Spatial Attention Improves the Quality of Population Codes in Human Visual Cortex

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Saproo S, Serences JT. Spatial attention improves the quality of population codes in human visual cortex. J Neurophysiol 104: 885–895, 2010. First published May 19, 2010; doi:10.1152/jn.00369.2010. Selective attention enables sensory input from behaviorally relevant stimuli to be processed in greater detail, so that these stimuli can more accurately influence thoughts, actions, and future goals. Attention has been shown to modulate the spiking activity of single feature-selective neurons that encode basic stimulus properties (color, orientation, etc.). However, the combined output from many such neurons is required to form stable representations of relevant objects and little empirical work has formally investigated the relationship between attentional modulations on population responses and improvements in encoding precision. Here, we used functional MRI and voxel-based feature tuning functions to show that spatial attention induces a multiplicative scaling in orientation-selective population response profiles in early visual cortex. In turn, this multiplicative scaling correlates with an improvement in encoding precision, as evidenced by a concurrent increase in the mutual information between population responses and the orientation of attended stimuli. These data therefore demonstrate how multiplicative scaling of neural responses provides at least one mechanism by which spatial attention may improve the encoding precision of population codes. Increased encoding precision in early visual areas may then enhance the speed and accuracy of perceptual decisions computed by higher-order neural mechanisms.

INTRODUCTION

In many situations an observer must selectively enhance the perceived visual detail in a behaviorally relevant portion of the periphery at the expense of detail in other peripheral locations. The perceptual benefits obtained by covertly monitoring relevant parafoveal objects depend on modulating the neural responses that encode basic visual features such as edge contours and colors, a phenomenon referred to as selective attention (Connor et al. 1997; Desimone and Duncan 1995; Moran and Desimone 1985). The spatial component of selective attention (spatial attention) increases neural activity in retinotopically corresponding cortical regions for all features in that spatial location, much like a spotlight illuminating only a part of a theater stage (Boynton 2005; Koch and Ullman 1985; Posner et al. 1980; Tsotsos et al. 1995). But how exactly is the encoding of relevant features influenced by spatial attention and how might it enhance perception? Single-unit recording data collected in nonhuman primates suggest that spatial attention primarily acts to multiply feature tuning functions by a constant factor (referred to here as multiplicative scaling; see McAdams and Maunsell 1999; Treue and Martinez-Trujillo 1999; Fig. 1A). In addition to multiplicative scaling, spatial attention is also thought to induce a feature-nonspecific increase in response amplitudes, which can occur even in the absence of a stimulus (referred to here as additive scaling, also known as a baseline shift; Kastner et al. 1999; Luck et al. 1997; see Fig. 1B).

Functionally, spatial attention is thought to improve the quality of perceptual representations in part by selectively increasing the firing rates of neurons tuned to the attended stimulus (assuming approximately Poisson neurophysiological noise; Martinez-Trujillo and Treue 2004; McAdams and Maunsell 1999; Shadlen and Newsome 1994; Treue and Martinez-Trujillo 1999). Even though single-unit recording studies have demonstrated such attentional modulations, coherent perceptual representations are thought to be based on populations of sensory neurons working in concert (Averbeck et al. 2006; Butts and Goldman 2006; Jazayeri and Movshon 2006; Kang et al. 2004; Pouget et al. 2003). Therefore, the goal of the present study was to explicitly examine the theoretical and empirical link between spatial attention and the encoding precision of population responses in early areas of human visual cortex.

We used functional magnetic resonance imaging (fMRI) to define feature-selective voxel tuning functions and then used information theoretic measures (Nevado et al. 2004; Panzeri et al. 2008) to infer changes in the encoding precision of population responses due to spatial attention. We find that spatial attention increases the amount of information encoded in early visual cortices about the features of an attended stimulus, primarily by modulating the multiplicative scaling of population response profiles. Since the quality of a population code can be assessed using information theory (Doya 2007; Mackay 2003), the observed multiplicative scaling provides a mechanism by which spatial attention improves encoding precision of population codes. In turn, the improved quality of stimulus representations in early visual areas should facilitate the read-out of information by higher brain areas during perceptual decision making (Ditterich et al. 2003; Jazayeri and Movshon 2006; Newsome et al. 1989; Shadlen and Newsome 2001).

METHODS

Subjects

Eight neurologically healthy subjects between the age of 18 and 30 yr were recruited from the University of California, Irvine (UCI) community to participate in the experiment. Data from one subject were subsequently discarded because of an inability to obtain robust retinotopic maps. Each subject gave written informed consent, in accordance with Institutional Review Board requirements at UCI, and...
Selective attention scans

Subjects were instructed to maintain fixation on a central fixation point (white in color, subtending 0.5° of visual angle) that persisted on the screen for the duration of each scan (where a “scan” refers to a single fMRI data collection run lasting 410 s). Each scan consisted of several trials; on each 10 s trial, a full-contrast grayscale sinusoidal annular grating (0.5 cycle/deg) was flickered at 2 Hz (250 ms on, 250 ms off) in one of eight possible orientations (0°, 22.5°, 45°, 67.5°, 90°, 112.5°, 135°, and 157.5°, where 0° is horizontal; see Fig. 2A), which defined a single stimulus. The spatial phase of the stimulus grating was randomly shifted every 250 ms within each trial to attenuate scaling in the neuronal tuning function and, consequently, in population response profiles.

The contrast reduction that defined a target was titrated on an individual basis so that the hit rate remained at roughly 75–80% over the course of all scanning sessions (a “hit” was defined as a response that occurred ≤1 s after the presentation of a target; subjects false-alarmed infrequently on only 1.9 ± 0.7% SE of contrast changes in the distractor stimulus). Each target was presented for a single 250 ms frame and there were four targets in each trial. The timing of each target was pseudorandomly determined with the following constraints: each target was separated from the previous one by ≥1.5 s and targets were restricted to a temporal window of 1–9 s following the onset of the trial. Each trial was separated from the next by a blank 500 ms intertrial interval of passive fixation. Observers completed five or six attention scans per 1.5 h scanning session; each scan lasted 410 s and contained four presentations of each stimulus orientation (32 in total) along with six pseudorandomly interleaved “null” trials in which only the central fixation point was visible for the entire 10 s trial interval. These null trials were presented to provide a common baseline for comparison of responses evoked by attended and unattended stimuli.

Independent functional localizer scans

Two independent functional localizer scans were run during each scanning session to identify voxels within each retinotopically organized visual area that responded to the spatial position occupied by the stimuli in the left and right hemifields during the attention scans. The stimuli used during localizer scans were identical to the stimuli used during attention scans; however, only one hemifield was stimulated on each trial (Fig. 2C). Subjects were asked to fixate on the central fixation point and direct their attention to the presented stimulus. There was a blank intertrial interval of 10 s following each stimulus presentation and each of the eight orientations was presented twice during each localizer scan (total scan duration: 520 s).

Retinotopic mapping procedures

Retinotopic mapping data were obtained in one to two scans per subject, using a checkerboard stimulus and standard presentation parameters (stimulus flickering at 8 Hz and subtending 60° of polar angle; Engel et al. 1994; Sereno et al. 1995). This procedure was used to identify ventral visual areas V1, V2v, V3v, and hV4. Our high-resolution scanning protocol did not provide sufficient coverage to acquire data from
dorsal occipital areas V2d, V3d, and V3a or visual areas in parietal and frontal cortex. To aid in the visualization of early visual cortical areas, we projected the retinotopic mapping data onto a computationally inflated representation of each subject’s gray–white matter boundary.

**fMRI data acquisition and analysis**

fMRI scanning was carried out on a Philips Achieva 3-Tesla scanner equipped with an 8-channel SENSE (sensitivity-encoded) head coil at the John Tu and Thomas Yuen Center for Functional Onco-Imaging, University of California, Irvine. Anatomical images were acquired using a magnetization-prepared rapid gradient echo T1-weighted sequence that yielded images with a 1 mm³ resolution (repetition time/time to echo [TR/TE] = 11/3.3 ms, inversion time [TI] = 1,100 ms, 150 slices, flip angle = 18°, with no SENSE acceleration). Functional images were acquired using a gradient echo planar imaging (EPI) pulse sequence, which covered the occipital lobe with 25 oblique transverse slices. Slices were acquired in sequential order with 1.5 mm thickness and 0.5 mm gap to avoid slice cross talk; thus a 50 mm thick slab was acquired (TR = 2,500 ms, TE = 30 ms, flip angle = 70°, image matrix = 120 anterior–posterior [AP] × 92 right–left [RL], with field of view = 240 mm AP × 180 mm RL, SENSE factor = 2, voxel size = 2 × 2 × 1.5 mm).

Data analysis was performed using BrainVoyager QX (v 1.86; Brain Innovation, Maastricht, The Netherlands) and custom time-series analysis routines written in Matlab (v 7.1; The MathWorks, Natick, MA). All EPI images were slice-time corrected, motion-corrected (both within and between scans), and high-pass filtered (3 cycles/run) to remove low-frequency temporal components from the time series.

**Region of interest selection procedure**

To identify voxels that responded to the retinotopic position of the stimulus aperture, data from the functional localizer scans were analyzed using a general linear model (GLM) that contained two regressors marking each 10 s epoch of stimulation in the left and right hemifields (a boxcar convolved with a standard double-gamma function as implemented in Brain Voyager: time to peak, 5 s; undershoot ratio, 6; time to undershoot peak, 15 s; Boynton et al. 1996). Voxels within each visual area that responded more to one epoch of stimulation compared with the other were retained for further analysis if they passed a threshold of P < 0.01, corrected for multiple comparisons using the false discovery rate (FDR) algorithm implemented in BrainVoyager QX (see Genovese et al. 2002). See Table 1 for the number of voxels within each visual area that passed this threshold.

**Voxel tuning functions**

We used voxel tuning functions (VTFs) to evaluate feature-selective blood oxygenation level dependent (BOLD) responses in early areas of visual cortex. The feature selectivity is thought to be indirectly determined by biases in the distribution of orientation-selective neurons (e.g., columns in V1) that are idiosyncratically sampled within each voxel (Haynes and Rees 2005; Kamitani and Tong 2005; Kay et al. 2008; Susaki et al. 2006; Serences et al. 2009; Swisher et al. 2010). In turn, if a voxel has a bias in the number of neurons that prefer a particular feature, then that voxel should exhibit a weak but detectable feature-selective response bias.

<table>
<thead>
<tr>
<th>Visual Area</th>
<th>Mean Voxel</th>
<th>SD</th>
</tr>
</thead>
<tbody>
<tr>
<td>V1</td>
<td>551.43</td>
<td>163.68</td>
</tr>
<tr>
<td>V2v</td>
<td>251.79</td>
<td>105.12</td>
</tr>
<tr>
<td>V3v</td>
<td>233.29</td>
<td>81.93</td>
</tr>
<tr>
<td>hV4</td>
<td>233.57</td>
<td>113.25</td>
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**Estimating orientation-specific responses**

First, the time series from each voxel was normalized by subtracting the mean activation level for that voxel on a scan-by-scan basis. Next, the magnitude of the BOLD response in each voxel was estimated using a GLM that contained regressors for attended and unattended stimuli rendered in each of the eight possible orientations (boxcar model of stimulus sequence convolved with standard difference-of-two gamma functions). For example, on a trial where the subject was attending to the stimulus in the left hemifield, an “attended” response would be measured from all voxels in the contralateral right hemisphere and an “unattended” response would be measured in the ipsilateral left hemisphere.

**Assigning orientation preference to each voxel**

The orientation preference of each voxel was assigned using a leave-one-out procedure to ensure that the resulting tuning functions reflect reliable changes in signal as opposed to idiosyncratic noise. First, each voxel from a visual area was assigned to one of eight orientation-preference bins based on data from all scans except one; orientation preference was heuristically established by determining the orientation that evoked the largest response after removing the mean response across all voxels in response to each orientation (see Supplemental Fig. S7 for an alternate heuristic). This mean subtraction was performed to correct for main effects of stimulus orientation that had a common influence on the response of every voxel, thereby emphasizing the differential pattern of responses across voxels (see e.g., Haxby et al. 2001). Supplemental Fig. S11 shows not only the mean response amplitude to each orientation in each visual area, but also the distribution of orientation preferences with and without this correction. Supplemental Fig. S8 shows the fully analyzed data without removing the main effect of orientation: qualitatively similar results are observed.

After determining the orientation preference of each voxel, we used data from the hold-out scan to compute the response of voxels in each bin to both attended and unattended stimuli rendered in all eight possible orientations (thus producing a VTF). This hold-one-out procedure was then repeated using all unique permutations of holding one scan out and the final VTF for a given visual area in a given subject reflects the average across all permutations. Finally, VTFs from each visual area were averaged across left and right hemispheres because no systematic asymmetries were observed.

**Characterizing VTFs using a circular Gaussian**

Voxel tuning functions were mathematically characterized as

\[
B(\Theta) = \alpha + \beta \cdot f(\kappa, \Theta) \tag{1a}
\]

\[
f(\kappa, \Theta) = \exp(-[(\pi/2 + \Theta - \Theta_{\text{pref}}) \mod \pi - \pi/2]^2/\kappa^2) \tag{1b}
\]

where \(f(\cdot)\) is a circular Gaussian function (Dayan and Abbott 2001; Neurod et al., 2004; Pouget et al. 2003). \(\alpha\) is the additive scaling parameter, \(\beta\) is the multiplicative scaling parameter, and \(\kappa\) is the concentration parameter or bandwidth. Once the distribution for \(B(\Theta)\) had been estimated using the above-mentioned procedure, an iterative curve-fitting algorithm was used to derive best-fit values for \(\alpha\), \(\beta\), and \(\kappa\). Thus voxel tuning curves were constructed reflecting BOLD activation under attention \(B_{\alpha}(\Theta)\) and without attention \(B_{\beta}(\Theta)\) such that

\[
B_{\alpha}(\Theta) = \alpha_u + \beta_u \cdot f(\kappa_u, \Theta) \tag{2a}
\]

\[
B_{\beta}(\Theta) = \alpha_u + \beta_u \cdot f(\kappa_u, \Theta) \tag{2b}
\]

The effect of spatial attention was then characterized as

\[
\text{Additive scaling} \ (\Delta \alpha) = \alpha_a - \alpha_u \tag{3a}
\]

\[1\] The online version of this article contains supplemental data.
Multiplicative scaling (Δβ) = β_u - β_u

Bandwidth scaling (Δκ) = κ_u - κ_u

The model was fit to data from each visual area in each subject using a gradient descent algorithm implemented in the Matlab Optimization Toolbox (built around the “fminsearch” function that uses the Nelder-Mead Simplex Direct Search; Lagarias 1998). Because the starting value assigned to each parameter can influence the final outcome of gradient descent algorithms (in case of many local minima), each fit was performed 60 times with a new seed for each of the three free parameters drawn randomly from a normal distribution in an attempt to find the globally optimal parameter values. The mean of each normal distribution used to generate the seeds was set as follows: 1) the minimum of the data for the additive scaling parameter, 2) the maximum response minus the minimum response for the multiplicative scaling parameter, and 3) 0.5 for the bandwidth parameter. The SD of the seed distribution was set to the square root of the respective mean for that distribution. The iteration with the lowest overall root mean square error (RMSE) across all 60 iterations in a given subject was then used in the final analysis (mean RMSE ± SE: 0.02157 ± 0.002162, indicating that the fits were excellent overall). A validation procedure in which 500 iterations of the analysis were run with randomized labels was also carried out; this resulted in a more than twofold increase in RMSE, further supporting the significance of the observed Gaussian shape of the VTFs (mean RMSE with randomized labels: 0.049).

Since all stimuli had the same luminance contrast, we could not model the tuning function with contrast as a free parameter. Thus we cannot rule out the possibility that the values of α, β, and κ have some dependence on stimulus contrast and thus these parameters could be a function of contrast.

We also investigated the appropriateness of an alternate model B(θ) = β*f(κ, θ) + α, where the multiplicative scaling parameter also operates on the additive scaling parameter. When reasonable constraints on allowable parameter values are imposed (e.g., nonnegative additive scaling factor), then the model described in Eqs. 2a and 2b proved to be a better fit to the data (Supplemental Fig. S4).

Mutual information measures

In the present study, we use an information-theoretic quantity mutual information (MI) both to rank-order voxels based on the theoretical homogeneity of comprising neural populations and to evaluate the influence of attention on the quality of neural codes (the methods described here follow those described in Serences et al. 2009). MI has the advantage that it indexes the information conveyed by a voxel about the stimulus and makes no a priori assumptions about the precise shape of the response distribution (Fuhrmann Alpert et al. 2007; Panzeri et al. 2008; Serences et al. 2009). MI is based on Shannon’s entropy of the BOLD responses in each voxel, which is a measure of response uncertainty across all stimulus orientations

\[ H(B) = -\sum_{b \in B} p(b) \log_2 p(b) \]

To compute Shannon’s entropy, we converted the continuous BOLD response into a discrete variable (B) by dividing the range of responses into a set of equidistant bins (b) of sufficiently small size (Cover and Thomas 1991). In this formulation, p(b) is the frequency with which a response falls into bin b divided by the total number of responses measured from a given voxel. The bins were statically defined (i.e., fixed for all data sets) and spanned the entire range of values encountered in the data. Before discretizing BOLD responses for a given voxel, we collapsed data collected in response to both attended and unattended stimuli after subtracting out the mean activation levels of “attended” and “unattended” conditions. This subtraction was done because additive shifts attributed to attention would have induced error in the process of binning BOLD responses during

the computation of p(b). Next, we computed conditional entropy \( p(b|\theta) \), which yields a measure of response uncertainty, given the knowledge of stimulus orientation (θ). If there is a dependence between stimulus orientation and observed BOLD responses, the introduction of θ as a conditional random variable should reduce the uncertainty and thus the entropy of the random variable B

\[ H(B|\theta) = -\sum_{b \in B} p(b|\theta) \sum_{\theta} p(\theta) \log_2 p(b|\theta) \]

The information content carried by each voxel can then be defined as the reduction in uncertainty for each voxel’s BOLD response given the stimulus orientation, or mutual information (MI). Since we are using logarithm to the base 2 in our calculations, the unit of measure is bit

\[ I(B;\theta) = H(B) - H(B|\theta) \]

Bayes’ rule ensures that the equation is symmetric, so that \( I(B;\theta) \) is equal to \( H(\theta|B) \) or the reduction in uncertainty about stimulus orientation given a distribution of BOLD responses. Therefore if there is a strong dependence of the distribution of BOLD responses (B) and stimulus orientation (θ) for a particular voxel, then that voxel will yield a high MI value. If they are completely dependent, such that knowing one gives complete information about the other, then MI would be equal to the entropy of either one of them. On the other hand, if the distributions of BOLD responses and stimulus orientation are completely independent, then that voxel will yield an MI value of zero. In the present experiment, where eight different stimulus orientations were used, the maximum possible value of MI is 3 (log2 8).

Normalized MI

For the analysis of modulation in MI with attention (Fig. 9), we used the normalized version of mutual information (Kojadinovic 2005) to normalize the values of voxel MI derived from different subjects to range between 0 and 1

\[ I^*(B;\theta) = \frac{I(B;\theta)}{H(B)} \]

A value of 1 for \( I^* \) means that knowing B gives complete information about the value of θ or vice versa. Conversely, a value of 0 implies that knowing B provides no information about θ or complete independence between the distributions of B and θ.

Relationship between the shape of a VTF and MI

MI depends on the difference between overall response variability [total entropy or \( H(B) \)] and response variability that is attributable to factors uncorrelated with the stimulus [noise entropy or \( H(B|\theta) \)]. The difference between total entropy and noise entropy thus represents how much variability in the BOLD responses is attributable to changes in the stimulus, which indicates how much signal, or useful information, is present in the data. For an informative voxel, entropy \( H(B) \) should be high, implying that the magnitude of the BOLD response changes substantially as a function of stimulus orientation. Thus a voxel that has a peaked tuning function would be more informative than a voxel that has a flat tuning function, all else being equal (although the relationship between MI and tuning function bandwidth is nonmonotonic, such that flat or overly peaked voxels both have a lower MI than that of voxels with some optimal intermediate bandwidth). Conditional entropy \( H(\theta|B) \) for an informative voxel should be relatively low [with respect to the entropy \( H(B) \)] because that voxel should yield similar BOLD responses on each successive presentation of the same orientation, implying low noise.

Using MI as a criterion to select representative voxels

We hypothesized that the magnitude of MI in a voxel should be directly proportional to the underlying distribution of feature selec-
tivity at the neural level, making only the assumption that there is a monotonic relationship between neural activity and the magnitude of the BOLD response (Logothetis 2003; Logothetis et al. 2001). Consider two hypothetical and extreme types of voxel: 1) a voxel with very weak orientation selectivity and 2) a voxel with strong selectivity and a robust VTF. In the first case, weak selectivity might be caused either by poor signal-to-noise ratio (SNR; e.g., if the voxel partially samples white matter) or by a relatively heterogeneous distribution of orientation-selective neurons within the voxel, which would result in a null orientation preference because the voxel would respond equally well to all orientations. In turn, this nonselective response profile would have low entropy and correspondingly low MI. Therefore we argue that voxels with weak VTFs (characterized by low MI) are difficult to interpret because multiple factors may contribute to poor orientation tuning and, consequently, denature the observable effects of attention. The opposite is true in a relatively homogeneous voxel containing many neurons tuned to a specific orientation. Such a voxel should have a highly selective and peaked VTF, high total entropy, and a correspondingly high MI (assuming nearly Poisson or additive noise). Therefore voxels with high MI should contain a relatively homogeneous sample of orientation-selective neurons and thus provide the best insight into the operating characteristics of attention on specific neural populations (for a more formal description of this model, see Supplemental Figs. S1 and S2; also see Nevado et al. 2004).

Based on this logic, voxels were rank-ordered based on their MI score and orientation preference within all scans save one and then the VTFs were generated based on data from the remaining scan (rank-ordering always done separately for each visual area, session, and subject). Different quartiles out of this rank-ordered list were then selectively analyzed because quartiles were large enough intervals to provide an accurate number of voxels in each bin to compute reliable tuning curves (see e.g., Figs. 6 and 7 and Supplemental Fig. S3). Note that the mutual information measure suffers from the problem of bias in estimated values when data are limited (Panzeri et al. 2007). However, since we used MI values only to rank-order voxels derived from the same data set, the exact MI value of each voxel becomes immaterial as long as it gives an accurate representation of the relative information content of that voxel vis-à-vis other voxels in its orientation-preference bin (and visual area, session, and subject).

Relationship between attentional gain and MI

Spatial attention can influence a Gaussian tuning function in three ways: additive scaling, multiplicative scaling, and bandwidth scaling. Multiplicative scaling should increase MI since it increases the dynamic range of mean responses, which in turn increases the entropy of responses $H(B)$. Even under the assumption of Poisson noise, multiplicative scaling will cause the entropy of responses to increase faster than the corresponding increase in noise entropy, leading to an overall increase in MI. This also holds for additive Gaussian noise, as long as the variance increases by a factor smaller than the increase in the mean BOLD response. In contrast, additive scaling of a tuning function will not increase entropy because it simply translates the tuning curve up or down without increasing the dynamic range of mean responses. If the noise scales with mean response (e.g., Poisson noise), additive scaling might actually lower MI because the noise entropy will increase much faster than overall entropy. Finally, the relationship between MI and the bandwidth of a tuning function is nonmonotonic. A decrease in bandwidth would increase MI if the bandwidth was nonoptimally wide (e.g., a flat tuning function). However, a decrease in bandwidth beyond an optimal intermediate point would also lower MI because the tuning function would convey information only about a highly restricted range of stimulus values. Thus an increase in bandwidth—to a point—would help if the bandwidth was overly narrow.

Using MI of BOLD responses to evaluate the quality of population codes

If BOLD responses are approximately linearly related to changes in underlying neuronal firing (Heeger et al. 2000; Logothetis 2003; Logothetis et al. 2001), then an increase in a voxel’s MI with attention implies an increase in information conveyed by the population of neurons that are contained within that voxel. This relationship holds even if we allow a nonlinear relationship between neural activity and the BOLD response, as long as the relationship remains monotonic (i.e., if an increase in neural spiking activity leads to some increase in BOLD amplitude; Nevado et al. 2004). Under this relaxed assumption of monotonicity, the BOLD response profile can be thought of as a filtered version of the neural population response profile—filtered through some monotonic mapping function—forming a Markov chain. The data inequality theorem (Cover and Thomas 1991) mandates that for such a Markov chain, the MI of a voxel must be equal to or less than the MI of the neural population. Therefore even the most informative voxel can never have higher information in its BOLD responses than that of the MI that exists in the underlying neural population activity, thus providing an upper bound on any estimates of the information content of population responses. As a result, the absolute value of the increase in MI with attention exhibited at the voxel level is not expected to be equal to the actual increase in MI at the neural level; however, the qualitative relationship between changes in MI at the neuronal and voxel levels should be preserved.

Eye tracking

Eye tracking data were acquired with an ASL504 LRO (long-range optics) MRI-compatible system (Applied Science Laboratories, Bedford, MA) that tracked the right pupil of three subjects during scanning (one subject in both sessions and the others in a single session each) at 60 Hz. Data were analyzed off-line using the ILAB analysis toolbox implemented in Matlab (Gitelman 2002). First, the raw data were binned into epochs corresponding to the 10 s stimulus presentation interval from each trial. Blinks (periods when the pupil disappeared), as well as five samples on either side of each blink, were then marked and removed from the epoched data. Saccadic eye movements were then identified when the velocity of the eye exceeded 30°/s for at least two samples; a minimum saccade distance of 1° was also imposed because this is the manufacturer-stated resolution of the eye tracker. Supplemental Fig. S5 shows the mean X, Y position of the saccade endpoints for each of the eight stimulus orientations; no systematic differences as a function of the attended location were observed.

We could acquire eye-tracking data from only three subjects because of various technical impediments that made it difficult to acquire steady measurements from several subjects. In such cases where data could not be acquired consistently, subject fixation was monitored manually by both authors (using the eye-tracker camera) to ensure that subjects did not make systematic saccades with the attentional cues and were fixating consistently on the central fixation spot.

RESULTS

To characterize the impact of spatial attention on population response profiles, we used the spatial attention task shown in Fig. 2. We first generated voxel tuning functions (VTFs) with and without spatial attention within each visual area (Fig. 3; see Voxel tuning functions in METHODS. One-way repeated
measures ANOVAs revealed significant orientation selectivity of the VTFs in all areas (after collapsing across attended and unattended trials: V1: $F(7,42) = 18.3$, $P < 0.001$; V2v: $F(7,42) = 19.4$, $P < 0.001$; V3v: $F(7,42) = 5.9$, $P < 0.001$; hV4: $F(7,42) = 3.7$, $P < 0.005$).

When considering all spatially selective voxels identified using the independent functional localizer scans, we found that spatial attention primarily produced an additive scaling of VTFs that was highly significant in all four visual areas. This magnitude of the additive scaling also increased modestly from V1 to hV4 [$F(3,18) = 3.13$, $P = 0.051$], marginally significant one-way repeated measures ANOVA; see Fig. 4]. This monotonic rise in additive scaling along the ventral pathway is consistent with previous reports in human visual cortex (Kastner et al. 1998; O’Connor et al. 2002; Ress et al. 2000) and consistent with previous reports in human visual cortex (Kastner and Ungerleider 2001; Kastner et al. 1998).

We next used an information-theoretic measure—mutual information (MI)—to identify those voxels that are theoretically most representative of changes within specific subsets of orientation-selective neurons (see Using MI as a criterion to select representative voxels in METHODS; Borst and Theunissen 1999; Cover and Thomas 1991; Fuhrmann Alpert et al. 2007; Panzeri et al. 2008; Serences et al. 2009). A three-way repeated measures ANOVA with visual area (V1–hV4), attention (attended, unattended), and MI bin (first to fourth quartiles) revealed an overall increase in the additive scaling parameter with attention [$F(1,6) = 28.5$, $P < 0.002$; see Fig. 5] and an increase in the additive scaling parameter with increasing MI [$F(3,18) = 16.9$, $P < 0.001$]; this later modulatory effect of MI on additive scaling was more pronounced in later visual areas (e.g., V3v, hV4) compared with earlier areas (three-way interaction between attention, MI bin, and visual area: $F(9,54) = 3.01$, $P < 0.01$; see Fig. 6]. In addition, attention led to significant multiplicative scaling in high-MI voxels [two-way interaction between attention and MI bin: $F(3,18) = 7.00$, $P < 0.005$; see Fig. 7]; however, the three-way interaction between attention, MI bin, and visual area did not approach significance [$F(9,54) = 1.14$, $P = 0.35$], suggesting a qualitatively similar pattern in all regions. Finally, no significant changes in bandwidth scaling were observed with attention [Supplemental Fig. S3; attention × MI interaction, collapsed across visual areas: $F(3,18) = 1.45$, $P = 0.26$], which is perhaps not surprising given similar results in previous single-unit recording studies.

![Additive scaling parameter of best-fitting Gaussian function in areas (V1–hV4). Error bars reflect ±1SE across subjects.](http://jn.physiology.org/)

**FIG. 4.** Additive scaling parameter of best-fitting Gaussian function in areas (V1–hV4). Error bars reflect ±1SE across subjects.
(e.g., McAdams and Maunsell 1999) and the notion that a decrease in bandwidth does not always benefit the quality of a population code (Series et al. 2004).

When considering high-MI voxels, which we hypothesize are the most representative of underlying neural activity, the effect of multiplicative scaling becomes more pronounced compared with that of additive scaling (~34% vs. ~21% change in respective parameter estimates with attention, averaged across all visual areas). This change in the multiplicative scaling parameter is roughly comparable with that found by a classic single-unit study of spatial attention (McAdams and Maunsell 1999a,b), where a 23% average increase in multiplicative scaling was observed in V4 neurons.

Although we sorted the data into four equinumerous MI bins for the main analysis—so that enough voxels would be in each bin to yield reliable VTF estimates—the magnitude of additive and multiplicative scaling with attention seems to approximately increase monotonically with increasing MI (Fig. 8 and

![Additive scaling with attention for each MI quartile in V1, V2v, V3v, and hV4. Left panels show additive scaling parameter derived separately from attended and unattended data. Right panels show the net change (attended minus unattended) in the parameter with attention. Top row shows data averaged across all visual areas; remaining rows show data from each visual area. Error bars reflect ±1SE across subjects.](Fig. 6)

![Multiplicative scaling with attention for each MI quartile in V1, V2v, V3v, and hV4. Left panels show multiplicative scaling parameter derived separately from attended data and unattended data. Right panels show the net change (attended minus unattended) in the parameter with attention. Top row shows data averaged across all visual areas; remaining rows show data from each visual area. Error bars reflect ±1SE across subjects.](Fig. 7)
First, MI was estimated in each voxel using responses evoked only by unattended stimuli and then the voxels were ranked by their respective value of MI. As outlined previously, voxels with high MI are postulated to be more homogeneous and thus representative of underlying neural populations (see Using MI as a criterion to select representative voxels in METHODS). When we computed the ratio between each voxel’s normalized MI for attended stimuli and unattended stimuli (see Normalized MI in METHODS); this ratio was >1 for the most representative voxels (see Fig. 9), indicating that spatial attention increases the amount of information carried by BOLD responses (~25% increase; for a more conservative cross-validated version of the same analysis, see Supplemental Fig. S13). Supplemental Fig. S9 shows where in the cortex the most informative voxels were found in a set of representative subjects.

D I S C U S S I O N

In the present study, we used fMRI and feature-selective VTFs to show that spatial attention increases the MI of population response profiles within regions of early visual cortex, primarily by inducing a multiplicative scaling of feature-selective neural tuning functions. If early visual cortex can be thought of as a representational screen on which external visual stimuli get projected and encoded by millions of tiny sensors, then the implication of our finding is that attention effectively increases the bit depth of the information encoded about the stimulus. This increase in bit depth with attention in early visual areas should enable later areas that integrate this information to operate more efficiently, thereby supporting faster and more accurate perceptual decisions (Ditterich et al. 2003; Jazayeri and Movshon 2006; Newsome et al. 1989; Shadlen and Newsome 2001).

MI fulfills two main roles in the current study: 1) MI is used to identify the most informative voxels, which we posit are also the most homogeneous and thus representative of underlying neural populations; and 2) MI provides a means of evaluating how cognitive manipulations, such as spatial deployments of attention, can systematically influence the amount of information encoded about behaviorally relevant stimuli. Since we use MI for the dual purpose not only for selecting highly representative voxels but also for observing changes in the information content of these voxels with attention, we were careful to avoid nonindependence errors. This is especially important in the present context because MI is positively correlated with the multiplicative scaling parameter of a VTF. To avoid issues of circularity, we used independent selection and evaluation phases to first select high-MI voxels and then to evaluate the influence of attention on their response profiles. The MI score of a voxel was calculated using data from all scans save one (selection phase) and the VTFs were computed using data from the remaining scan (evaluation phase) and this process was iterated through all unique combinations of holding-one-scan-out. Similarly, for analysis of the change in MI with attention (Fig. 9), we rank-ordered voxels based on MI derived from unattended stimuli only and then computed the relative increase in MI due to attention (a further split-half analysis was done as well; see Supplemental Fig. S13). The use of a cross-validation procedure ensures that task-independent machine noise was not responsible for the observed attentional
The observation of multiplicative scaling in the most informative voxels is consistent with previous single-unit studies in primates (McAdams and Maunsell 1999). On the other hand, the extremely large additive scaling factors we report (see Fig. 6) are not typically observed at the single-unit level, where such effects are generally modest. However, our data and simulations suggest a resolution to this apparent discrepancy. Consider a hypothetical voxel that contains a heterogeneous distribution of orientation-selective neurons. Such a voxel will have poor selectivity and should produce a relatively flat tuning function. Here, a purely multiplicative scaling at the single-unit level would manifest as a feature nonspecific (additive) increase in BOLD activation. For example, attending to 45° should primarily boost the firing rate of neurons tuned to 45°, which will produce heightened activation in the voxel. However, because the voxel contains an equal number of neurons that prefer every other orientation, attending to a different orientation (e.g., 90°, 135°, etc.) should produce an equivalent increase in the activation level. Thus when measured at the coarse spatial resolution afforded by fMRI, multiplicative scaling in a VTF will likely be underestimated and, more important perhaps, translated into a response that appears additive. The magnitude of this “smearing” should increase as the distribution of neural tuning preferences within a voxel becomes more uniform (see simulation results; Supplemental Fig. S2). Note that we are not disputing the existence of additive scaling per se, but simply suggesting that estimates based on fMRI might be generally skewed in favor of additive over multiplicative scaling. In contrast, using an information-theoretic methodology allowed us to distill a subset of voxels that likely captured changes in a more homogeneous distribution of orientation-selective neurons, thereby providing a better window into the nature of attentional modulations in neuronal populations. Accordingly, the more informative voxels showed clear signs of multiplicative scaling, in line with most single-unit studies. Therefore we stress that choosing the most representative voxels is key to improving the precision of inferences based on fMRI data and MI provides such a criterion for voxel selection.

The role of multiplicative scaling in increasing the precision of population codes is relatively straightforward: it increases the mean dynamic range of responses to the feature set, thereby increasing the information content of neural representation (Butts and Goldman 2006; Doya et al. 2007). However, the role of additive scaling is not immediately apparent. From an information-theoretic perspective, a uniform translation of a tuning function (without any other accompanying changes in signal characteristics) should not affect the coding precision of that tuning function (Cover and Thomas 1991). Neuronal noise in visual cortex is typically thought to be nearly Poisson in nature (Averbeck et al. 2006; Shadlen and Newsome 1994). This implies that if there was a feature-nonspecific increase in signal (additive scaling), noise would not increase proportionately ($\Delta \text{Noise} \propto \Delta \text{V/Signal}$), leading to an increase in the SNR of individual responses (Mitchell et al. 2007). However, there is a disconnect when analyzing the SNR of single responses and the MI of population response profiles. The MI of a tuning curve, whether neural or voxel-based, depends not only on the noise characteristics of single responses (noise entropy) but also on the mean dynamic range of responses (total entropy; see METHODS). Thus a pure additive scaling that increases the SNR of single-unit responses would ultimately increase the noise entropy without increasing the mean dynamic range (yielding no net improvement in information content). On the other hand, multiplicative scaling of tuning curves would simultaneously increase the mean dynamic range of responses and increase the noise in responses, the benefit of the former outweighing the detriment of the latter.

When comparing Figs. 8 and 9, the observed increase in MI with attention within high-MI voxels seems almost equally well correlated with additive scaling as it is with multiplicative
scaling. However, it is unlikely that additive scaling caused the observed attention-related increase in MI on theoretical grounds (see preceding text) and because there was no attention-related increase in the information content of the lowest-MI voxels, even though these same voxels showed significant additive scaling (compare Figs. 8 and 9 and Supplemental Figs. S12 and S13). Thus additive scaling alone is not sufficient to induce a relative increase in MI with attention. Instead, the ratio of attended-to-unattended MI does not go \(>1\) until multiplicative gain becomes evident in the higher-MI voxels (toward the left-hand side of Fig. 9). Therefore the observed increase in MI is more likely related to multiplicative scaling as opposed to additive scaling and our data do not appear to shed light on the functional role of additive scaling in influencing the information content of population codes per se.

MI possesses the property that it is directly proportional to the amplitude, or the multiplicative scaling parameter, of the VTFs. However, even though we observed a multiplicative scaling that accompanied an increase in MI with attention, we cannot conclude that the increase in MI was entirely due to the multiplicative scaling of the tuning function. First, the noise entropy component \(H(B|\Theta)\) of MI can also independently influence the overall value of MI, so it is possible that part of the increase in MI is related to an attention-related reduction in trial-by-trial noise within single units, as well as an attention-related decorrelation across neurons on a within-trial basis (Cohen and Maunsell 2009; Mitchell et al. 2007, 2009). Since we cannot make precise measurements of neural noise using our methodology, we cannot separate the proportion of MI attributable to an increase in total entropy with multiplicative scaling and the proportion attributable to changes in noise entropy. Second, Connor et al. (1996, 1997) showed that spatial attention can shift the spatial receptive field of neurons toward a relevant stimulus, effectively increasing the number of responsive cells (Hamker et al. 2008; Womelsdorf et al. 2006, 2008). Given certain conditions, such as when opposite-tuned neurons are correlated, an increase in the number of responsive neurons can increase the quality of encoding (Abbott and Dayan 1999; Shamir and Sompolinsky 2006). Thus although multiplicative gain is one factor that should increase MI, noise decorrelation and shifting of spatial receptive fields may play an important role as well.

A source of continuing controversy regards the nature of attentional modulation of contrast response functions (CRFs; e.g., Reynolds and Heeger 2009). Based on our results, our assertion that spatial attention induces both multiplicative scaling and additive scaling seems to be in direct conflict with previous studies that found only additive scaling of the CRF (Buracas and Boynton 2007). One might also interpret multiplicative scaling in VTFs to be evidence that spatial attention induces response gain or activity gain on the CRF (Williford 2006). However, the present experiment was conducted at a single-contrast level and, even though we found a significant multiplicative scaling, we cannot determine whether the magnitude of this multiplicative scaling remains constant across all contrast levels. If it remains constant or increases, then a response gain of the CRF would be expected; otherwise, either an additive gain, activity gain, or a contrast gain of the CRF might be induced, depending on the exact nature of the relationship between multiplicative scaling and contrast (and other factors as well, such as the relationship between stimulus size and the size of neural receptive fields; see Reynolds and Heeger 2009). Thus our results do not directly address this issue and further experiments will be required to specify the exact relationship between attentional gain at the level of VTFs and attentional modulations in CRFs.

**General conclusions**

Here, we provide evidence that spatial attention improves the information content of population responses by inducing multiplicative scaling of population response profiles, hitherto undocumented in human visual cortex. This multiplicative scaling should theoretically improve the encoding precision of population codes that represent the features of a relevant stimulus and our data provide empirical support for this role of spatial attention in perception.

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**DISCLOSURES**

No conflicts of interest, financial or otherwise, are declared by the author(s).

**REFERENCES**


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