Fig. 11 in Roitman and Shadlen 2002). The peristimulus and periresponse spike counts at each bin were used in the following mathematical techniques. In this analysis, peristimulus analysis included spikes from 100 ms before stimulus onset up to the response onset for each trial, and periresponse analysis included spikes from stimulus onset to 200 ms after response onset for each trial.

SDT-based analysis

The SDT-based analysis provides discriminability values to quantify how neuronal firing activity serves for encoding the stimulus or for selecting the response at the behavioral level. It provides an index for quantitatively specifying the locus of the neuronal activity along the sensorimotor continuum.

The spike count data for all trials were first categorized into the four possible trial types (Fig. 1B). The number of trials under each trial type is denoted \(N_{S1R1}, N_{S1R2}, N_{S2R1}, \) and \(N_{S2R2}\) in the rest of the paper. For each time bin (under both peristimulus and periresponse spike count data), trial type–specific spike histograms were constructed (see Fig. 3, four colored histograms). These histograms show the number of trials of a certain trial type (ordinate) that have a certain spike count (abscissa). These four histograms were pairwise combined to produce stimulus-sorted or response-sorted histograms (gray histograms) representing the conditional distribution of neuronal spike-rate according to stimulus or response categories, respectively. To illustrate, the combination of spike histograms of trial type S1R1 and trial type S1R2 yields the spike histogram for stimulus direction toward T1, and the combination of spike histograms of trial type S2R1 and trial type S2R2 yields the spike histogram for stimulus direction toward T2. After these stimulus-sorted spike-rate histograms are properly normalized (so that the area under each distribution sums to 1), they represent estimates of the probability density function of spike rates given the stimulus direction regardless of the monkey’s response direction. Because correct trials outweigh incorrect trials, the resulting spike histograms may more closely resemble correct trial types than incorrect trial types. This approach effectively gives equal weight to each trial of all four trial types resulting in being probability distributions of the spike activity conditioned on the stimulus classification while being unconditional on the response categories. Analogously, response-sorted spike-rate histogram can be constructed from combining trial type S1R1 with trial type S2R1 and from combining trial type S1R2 with trial type S2R2.
Once the stimulus-sorted (response-sorted) spike-rate histograms are constructed, a stimulus-referenced (response-referenced) operating curve, or sROC (rROC), which differs from the “sender operational characteristic” of the SOC curve of Newsome et al. (1989), can be obtained by standard procedures (Fig. 3, the 2 boxes on the right). The area under an sROC curve (\(A_s\)) is a measure of the discriminability of the stimulus direction given the neuronal firing rates; similarly, the area under an rROC curve (\(A_r\)) is a measure of the discriminability of the response direction given the neuronal firing rates. It is important to determine whether \(A_s\) or \(A_r\) is reliably different from 0.5, a value which implies that the neural activity cannot discriminate either the two stimulus or the two response directions. To do so, confidence intervals for \(A_s\) and \(A_r\) at each time point are constructed using a bootstrap resampling method. For each bootstrap sample, spike trains, trial types, and behavioral performance from individual trials are resampled with replacement, and the above procedure was performed. The resulting metrics were rank ordered for each time bin, and the interval between the 0.5 and the 99.5 percentiles of the bootstrap distribution was identified as the 99% CI.

To derive a single measure of sensorimotor index, \(A_s\) and \(A_r\) are first transformed into a stimulus-related discriminant \(\Sigma_s = 2(A_s - 0.5)\) and a response-related discriminant \(\Sigma_r = 2(A_r - 0.5)\), which range from \(-1.0\) to \(1.0\). The relative magnitudes of \(\Sigma_s\) and \(\Sigma_r\) reflect the reliability in predicting stimulus or response categories from the neuronal spike rate. Similarly, the discriminant for the two kinds of correct trials, \(\Sigma_o\), can be calculated from the area under an operational curve generated from the distribution of the two correct trials, \(A_o\). The sensorimotor index (\(\lambda\)) can be calculated using variables referenced to stimulus as

\[
\lambda = \frac{\Sigma_s - \Sigma_o}{\Sigma_s + \Sigma_o}
\]

or can be calculated (Zhang et al. 1997a) using variables referenced to response as

\[
1 - \kappa = \frac{\Sigma_o - \Sigma_r}{\Sigma_s + \Sigma_r}
\]

where \(\epsilon_s\) [defined by \(N_{S1R1} + N_{S1R2} + N_{S2R1} + N_{S2R2}\)] and \(\epsilon_r\) [defined by \(N_{S2R1} + N_{S1R1} + N_{S1R2} + N_{S2R2}\)] are stimulus- and response-referenced error rates, respectively. Assuming that a symmetric mixture hypothesis holds (see below), \(\Sigma_o\) may be eliminated from these two equations to yield

\[
\lambda = \frac{(\Sigma_s - \Sigma_r) + \epsilon_s \Sigma_s}{\epsilon_s \Sigma_s + \epsilon_r \Sigma_r}
\]

The value \(\lambda\) is a measure that characterizes the role of a neuron or a population of neurons in the processing continuum between sensory input and response output, with \(\lambda = 0\) corresponding to a pure sensory neuron and \(\lambda = 1\) a pure motor neuron. When the neuron has a better discriminability for the correct trials than for the incorrect trials (i.e., when the spike histograms for the trial types S1R1 and S2R2 are more separated than that for the trial types S1R2 and S2R1), \(\lambda\) lies in the range \([0, 1]\). However, \(\lambda\) lies outside the range \([0, 1]\) when the neuron has a better discriminability for the incorrect trials. The transformation \(\lambda \rightarrow \lambda/(2\lambda - 1)\) allows us to compute \(\lambda\) within \([0, 1]\), regardless of whether the neuron better discriminate the correct trials or the incorrect trials.

In deriving the sensorimotor index as a unitary measure of sensorimotor locus, it is assumed that neuronal activity on the incorrect trials (trial types S1R2 and S2R1) are symmetric mixtures of neuronal activity on correct trials (trial types S1R1 and S2R2) or vice versa. This so-called “symmetric mixture” hypothesis asserts that the neuronal activities on the correct trials and incorrect trials are balanced, which should be true for neurons along the sensorimotor arc (i.e., not encoding a stimulus-response mapping rule or reward). This hypothesis makes certain predictions about the discriminant values and the error rates, which can be empirically tested. Specifically, one can evaluate the expressions of \((\Sigma_s - \Sigma_r)/\epsilon_s \Sigma_s + (\Sigma_o - \Sigma_s)/\epsilon_r \Sigma_o\) and check whether the results sum to 1.0 which they should if the...
symmetric mixture hypothesis is satisfied). Such a test was performed on the full dataset, for each time bin throughout a trial (Fig. 4), and the results were confirmed the prediction of the symmetric mixture hypothesis.

**Cell-by-cell analysis of the sensorimotor index**

SDT-based analysis was performed on each neuron, and each neuron’s sensorimotor index (\( \lambda \)) was estimated at the beginning and at the end of a trial. First, each neuron’s peristimulus and periresponse \( \lambda \) values were computed (Fig. 6 shows such values for 2 representative neurons). Then, the time course of the peristimulus analysis from stimulus onset to mRT (median reaction time) of the particular neuron was divided into three equal-length intervals. Likewise, the time course of the periresponse analysis from –mRT (of the particular neuron) to motion onset was divided into three equal-length intervals. Task-related neuronal activity does not reach LIP until neuron’s sensorimotor index (\( \lambda \)) was estimated at the beginning and at the end of a trial. Note that the end of a trial. First, each neuron’s peristimulus and periresponse \( \lambda \) values were computed (Fig. 6 shows such values for 2 representative neurons). Then, the time course of the peristimulus analysis from stimulus onset to mRT (median reaction time) of the particular neuron was divided into three equal-length intervals. Likewise, the time course of the periresponse analysis from –mRT (of the particular neuron) to motion onset was divided into three equal-length intervals. Task-related neuronal activity does not reach LIP until

**Orthogonal decomposition of neuronal activity**

A statistical model incorporating orthogonal decomposition of variances in the dependent measure (i.e., neuronal firing activity) provides another way to quantify the sensory and motor representations of neuronal activity with a slightly different perspective on the dataset. To be specific, we fitted three orthogonal contrasts of neuronal activities (stimulus-related, response-related, and stimulus-response mapping-related) into spike counts at each time bin using a Poisson regression model. The approach is similar to the locus analysis (Zhang et al. 1997b) except that this statistical model treats spike counts as random variables and thus allows statistical inference. This approach provides quantitative assessments of the extent to which the spike count encodes stimulus direction, response direction, or the stimulus-response mapping rule. In addition, this approach is capable of quantifying overall task-relatedness of the spike activity.

A Poisson regression model was constructed for each 20 ms bin with the spike count as a dependent measure and three predictors with an intercept as independent variables. The first predictor (\( S \)) was a contrast code that had 1s for trials with stimulus direction toward T1 and \(-1\)s for stimulus direction toward T2. The second predictor (\( R \)) was a contrast code that had 1s for trials with response direction toward T1 and \(-1\)s for response direction toward T2. Finally, the third predictor (\( SR \)) was a contrast code that had 1s for correct trials and \(-1\)s for incorrect trials. These three contrasts are orthogonal and formed the basis of the locus analysis (Zhang et al. 1997b) in which \( X, Y, Z \) are computed from the firing activities of the four trials types \( VS_{1R1}, VS_{1R2}, VS_{2R1}, \) and \( VS_{2R2} \)

\[
X = V_{S1R1} + V_{S1R2} - V_{S2R1} - V_{S2R2}
\]

\[
Y = V_{S1R1} - V_{S1R2} + V_{S2R1} - V_{S2R2}
\]

\[
Z = V_{S1R1} - V_{S1R2} + V_{S2R1} - V_{S2R2}
\]
The mean of the spike count at each time bin was plotted against the variance of the spike count, and a straight line was fitted with ordinary least squares method to assess the relationship between the mean and the variance of the dependent measure (Fig. 8; mean and variance are the same under Poisson distribution). β estimates of the contrast codes that represent stimulus, response, and stimulus-response mapping components are computed at each bin (Fig. 9). Moreover, 99% CIs for the stimulus component (from 200 ms after the onset of motion in the peristimulus spike train) and the response component (until the saccadic onset in the pereresponse spike train) were assessed. In addition, the difference of the deviance for the full model (with all predictors and a constant) and the constant model (with only a constant) was computed. This measure ($-2LL; -2$ multiplied by the difference between the 2 log-likelihoods) approximates to a $\chi^2$ distribution with 3 degrees of freedom and assesses whether the spike activity contains any information related to the three orthogonal predictors, which may be interpreted as a measure of task-relatedness of the neuronal activity.

**RESULTS**

The dataset being analyzed here is from Roitman and Shadlen (2002), courtesy of Dr. Michael Shadlen (http://www.shadlen.org/Science/Data). In that study, neuronal firing activity was recorded from 54 neurons in LIP from two rhesus monkeys performing a two-alternative forced-choice reaction time task using random-dot motion as the stimulus and eye movement as the response (Fig. 1). The data from trials with motion strengths (percentage of dots moving coherently in one direction) 3.2 and 6.4% were used for our reanalysis, because both analyses require a sufficient number of incorrect trials. In the 3.2% condition, $N_{SIR1} = 337$, $N_{SIR2} = 175$, $N_{S2R1} = 193$, and $N_{S2R2} = 323$. In the 6.4% condition, $N_{SIR1} = 409$, $N_{SIR2} = 104$, $N_{S2R1} = 125$, and $N_{S2R2} = 387$.

*From SDT-based analysis*

The relationship between neuronal firing activity and stimulus and/or response was characterized by computing how activity at the neuronal level would discriminate stimulus categories delivered to the animal or response categories intended and eventually performed by the animal. The discriminability values for stimulus identification and response preparation were respectively operationalized by the area under the stimulus-referenced operating characteristic curve ($A_s$) and the area under the response-referenced operating characteristic curve ($A_r$) (Fig. 3; see METHODS). From the two respective areas, an index $\lambda$, ranging $[0, 1]$, was constructed such that the pattern of neuronal activity can be placed along a sensorimotor continuum, with 0 indicating pure sensory locus and 1 indicating a pure motor locus. The symmetric mixture hypothesis was tested by plotting $\lambda$ estimated from stimulus-referenced variables and $1 - \lambda$ from response-referenced variables (see METHODS). Because these two values sum to 1 for all cases (Fig. 4), we may assume that neuronal activity on error trials is a linear mixture of neuronal activity on correct trials and that neurons are not encoding stimulus-response mapping rule.

Figure 5 shows the results of the SDT-based analysis of the full dataset under two motion strengths. The top and bottom panels in Fig. 5A show the evolution of $A_s$, $A_r$, and $\lambda$ under the 3.2% condition and the two panels in Fig. 5B likewise show the evolution of $A_s$, $A_r$, and $\lambda$ under the 6.4% condition. In both conditions, neural activity discriminated well the response direction toward the end of a trial as indicated by large $A_r$. In the 3.2% condition, there was no indication of stimulus direction discriminability throughout a trial. In the 6.4% condition, neural activity discriminated well the response direction toward the end of a trial as indicated by large $A_r$. In both conditions, neural activity discriminated well the response direction toward the end of a trial as indicated by large $A_r$. In the 3.2% condition, there was no indication of stimulus direction discriminability throughout a trial. In the 6.4% condition, neural activity was better than chance (0.5) at discriminating stimulus direction toward the end of a trial. It should be noted, however, that $A_r$ was generally greater than $A_s$ throughout, which indicates that the spike activity primarily encoded the impending motor response. The sensorimotor
index ($\lambda$) summarizes this pattern. There was high level of fluctuations in $\lambda$ near stimulus onset. Assuming that LIP activity in the initial ~200 ms is task independent (Britten et al. 1992; Roitman and Shadlen 2002 see Fig. 2 as well), it is natural to expect that the fluctuations in $\lambda$ in this time frame were caused by random noise unrelated to the task. Therefore to assess whether there is any evidence for sensory encoding at the beginning of a trial, we focused on the time frame in between 200 and 400 ms after stimulus onset. There is yet no evidence for sensory encoding in this time frame as indicated by highly fluctuating $\lambda$ values and large confidence bands for both the 3.2 and 6.4% conditions. This was in stark contrast with the pattern of $\lambda$ values near response onset, where $\lambda$ reached closer to 1 with tighter confidence bands for both the 3.2 and 6.4% conditions. This result suggests that LIP activity reflects the direction of the impending motor response near the end of a trial.

In the 6.4% condition, $\lambda$ values were particularly low between 200 and 400 ms after stimulus onset. This pattern was also reflected in the data points in the lower ranges of the abscissa in the plots for the symmetric mixture hypothesis (Fig. 4). We suspect that this low $\lambda$ is a result of random fluctuations rather than an indication of a purely sensory neuron, because the magnitudes of both $A_s$ and $A_r$ were close to 0.5 (in fact, their confidence bands included 0.5) and because the confidence band for $\lambda$ was large. However, it is interesting to observe the simultaneous rise of both $A_s$ and $A_r$ in the next 200 ms with equal magnitude, indicative of a sensorimotor locus around 0.5.

In their original analysis, Roitman and Shadlen (2002) excluded any activity within 100 ms of response onset for the peristimulus analysis to reduce any presaccadic enhancement. Likewise, they excluded any activity within 200 ms of motion onset for the periresponse analysis to reduce any activity associated with stimulus onset. We performed the SDT-based analysis again while, this time, excluding the neuronal activity near stimulus and response onset as was done in the original study. The results were not qualitatively different from the initial results (Supplemental Fig. S1)1; for example, $A_s$ was greater than or equal to $A_r$ in the peristimulus analysis. This further suggests that the patterns we observed in the SDT-based analysis did not depend on activity associated with presaccadic enhancement or task-irrelevant activity near motion onset.

**From cell-by-cell sensorimotor index analysis**

To appreciate the wide variability of individual LIP neurons, peristimulus and periresponse temporal dynamics of the sensorimotor index ($\lambda$) were calculated for each neuron. Results from two representative neurons are shown in Fig. 6, and the mean $\lambda$ near the stimulus onset and near the response onset was computed for each neuron as shown in Fig. 7. We first tested whether the sensorimotor role of each neuron remained relatively stable as a function of motion coherence. In other words, stability means that a neuron with a higher $\lambda$ value in the 3.2% condition will also have a higher $\lambda$ value in the 6.4% condition and vice versa. In fact, the $\lambda$ values in the two conditions were significantly correlated ($r = 0.305$, $p = 0.031$ for $\lambda$ values near stimulus onset; $r = 0.377$, $p = 0.007$ for $\lambda$ values near response onset), indicating a relatively stable sensorimotor role across all neurons.

Cell-by-cell scatter plots of the $\lambda$ values (Fig. 7) confirm the findings from the full dataset—neurons mostly represent response-related activity ($\lambda > 0.5$) rather than stimulus-related activity ($\lambda < 0.5$), especially near the response onset. A $t$-test on the $\lambda$ values near response onset indicated that the mean $\lambda$ across neurons was significantly above 0.5 [$t(53) = 5.146$, $p < 0.001$ for 3.2%; $t(49) = 6.267$, $p < 0.001$ for 6.4%].

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**Fig. 6.** The sensorimotor index during a trial for 2 individual neurons (cell 1618 and cell 2112). The plots were smoothed using a 60-ms running average. For cell 1618, mean of $\lambda$ near stimulus onset was 0.576 ± 0.0686 and 0.488 ± 0.0741 (SD) for 3.2 and 6.4% conditions, respectively. Mean of $\lambda$ near response onset was 0.656 ± 0.0469 and 0.631 ± 0.0749 for 3.2 and 6.4% conditions, respectively. For cell 2112, mean of $\lambda$ near stimulus onset was 0.458 ± 0.0835 and 0.528 ± 0.0574 for 3.2 and 6.4% conditions, respectively. Mean of $\lambda$ near response onset was 0.821 ± 0.0381 and 0.656 ± 0.0428 for 3.2 and 6.4% conditions, respectively.
The spike counts follow Poisson distribution and allowed for further analysis. Figure 9 shows how coefficient estimates for each of the orthogonal components evolves as a trial progresses. Particularly, 99% CI for the stimulus and the response components were derived for the peristimulus and perireponse analyses, respectively. As expected, the spike counts were highly correlated with the motoric aspect in the perireponse analysis. The rapid increase of the response component suggests that the LIP build-up activity near saccadic onset is mainly driven by the preparation for response initiation. In the peristimulus analysis, the spike counts failed to be significantly associated with the stimulus component, although there was a trend for increasing $\beta$ estimates for the stimulus component in the 6.4% condition between 250 and 500 ms after stimulus onset. Although we do not exclude the possibility of stimulus-related neuronal activity near the stimulus onset, we view the increase of the stimulus component in this time frame as mainly related to the increase in task-relatedness of the neuronal activity represented by $-2LL$ in Fig. 7. At the same time, $-2LL$ does not exceed 7.81 ($p < 0.05$; note that $-2LL$ follows a $\chi^2$ distribution with 3 degrees of freedom) nor $11.34$ ($p < 0.01$) until 360 ms after stimulus onset, so the significance of the $\beta$ estimates before this time point should be cautiously interpreted. It is also worth noting that there was no significant stimulus-response mapping component throughout a trial, which is consistent with our previous test of the symmetric mixture hypothesis.

**FIG. 7.** Cell-by-cell computation of sensorimotor index ($\lambda$) at two time points during a trial for the 3.2% condition (left) and the 6.4% condition (right). Each dot represents a neuron, and its coordinate on the scatter plot indicates mean $\lambda$ computed within a small time interval after stimulus onset (ordinate) and mean $\lambda$ computed within a small time interval near response onset (abscissa). Error bar indicates SE. The histogram shows the distribution of the neurons along $\lambda$. Dotted line indicates $\lambda = 0.5$ to aid visualization.

In summary, the analyses provide quantitative assessments of the sensorimotor locus of the LIP activity as a trial progresses. The results corroborate the proposition that LIP activity primarily reflects the direction of the response near saccadic onset. They also suggest that there is a possibility that LIP activity may encode stimulus-related information to some extent after the stimulus onset, although it is not possible to precisely verify this using the current method.

**D I S C U S S I O N**

In this study, we analyzed the information accumulation process in the LIP activity and examined the sensorimotor nature of the representation of information encoded by those LIP neurons on a trial-by-trial basis. Based on prior analyses of 0% motion coherence trials and error trials, there is little doubt that LIP activity primarily reflects the direction of the motor response (Roitman and Shadlen 2002). This study provides a quantitative assessment on the sensorimotor locus of the LIP buildup activity during the time course of a trial. The SDT-based analysis provides a quantitative measure of sensorimotor locus of the neuron at each time point, and the Poisson regression model incorporating orthogonal decomposition of neuronal activity provides a quantitative assessment as to how the stimulus, response, and stimulus-response mapping components contribute to the spike activity.

The results show that the motoric representation (e.g., impending saccadic direction) of the LIP activity builds up and peaks at the saccadic onset. Near the saccadic onset, the discriminability of the response direction ($A_r$) peaks, sensorimotor index $\lambda$ reaches 1, and the $\beta$ estimate of the response component reaches its maximum. This pattern suggests that, at least in the later half time course of a trial, the neuronal activity...
reflects the development of the motor plan, and it is consistent with the idea that LIP activity represents the direction of the response (Roitman and Shadlen 2002; Shadlen and Newsome 2001). What may be more interesting is the temporal dynamics of sensory representation in the beginning of a trial. Does the early part of the LIP buildup activity simply reflect the initial development of the motoric representation or does it also contain any sensory representation? The data suggest that there is no significant trend for stimulus-related neuronal activity in the beginning of a trial.

FIG. 8. Mean and variance plots for the spike count data. Each circle in the plot represents a single time point in the overall time course of a trial in the full dataset, and a straight line is fitted with ordinary least squares methods yielding a slope and intercept. Approximate equality of mean and variance of the spike counts suggests that the spike counts follow a Poisson distribution.

FIG. 9. Temporal dynamics of β estimates of orthogonal contrasts analysis for 3.2 and 6.4% conditions. β estimates of the stimulus (S), response (R), and stimulus-response mapping (S-R) components are represented in blue, red, and green lines, respectively (scale on the left ordinate). Dashed black lines represent, at each time point, values of −2LL, a measure of task-relatedness of the spike activity (scale on the right ordinate). Horizontal axis uses the same conventions as in Fig. 2; 99% CIs for S during [200 ms, mRT] and R during [−mRT, 0 ms] are filled with light blue and light red areas, respectively. The plots were smoothed using a 60-ms running average.
LIP is anatomically located in the sensorimotor network receiving input from the middle temporal area (MT) and providing output to the frontal eye field and the superior colliculi (Andersen et al. 1990, 1992). Neuronal activity in this area has been previously reported to be primarily associated with motor intention (Mazzoni et al. 1996; Snyder et al. 1997; Zhang and Barash 2000) or sensory attentive processing (Bisley and Goldberg 2003; Colby and Goldberg 1999; Gottlieb and Goldberg 1999). More recent studies suggested that the activity in this area contains both sensory- and motor-related aspects and even aspects of sensorimotor transformation (Buneo and Andersen 2006; Gottlieb et al. 2005; Zhang and Barash 2004). The results of this study cannot be directly compared with these other studies because of the different nature of the task—the “stimulus” in this study was a random dot motion centered at the fixation point rather than one of the targets located in the RF (or away from the RF) of the neuron. However, these findings that the buildup activity represents motor (but not sensory) information suggests that the neuronal activity in area LIP primarily reflects pending saccade movement and carries little information about the encoding and processing evoked by the random dot motion stimulus.

It is possible that, at the beginning of a trial, noisy fluctuation of the functional components and sensorimotor indices (caused by relatively low firing rates) may have obscured the presence of a sensory component in LIP activity. However, a more likely interpretation is that, during the initial period of a trial, stimulus information needed for decision making has simply not reached LIP yet for this random-dot direction discrimination task. Mazurek et al. (2003) proposed a three-stage model for perceptual decision-making in which direction-selective MT neurons (stage 1) are driven by the motion stimulus in an antagonistic fashion (i.e., for both motion directions matching both the preferred and anti-preferred direction of an MT neuron) and then feed into LIP neurons (stage 2), which accumulate the MT inputs until a threshold is reached to trigger an eye movement downstream (stage 3). If MT neurons encode stimulus direction in this task (Britten et al. 1992; Newsome et al. 1989), it is natural to expect MT activity to show a pure sensory locus that precedes the buildup activity in LIP, which is shown here to carry a motoric representation. Under this interpretation, a monkey’s perceptual decision is implemented by the MT-to-LIP synaptic connectivity, with MT implementing a predecision stimulus identification stage and LIP implementing a postdecision response selection stage, without the need for any intervening decision neuron—such dynamics for decision making under uncertainty is precisely what is prescribed by sequential sampling models. If MT neurons encode perceived stimulus direction in this task (Britten et al. 1996), a monkey’s perceptual decision may be implemented by the MT neurons or even at the earlier stages of the visual processing. Further proof for such mechanisms for perceptual decision making would require performing sensorimotor analysis of the sort described in this report on simultaneously recorded MT and LIP neuronal activities.

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