Orientation Tuning of Input Conductance, Excitation, and Inhibition in Cat Primary Visual Cortex

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Received 10 January 2000; accepted in final form 5 May 2000

Anderson, Jeffrey S., Matteo Carandini, and David Ferster. Orientation tuning of input conductance, excitation, and inhibition in cat primary visual cortex. J Neurophysiol 84: 909-926, 2000. The input conductance of cells in the cat primary visual cortex (V1) has been shown recently to grow substantially during visual stimulation. Because increasing conductance can have a divisive effect on the synaptic input, theoretical proposals have ascribed to it specific functions. According to the veto model, conductance increases would serve to sharpen orientation tuning by increasing most at off-optimal orientations. According to the normalization model, conductance increases would control the cell’s gain, by being independent of stimulus orientation and by growing with stimulus contrast. We set out to test these proposals and to determine the visual properties and possible synaptic origin of the conductance increases. We recorded the membrane potential of cat V1 cells while injecting steady currents and presenting drifting grating patterns of varying contrast and orientation. Input conductance grew with stimulus contrast by 20–300%, generally more in simple cells (40–300%) than in complex cells (20–120%), and in simple cells was strongly modulated in time. Conductance was invariably maximal for stimuli of the preferred orientation (Fig. 1C). Input conductance would then play an important role in sharpening the orientation tuning of V1 cells. The contrast normalization model (Carandini et al. 1997, 1999; Heeger 1992) posits that conductance should also grow with visual stimulation, but in a manner that is independent of stimulus orientation (Fig. 1B). In this view, the input conductance would provide a gain-control mechanism that decreases the responsivity of the cells at high stimulus contrast.

Large increases in input conductance (up to 300%) were demonstrated in cortical neurons as long as 30 years ago (Dreifuss et al. 1969), both after electrical stimulation of the cortical surface and after iontophoretic application of GABA. Early measurements of input conductance during optimal visual stimulation, even with stimuli of optimal orientation, resulted in substantially lower estimates (Berman et al. 1991; Carandini and Ferster 1997; Douglas et al. 1988; Ferster and Jagadeesh 1992; Pei et al. 1991). More recently, however, large visually evoked conductance increases have been reported (Borg-Graham et al. 1998; Hirsch et al. 1998). We have therefore recorded intracellularly from simple and complex cells in cat V1 while stimulating with drifting gratings and made precise measurements of the orientation tuning and contrast response of visually evoked changes in conductance.

We found, as did Borg-Graham et al. (1998) and Hirsch et al. (1998), that input conductance grows by 20–300% with stimulus contrast and can show substantial temporal modulation during the responses to optimal drifting gratings. Moreover we found the input conductance of all cells to vary with the orientation of the drifting gratings, with the maximal conductance occurring in response to stimuli of the preferred orientation (Fig. 1C). Our results therefore run opposite to what would be predicted by the veto theory. Our results are also at odds with a key aspect of the contrast normalization model: while conductance increases could provide the cells with a divisive gain control mechanism, this mechanism would be orientation selective and thus not depend purely on visual

INTRODUCTION

One of the properties that most profoundly affects the computation performed by a neuron is its input conductance. If the input conductance remains substantially constant, the neuron integrates its synaptic inputs linearly with excitation providing an additive term and inhibition providing a subtractive term. By contrast, increases in input conductance have a divisive effect on synaptic inputs and thus introduce a nonlinearity into the neuron’s computation. In the primary visual cortex (V1), the input conductance has been invoked explicitly by two different models of cortical function. In their veto model, Koch and Poggio (1985) proposed that a cell’s conductance should be highest for the orientations that are most different from the cell’s preferred orientation (Fig. 1A). Input conductance would then play an important role in sharpening the orientation tuning of V1 cells. The contrast normalization model (Carandini et al. 1997, 1999; Heeger 1992) posits that conductance should also grow with visual stimulation, but in a manner that is independent of stimulus orientation (Fig. 1B). In this view, the input conductance would provide a gain-control mechanism that decreases the responsivity of the cells at high stimulus contrast.

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Visual stimuli consisted of drifting sine-wave gratings displayed on a Tektronix 608 oscilloscope screen using a Picasso stimulus generator (Innisfree, Cambridge, MA). The peak contrast used was 64% and the mean luminance was 20 cd/m². Stimuli lasted 4 s. The spatial frequency, drift rate, and spatial position of the gratings were optimized under computer control. An orientation of 0° corresponds to a vertical grating moving to the right; an orientation of 90° corresponds to a horizontal grating moving downward.

Intracellular recording

Whole cell patch recordings were obtained from neurons of area 17 of the visual cortex using the technique developed for brain slices by Blanton et al. (1989). Electrodes were filled with a K⁺-glucuronate solution including Ca²⁺ buffers, pH buffers, and cyclic nucleotides as described by Spruston et al. (1995). Membrane potentials, recorded with an Axoclamp amplifier (Axon Instruments, Burlingame, CA) in current-clamp (bridge) mode, were low-pass filtered and digitized at 4 kHz (visually evoked records) or 15 kHz (electrically evoked records). To compensate for junction potentials (Neher 1992), an electrode was placed in a bath of artificial cerebrospinal fluid (ACSF), which was gradually replaced with a solution that more resembled intracellular ionic concentrations. The resulting 10-mV change in measured potential was subtracted from all recordings. Electrical stimuli to the lateral geniculate nucleus (LGN) consisted of 1.0-mA pulses, 200 ms in duration, electrode negative.

Cells were classified as simple or complex on the basis of the presence or absence of ON and OFF subregions in the receptive field and by the ratio of mean to modulation of the membrane potential response to drifting gratings optimized for orientation, spatial frequency, and drift frequency (Carandini and Ferster 2000; Skottun et al. 1991). Modulation is computed as twice the amplitude of the response component at the frequency of the drifting grating (1, 2, or 4 Hz).

Compensation for electrode resistance

The capacitance and resistance (4–15 MΩ) of the electrodes were easily neutralized before patching a cell. When a patch was obtained, however, the electrode resistance \( R_e \) increased dramatically. The resistance of the electrode after the patch is formed is also known as the access or series resistance, and its value must be properly neutralized to measure input conductance accurately. To this end, we employed a series of three methods, one qualitative, performed during the recording, and the other two quantitative, performed off-line.

To measure electrode resistance by eye, –100-pA current pulses were injected into the cell. In the standard method, the faster decay component in the response, reflecting the electrode’s time constant, is then distinguished from the slower component, reflecting the cell’s time constant. The amplifier bridge is then balanced to neutralize the electrode component for the purposes of recording. This method gives only an approximate value for series resistance, however, given the similarity of the time constants of the two components of in vivo patch recordings.

The first quantitative method for estimating the electrode resistance was based on off-line fitting of the responses to current pulses of several different amplitudes. We injected a series of current steps periodically throughout the course of a recording, and we fitted them with the predictions of a simple model. In the model, we considered the patched electrode and the cell membrane to be simple resistor-capacitor circuits arranged in series. The response \( V(t) \) of such a model to a step of injected current \( I_{inj} \) is given by a double exponential

\[
V(t)I_{inj} = R_e[1 - \exp(-t/\tau_e)] + R_m[1 - \exp(-t/\tau_m)]
\]

where \( R_e \) and \( \tau_e \) are the resistance and time constant of the patched electrode, and \( R_m \) and \( \tau_m \) are the resistance and time constant of the
cell membrane. The model was fitted to the responses to a series of current pulses, usually 40 pulses of eight different amplitudes ranging from -0.3 to 0.2 nA presented at 1–2 Hz, with each pulse lasting about 100 ms. The total resistance \( R_e + R_m \) was calculated from the average potential reached at steady state (after 100 ms), and the remaining three parameters, \( R_e, \tau_m, \) and \( \tau_v, \) were estimated by least square fitting of Eq. 1 to the data.

This estimation is illustrated in Fig. 2, A–D. The responses to each current pulse (A) were divided by the injected current, and the resulting responses (B) were fitted with Eq. 1. In every case a clear minimum in the error function was found. An example is illustrated in C, which shows the error corresponding to each pair of values \( R_e \) and \( \tau_m, \) and to the corresponding best estimate of \( \tau_v. \) The estimated contribution \( I_{inj} R_e \) of the electrode to the recorded potential was then subtracted from the traces to yield the estimated true membrane potential response (D). Because the main measurements in this study were obtained with steady current injections, we did not need to further compensate for the electrode time constant.

The reliability of these estimates was assessed in two ways. First, we applied the fitting procedure to simulated data obtained from Eq. 1 with added noise. We found the estimated parameters to be accurate to within 0.5% of the correct values. Second, we performed each fitting procedure on 500 randomly selected subsets of the current pulses from a single complete set (Efron and Tibshirani 1993). The resulting 95% confidence intervals for the estimated parameters were between 2 and 10% for resistance values and less than 1% for time constants.

The second quantitative method for estimating the electrode resistance was based on the assumption that the threshold for action potential generation \( V_{thr} \) should be largely independent of the injected current \( I_{inj}. \) This assumption is justified because our injected current was constant (Koch 1999). Any effect of injected current on the measured threshold should then be ascribed to the electrode resistance.

The application of this technique is illustrated in Fig. 2, E–H. After \( R_e \) had been neutralized according to the double exponential fitting technique, we compared spike thresholds, taken to be the minimum potential at which a spike was generated, at different \( I_{inj} \) (E–G). On the assumption that the actual \( V_{thr} \) was unchanged by current injection, any apparent change in \( V_{thr} \) would represent a resistive component in the patch electrode that had not been properly neutralized. Even though these potentials had been corrected for \( R_e \) as calculated from the double exponential fitting procedure, the measured threshold varied with the injected current. A linear fit to the relationship between \( V_{thr} \) and \( I_{inj} \) yields \( R_e, \) the difference between the values of \( R_e \) obtained from the exponential fitting and threshold estimation techniques (H).

The two independent methods used to estimate \( R_e \) were in close agreement (within 15%) for all cells, close to the level of precision estimated for the two techniques. The values for the electrode and membrane resistance \( R_e \) and \( R_m \) estimated from the exponential fitting technique, as well as the residual electrode resistance \( R_e \) obtained from the threshold estimation technique are reported in Table 1 for all cells tested with visual stimuli. Final values of \( R_e \) were taken to be the mean of the values obtained from the two techniques. Changes in \( R_e \) were tracked over the course of a recording. Values were linearly interpolated over time between measurements and applied to individual records of visually evoked responses. Drifts in \( R_e \) were always less than 10% in amplitude.

**Tuning curves**

On various occasions we consider the orientation tuning curves of various measures of cell responses, such as membrane potential or input conductance. The amplitudes of these responses as a function of orientation were fit with a simple function consisting of a sum of two Gaussians. The two Gaussians are forced to peak at 180° apart, and to have the same width \( \sigma: \)

\[
f(O) = \Psi_0 + \Psi_1 e^{-180°-O(2\pi/180°)} + \Psi_2 e^{-180°+O(2\pi/180°)}
\]

In the above expression, \( O \) is the stimulus orientation, and angular brackets indicate orientation values between -180 and 180°. The function has five parameters: the preferred orientation \( O_p, \) the response at the preferred orientation \( \Psi_p, \) the response at 180° from the preferred orientation \( \Psi_o \) (which would represent a grating of the same orientation as the preferred but with nonpreferred direction), the response in the absence of visual stimuli \( \Psi_o, \) and the tuning width \( \sigma \) (Carandini and Ferster 2000).

**Bootstrap estimates for conductance**

To assess the reliability of conductance measurements, we used the bootstrap method (Efron and Tibshirani 1993). We randomly selected 1,000 subsets (with repetition allowed) of the traces used to calculate input conductance. Each subset contained the same number of elements as the total number of traces used to calculate input conductance. Subsets were required to contain traces representing at least three different levels of injected current. For each subset, the data at each point in time were fit to a line (Eq. 3) to obtain values of \( g(t). \) To construct 95% confidence intervals, the 2.5 and 97.5 percentiles were selected from the 1,000 values for \( g(t) \) at each point in time.

**Results**

We report here on data from 24 cells selected from a total of 49 that were recorded with multiple injected currents. These cells met or exceeded the following minimal requirements: that their visual response properties were well characterized (orientation, spatial frequency, and temporal frequency preferences); that they had action potentials greater than 10 mV in amplitude; (spikes are often of smaller amplitude for in vivo whole cell recordings than in sharp microelec trode recordings due to filtering by higher electrode resistances); that their

**Fig. 2.** Techniques used to estimate and compensate for the electrode resistance. A: Recorded response to a current pulse (0.1 nA, average of 3 traces). B: detail of the response with fit provided by model in Eq. 1 (---). C: mean square error in fit for different values of electrode resistance and time constant. D: response to the current pulse after subtraction of the estimated electrode contribution \( I_{inj} R_e. \) E–G: spikes recorded while injecting different steady currents \( I_{inj}. \) Potentials have been corrected for \( R_e \) obtained from the double-exponential fitting technique. H: minimum spike thresholds as a function of the injected current \( I_{inj}. \) Error bars indicate 1 SE across stimulus presentations. Line represents best linear fit through the points. The slope of this line most likely reflects a residual component \( R_e \) of the electrode resistance that was not properly neutralized by exponential fitting method. Cell 16.
access resistance was less than 200 MΩ, and that we were able to record the responses to a complete set of visual or electrical stimuli for at least three different injected currents (including the 0-current condition). Fourteen of the 23 cells (9 simple, 5 complex) were tested with current injection paired with visual stimulation. A summary of the properties of these cells is given in Table 1. Eleven of the 24 cells (3 simple, 8 complex) were tested with current injection paired with electrical stimulation in the LGN. One cell was tested with both visual and electrical stimulation.

Visually evoked responses of one simple cell are illustrated in Fig. 3. The visual stimulus was a drifting sinusoidal grating optimized for orientation, spatial frequency, and drift rate. These responses are in line with previous observations (Jagadeesh et al. 1993): the 1% contrast grating (top) did not evoke any noticeable response, whereas the 64% contrast grating (bottom) evoked approximately sinusoidal membrane potential modulations, with action potentials rising from the peaks. These modulations had the same frequency as the drift rate of the stimulus, and resulted in a spike train that was strongly modulated at the same frequency. Injecting negative (−300 pA, left) or positive (140 pA, right) steady currents during the stimulus presentation had the predictable effect of hyperpolarizing or depolarizing the membrane. The current-induced changes in membrane potential were greater during the low-contrast stimulus (top) than during the high-contrast stimulus (bottom). This difference indicates a decrease in conductance at high contrasts. Differences like these form the basis for quantitative measurements of visually evoked conductance changes.

**Measurement of input conductance**

The effect of current injection on the membrane potential is more evident in Fig. 4B, where responses were averaged cycle by cycle and low-pass filtered. The thick traces show the membrane potential responses in the absence of current injection and the thin traces above and below them indicate the responses in the presence of positive and negative injected current. As in the individual traces, the vertical distance between the averaged traces is larger for the low-contrast stimulus than it is for the high-contrast stimulus. To quantify this

![FIG. 3. Responses of a simple cell during visual stimulation and steady current injection. The visual stimulus was a drifting sinusoidal grating optimized for orientation, spatial frequency, and drift rate. The different panels show responses to 2 stimulus contrasts (1%, top and 64%, bottom), and 3 steady current injections (left to right: −300, 0 and 140 pA), and the resting membrane potential V_{m,rest} in the absence of current injection. The first 2 s of the responses are shown here (stimuli lasted 4 s). Cell 8.](Image)

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**Table 1. Summary of the properties of the cells in this study**

<table>
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<tr>
<th>Cell</th>
<th>Type</th>
<th>Parameter</th>
<th>$V_{m,rest}$ mV</th>
<th>$V_{m,init}$ mV</th>
<th>$\tau_m$ ms</th>
<th>$R_{m,init}$ MΩ</th>
<th>$R_{m,init}$ MΩ</th>
<th>$R_e$ MΩ</th>
<th>$R_e$ MΩ</th>
<th>$\Delta g, %$</th>
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<td>Orientation</td>
<td>−73</td>
<td>−68</td>
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<td>10</td>
<td>83</td>
<td>3</td>
<td>140</td>
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<tr>
<td>2</td>
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<td>Orientation</td>
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<td>−65</td>
<td>19.7</td>
<td>57</td>
<td>2.3</td>
<td>83</td>
<td>3</td>
<td>282</td>
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<td>Orientation</td>
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<td>−54</td>
<td>15.2</td>
<td>85</td>
<td>−3</td>
<td>94</td>
<td>3</td>
<td>89</td>
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<tr>
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<td>Orientation</td>
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<td>−58</td>
<td>15.2</td>
<td>85</td>
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<td>94</td>
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<td>−54</td>
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<td>Contrast</td>
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<td>72</td>
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<td>160</td>
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<td>64</td>
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</table>

- Parameter indicates the stimulus parameter that was varied to measure the effects of visual stimulation on input conductance. $V_{m,rest}$ is the mean membrane potential when stimulus is a blank screen (for orientation experiments) or a 1% contrast grating (for contrast experiments). $V_{m,init}$ is the threshold of the action potential. $\tau_m$ is the membrane time constant. $R_{m,init}$ is the input resistance. $R_e$ is the residual access resistance (after balancing the bridge online and performing double-exponential fit) estimated from the spike thresholds. $R_e$ represents the electrode resistance. No. of currents lists how many different injected current levels were used for each analysis. The last column indicates the maximum percentage conductance increase over baseline obtained in response to visual stimuli.

*For cell 6, the bridge was balanced using the spike threshold technique only.*
is acting approximately linearly. In this range of potentials and signal frequencies the membrane dotted curves with the continuous curves. The fits exhibit some of these predictions can be judged in Fig. 4.

To assess the time course of changes in input conductance, we calculated a fit to Eq. 3 at each time, \( t \), in the stimulus cycle. An estimate of the quality of these fits can be obtained by constructing a series of linear predictions for the potential in the presence of injected currents. That is, for each injected current and at each moment in time, we predicted the membrane potential from the corresponding fit to Eq. 3.

The reliability of the measurements

The value of these observations on the input conductance depends, of course, on the reliability of our measurements. To measure this reliability we computed 95% confidence intervals for the conductance, obtained from bootstrap estimates of the slope of the lines relating \( I_{\text{inj}} \) and \( V \), such as those in D. These confidence intervals are indicated by the gray areas around the conductance traces in C and around the fitted lines in D. The gray areas are quite small even in the face of substantial spread in the membrane potential distributions, and indicate that we can trust our estimation of the input conductance.

Another important issue is whether the linear model described in Eq. 3 provided satisfactory fits in the tested range of membrane potentials. As described in the preceding text, the quality of the fits can be observed directly in Fig. 4B, where the membrane potentials predicted by the model are compared with the actual recorded membrane potentials. It can also be estimated statistically by comparing the actual membrane potential to the predicted membrane potential for the entire data set obtained from this cell. The density plot in Fig. 5 summarizes 9,408 data points, as in this data set there were 12 samples per stimulus cycle, (after low-pass filtering), 16 cycles per stimulus, seven stimulus contrasts, and seven presentations of the stimulus set (3 with \( I_{\text{inj}} = -300 \) pA, 2 with \( I_{\text{inj}} = 0 \) pA and 2 with \( I_{\text{inj}} = 140 \) pA). The horizontal streaks result from the trial-to-trial variability in the actual responses for a given stimulus condition. Overall, the linear model (Eq. 3) accounted for 85% of the variance in this data set. A comparable degree of accuracy was common in our sample (77 ± 44% of the variance; mean ± SE).

An accurate prediction of membrane potential responses by Eq. 3 requires that the omitted capacitative term, \( C \cdot \frac{dV}{dt} \), be small. This term is required for a mathematically exact description of the changes in membrane potential. In the case of visually evoked responses, however, \( dV/dt \) is negligible (1,000 times smaller than it is during action potentials, for example). We found that including the \( C \cdot \frac{dV}{dt} \) term changed the predicted membrane potentials by less than 2%.

Considering the nonlinearities that exist in cortical cells,
such as voltage-dependent channels (Koch 1999), this performance may be considered surprising. Part of the explanation may lie in our having chosen mostly small, negative injected currents, a choice that was made expressly to minimize the activation of voltage dependent conductances at depolarized potentials. Indeed, while Fig. 5 shows that the model did not perform worse at high values of the membrane potential than at low values, it may be that forcing the potential much above threshold by using larger positive injected currents would have revealed substantial nonlinearities.

Contrast dependence of conductance changes

Having established a method for estimating the conductance at each point in time during a stimulus, we can now measure the dependence of visually evoked changes in conductance on stimulus parameters such as orientation and contrast. The dependence of input conductance on contrast for the cell in Fig. 4, as well as for four other simple cells, is illustrated in Fig. 6. To quantify the changes in input conductance observed during visual stimulation, we have focused on two measures. The first is the mean conductance, and the second is the modulation of the conductance, which is taken to be twice the amplitude of the Fourier component of the response at the frequency of the drifting grating. Thus for a sinusoidal response, modulation represents the peak-to-peak amplitude of the response. These two measures are commonly used to characterize the firing rate responses (e.g., Movshon et al. 1978) and the membrane potential responses (Carandini and Ferster 1997, 2000) of simple cells to drifting gratings. Both mean and modulation of the input conductance are shown in Fig. 6C, and both of them increase in all cells as a function of stimulus contrast.

These increases in mean and modulation of the input conductance are similar but not identical to concurrent increases in the firing rate and membrane potential responses (Fig. 6, A and B). For example, in the cell from Fig. 4 (Fig. 6, 4th column), contrasts as high as 17% elicited substantial firing rate and membrane potential responses, but did not elicit a significant conductance increase. The two highest contrasts, 34 and 64%, elicited very similar membrane potential (and firing rate) responses but different conductance increases.

Complex cells also showed increases in conductance with visual stimulation; these increases, however, were a third to a half the size of conductance increases seen in simple cells (See Table 1 for comparison of maximal conductance increases). The increase in conductance for a complex cell is illustrated for different stimulus contrasts in Fig. 7. As with the simple cell in Fig. 4, conductance grew with visual stimulation, particularly once the contrast reached 17%. Like the membrane potential (Carandini and Ferster 2000), the average input conductance of the complex cell was essentially constant over the stimulus cycle. The maximal conductance increase was 64% from a baseline of 12.1 nS to a peak of 19.8 nS at 64% contrast.

Orientation tuning of the conductance changes

Up to now we have considered only the conductance changes evoked by gratings of the preferred orientation and direction of motion. We have seen that input conductance grows with stimulus contrast, but we have not determined whether it depends on other stimulus attributes. Now we report on our main result, that conductance changes are tuned for...
stimulus orientation: stimuli having a cell’s preferred orientation, as defined by changes in membrane potential, elicit maximal conductance increases.

Examples of our results with stimuli of different orientations are illustrated for a simple cell in Fig. 8. The firing rate responses (A) and membrane potential responses (B) of the cell were tuned for orientations of approximately 120° and 300°, which correspond to identical orientations but opposite directions of motion. The firing rate responses of the cell exhibited clear direction selectivity, being much stronger for stimuli drifting at 120° than for stimuli drifting at 300°. A glance at the cycle averages of the input conductance for each orientation (C) reveals the following two observations. First, at all orientations the conductance was higher than at rest (far left and ... in all panels). Second, the conductance increases were tuned for orientation and were strongest at the same orientations at which the firing rate and membrane potential responses were maximal.

Results from another simple cell are illustrated in Fig. 9. This cell was not particularly selective for stimulus direction and was tuned for orientations around 75°. The input conductance was similarly tuned and was substantially modulated over time. The timing of this modulation in input conductance was opposite to that of the firing rate and membrane potential responses: The maximal conductance consistently occurred during the trough of these responses. Other simple cells in our population showed similar behavior in that the maximum conductance was not simultaneous with the peaks in potential or in firing rate. Thus the conductance increases that we observe are unlikely to be related to the cell’s approaching or reaching the threshold for action potential generation.

More generally, there was no simple relation between the input conductance of a simple cell and its membrane potential. For the cells in Figs. 4 and 9, the conductance consistently peaked at very different times than the membrane potential response. For the cell in Fig. 8, responses at preferred and nonpreferred orientations had similar mean values for membrane potential but nonoverlapping ranges for input conductance. In some simple cells, the membrane potential obtained with blank stimuli and with gratings drifting at nonpreferred orientations were quite similar, whereas conductance was sig-
significantly lower for recordings during blank stimuli. These considerations suggest that the observed changes in input conductance were not simply caused by intrinsic voltage-dependent channels in the membrane.

The orientation tuning of input conductance in simple cells was similar to that of the membrane potential. This similarity can be observed for seven simple cells in Fig. 10, where the tuning curves for conductance (C and F) are shown together with those for the firing rate (A and D) and membrane potential (B and E). Two components of the conductance changes are shown, the mean value (C and F; ○) and the size of the modulation in time (C and F; ●).

The tuning curves for the cell in Fig. 8 (cell 4) are among those illustrated in Fig. 10. In this cell the presence of a drifting grating elevated the mean input conductance (○) from a resting value of 10 nS to average values of about 16 nS for nonpreferred orientations and 29 nS for preferred orientations. Input conductance modulation (●) varied more than 10-fold with orientation, from around 0.4 to 10 nS peak to peak. The orientation tuning of the input conductance was very similar to that of the membrane potential. In contrast, the orientation tuning of the spike rate was significantly narrower (Carandini and Ferster 2000).

Analogous observations can be made for the cell in Fig. 9, whose orientation tuning is also illustrated in Fig. 10 (cell 6): in this cell the stimulus-driven increase in mean input conductance was not tuned, but the modulation in input conductance was clearly tuned. As with the previous cell, the modulation of input conductance peaked at the cell’s preferred orientation.

Similar results apply to all remaining cells in Fig. 10: one or both components of the input conductance—mean and modulation—were well tuned for orientation. In cells 1 and 6, the mean component was not tuned for stimulus orientation, but the modulation component was strong and well tuned. In cells 2 and 7, the situation was reversed, where the modulation component was almost negligible, but the mean component was strong and well tuned. In the remaining cells, both the mean and the modulation of the input conductance were well tuned for orientation.

The input conductance increases were also tuned for orientation in complex cells. As with simple cells, complex cells exhibited maximal conductance increases at the preferred orientation. In the cell in Fig. 11, for example, conductance increases of up to 60% were observed around the preferred orientation, which was between 270 and 300°. For the remaining orientations, conductance values were generally at or around baseline. Exceptions were common, however, such as occurs for this cell at 30°, which is roughly orthogonal to the preferred orientation. Whether or not these isolated increases in conductance at nonpreferred orientations are significant is somewhat difficult to determine because in complex cells the membrane potential traces and the associated conductance values were much more variable than in simple cells. The confidence limits in Fig. 11 are correspondingly larger in absolute terms than they are in Figs. 8 and 9, and the confidence limits for the trace at 30° nearly overlap with those at adjacent orientations. Figure 12 shows tuning curves of conductance, membrane potential and spike rate for this cell (2nd column) and for three additional complex cells.

To compare the orientation tuning of membrane potential and input conductance, we fitted the tuning curves in Fig. 10 with the descriptive function of Eq. 2 (METHODS). This function is the sum of two Gaussians that can have different heights but are constrained to peak 180° apart and to have identical widths. To minimize the number of tuning parameters, some constraints were imposed on the fits. First, the mean and modulation of the input conductance were fitted together, forcing them to peak at the same orientations and have the same tuning width. Second, the mean and modulation of the membrane potential were similarly fitted together. Third, the fits of the firing rate responses were obtained by requiring that they peak at the same orientation as the membrane potential responses.

**FIG. 9.** Input conductance at different orientations for another simple cell. Format as in Fig. 8. Cell 6.
These requirements simplify the following analysis without significantly reducing the quality of the fits. Inspection of Fig. 10 reveals that the fits (—) closely approximate the data for simple cells. By contrast, the data from complex cells (not shown) were more noisy, and the fits were less satisfactory.

Preferred orientation and tuning widths derived from the tuning curves of Fig. 10 are compared in Fig. 13. The preferred orientation for the input conductance ($A$) was always close to the preferred orientation for the potential: the two differed in 7 of the 11 cells by less than $10^\circ$, and in all cells by less than $30^\circ$. Similarly, the tuning widths of the conductance increases were not significantly different from those of the membrane potential responses ($B$). For simple cells, the half-width at half-height of the functions fitted to the firing rate, membrane potential, and input conductance were $16.9 \pm 2.6^\circ$, $28.8 \pm 4.2^\circ$, and $25^\circ \pm 2.2^\circ (n = 7)$. For complex cells, tuning width for firing rate, mean potential, and mean input conductance were $14.8^\circ \pm 4.1^\circ$, $18.6 \pm 3.8^\circ$, $17.8 \pm 4.4^\circ (n = 4)$. The narrower tuning width for firing rate can be easily explained by the presence of the spike threshold (Carandini and Ferster 2000; Chung and Ferster 1998).

**Distinguishing excitation and inhibition**

We have seen that visual stimulation can substantially increase the conductance of cortical neurons and that these conductance increases are not explained by membrane nonlinearities such as those involved in the generation of action potentials.
potentials. What is the source of these conductance increases? The simplest explanation is that they are largely a consequence of increased synaptic activity. If this explanation were correct, it would be useful to determine how much of this synaptic conductance was excitatory and how much inhibitory.

On this assumption, we have attempted to derive from our data the time course and tuning of the excitatory and inhibitory synaptic inputs. We consider each neuron to have three conductances: an excitatory synaptic conductance $g_e(t)$, an inhibitory synaptic conductance $g_i(t)$, and a constant resting conductance $g_{rest}$. The sum of the three conductances is the total conductance

$$g(t) = g_e(t) + g_i(t) + g_{rest}$$

where the synaptic conductances are expressed relative to their value in the absence of visual stimulation. That is, in the absence of stimulation, we take the total conductance to be equal to the resting conductance, and the synaptic conductances to be zero.

Given Eq. 4, the visually driven membrane potential depends on the conductances as follows

$$V_{visual}(t) = [g_e(t)V_e + g_i(t)V_i + g_{rest}]g(t)$$

where $V_e$ and $V_i$ are the equilibrium potentials for excitatory and inhibitory synaptic conductances.

We find the excitatory and inhibitory synaptic conductances, $g_e(t)$ and $g_i(t)$, by solving Eqs. 4 and 5. We set $V_e = 0$ mV and $V_i = -85$ mV. The latter is intermediate between the equilibrium potentials of GABA_A and GABA_B inhibitory channels. The remaining parameters in Eqs. 4 and 5 are known from the analysis described in the first part of the paper: $V_{rest}$ is obtained from the membrane potential recordings without injected current, and $g_{rest}$, $g(t)$, and $V_{visual}(t)$ are obtained by fitting the plot of membrane potential versus injected current with a line as described in Eq. 3. Equations 4 and 5 are thus a system of two

FIG. 11. Conductance changes as a function of stimulus orientation in a complex cell. Format as in Fig. 8. Cell 11.

FIG. 12. Orientation tuning of the firing rate, of the membrane potential, and of the input conductance for 4 complex cells. A: spike responses. B: membrane potential responses. C: input conductance responses (only mean values are shown).

FIG. 13. Summary of the preferred orientations and tuning widths for the membrane potential and input conductance of the 11 cells measured with different orientations. A: difference in preferred orientation for the membrane potential and the input conductance. B: the half-width at half-height of tuning curves fitted to modulation (simple cells, ○) and mean (complex cells, □) of conductance ($g$) and membrane potential ($V_m$).
equations in two unknowns, \( g_e(t) \) and \( g_i(t) \), which can be solved at each point in time with simple linear methods.

As a validation of our methods, we first attempted to distinguish excitatory and inhibitory conductance changes evoked not by visual stimuli, but by electrical stimulation of the LGN because the conductance changes evoked by electrical stimuli are relatively well understood. An example of our results, obtained from a complex cell, is illustrated in Fig. 14. For this analysis, 10–100 responses to LGN shocks were averaged for each of 21 different injected currents. Figure 14, left, shows baseline recordings (without stimulation) and derived conductances. Figure 14, middle and right, shows the responses at two different time scales.

The excitatory and inhibitory conductance changes shown in C and D conform well to what one would expect from the response to electrical stimulation (e.g., Douglas et al. 1991a; Dreifuss et al. 1969; Pei et al. 1991). The excitatory conductance began rising 3–4 ms after the shock, reached its peak by 11 ms, decayed to its baseline value by 25 ms, and dropped below the baseline value for about 300 ms. Inhibitory conductance began to rise about 2–5 ms following the initial increase of the excitatory conductance, peaked at about 18–20 ms, and showed a very slow withdrawal, lasting about 300 ms, before returning to baseline values. The decay of the inhibitory conductance appeared to show two components, a fast component (left arrow) and a slow component (right arrow), which may represent GABA\(_A\) and GABA\(_B\) components of the inhibitory response (Douglas et al. 1991a). Note that the long-lasting drop below baseline of the excitatory conductance occurs in parallel with the rise in inhibition. We attribute this to the concomitant decrease in activity in neighboring cortical cells, many of which presumably excite the recorded cell.

In the cell of Fig. 14, the total conductance rose by about 100% of its resting value, a change that is on the moderately high end of the spectrum of conductance increases we observed in responses to both visual and electrical stimulation in complex cells. The magnitude of conductance changes observed in response to electrical stimulation and the timing of their excitatory and inhibitory components are summarized in Table 2 for the eight complex cells and three simple cells studied.

**Push-pull arrangement of excitation and inhibition**

Having tested its validity with electrical stimuli, we then applied the decomposition method to the visually evoked excitatory and inhibitory conductances of a simple cell (Fig. 15). Figure 15, left, shows responses to blank stimuli, right shows responses to a drifting grating. This cell exhibits a property common to all the simple cells we analyzed: that is, excitatory and inhibitory conductances are modulated in counterphase, such that whenever one increases, the other decreases, and vice versa (Douglas et al. 1991b; Ferster 1988; Ferster and Ja-

### Table 2. Conductance responses to electrical stimulation of the lateral geniculate nucleus

<table>
<thead>
<tr>
<th>Type</th>
<th>n</th>
<th>Max ( \Delta g ) %*</th>
<th>( g_e ) timing, ms</th>
<th>( g_i ) timing, ms</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td>Onset</td>
<td>Peak</td>
</tr>
<tr>
<td>Simple</td>
<td>3</td>
<td>( 140 \pm 80.8 )</td>
<td>1.8 ± 0.1</td>
<td>9.5 ± 0.9</td>
</tr>
<tr>
<td>Complex</td>
<td>8</td>
<td>( 46.3 \pm 11.8 )</td>
<td>3.9 ± 0.2</td>
<td>11.5 ± 0.5</td>
</tr>
</tbody>
</table>

Values are means ± SE. * Max \( \Delta g \) is the maximal percent increase in input conductance over baseline conductance observed in the recordings.
gadeesh 1992; Hegelund 1981; Palmer and Davis 1981). In D and E, the excitatory and inhibitory conductances induced by the stimulus show an approximately $180^\circ$ difference in temporal phase. This difference has the effect of producing a very small modulation in total conductance ($C$) compared with the large modulation in membrane potential ($B$).

Examples of this push-pull arrangement of excitation and inhibition can be observed in the responses of two additional simple cells, displayed in Figs. 16 and 17. Similar to the cell in Fig. 15, these cells showed a push-pull organization in excitation and inhibition for orientations near the preferred. The excitatory and inhibitory conductances, however, were not always in exact counterphase. In the cell of Fig. 16, for example, excitatory and inhibitory components of conductance were in counterphase at an orientation of $270^\circ$, but at the preferred orientation ($90^\circ$) they were only $60^\circ$ out of phase. To compare the difference in phase between excitatory and inhibitory components of conductance, we measured this difference at each orientation for which modulation over time was significant. By averaging these measurements from all of our simple cells, we found the excitatory and inhibitory components were out of phase by an average of $153 \pm 14^\circ$ ($n = 7$).

It should be noted that the excitatory components of conductance do not descend below baseline levels, which supports the view that intracortical inhibition is the dominant or perhaps sole mechanism for generating troughs in membrane potential fluctuations, while withdrawal of baseline thalamic drive plays little or no role (Hirsch et al. 1998).

FIG. 15. Extraction of synaptic excitation and synaptic inhibition. We illustrate the process using 2 responses from a simple cell to blank stimuli (left) and drifting grating stimuli (right). The orientation of the stimulus shown on the right is $45^\circ$. Preferred orientation for cell is $75^\circ$. - - - , resting values. A: spike rate responses. B: membrane potential responses. C: total input conductance. D: variation in excitatory synaptic conductance. E: variation in inhibitory synaptic conductance. Cell 3.

Orientation tuning of excitation and inhibition

Using measurements like those shown in Fig. 16, D and E, one can study the orientation tuning of synaptic excitation and inhibition. In the cell in that figure, both excitatory and inhibitory conductances increased at or near the preferred orientation and were modulated over time as was total conductance. The magnitude of the increase in inhibitory conductance, however, was greater than for excitatory conductance. Therefore the modulation in total conductance was most similar to the modulation in inhibitory conductance, with the peak conductance coinciding with the trough in membrane potential.

Similar measurements for the seven simple cells in our sample are shown in Fig. 18, which shows tuning curves for synaptic excitation and inhibition. The cell in Fig. 16 is illustrated in the bottom right column. Excitatory conductances (A and C) were generally lower in magnitude than inhibitory conductances (B and D). With the exception of cell 2, where the inhibition was mostly tonic, both excitation and inhibition tended to be modulated in time. In the majority of cases, visual stimulation increased the synaptic conductances above baseline. Modulations in synaptic conductances thus were accompanied by increases in mean conductance. As a result, with the exception of cell 6, the mean component for both excitation and inhibition (●) was tuned just like the modulation component (○). Excitation and inhibition were both tuned for orientation but could in some cells be affected by stimuli of all orientations. Only in cells 2 and 5 did stimuli orthogonal to the preferred elicit no increases in excitatory or inhibitory conductance. In the other cells, the tuning curves for the conductances were generally elevated with respect to the values at rest.

The orientation tuning of the excitatory and inhibitory synaptic inputs appears to be very similar. In turn, this orientation tuning is rather similar to that of the membrane potential and of the total conductance (Fig. 10). To compare the preferred orientation and tuning width of excitation and inhibition, we fitted the descriptive tuning curve (Eq. 2) to the mean and modulation of the excitatory and inhibitory conductances. We then compared the parameters of the function with those obtained from fitting the firing rate, the membrane potential, and the input conductance. Comparisons between tuning widths for excitatory conductance, inhibitory conductance, and membrane potential are shown in Fig. 19 for the seven simple cells studied. The tuning widths of excitatory and inhibitory synaptic conductances were not systematically different (A), with a mean difference of only 0.5 ± 1.8° (n = 7). In addition, the tuning widths of the synaptic conductances were in the same range as those of the membrane potential (B): the tuning width of the excitatory synaptic conductance differed from that of the membrane potential by only 3.3 ± 6.4° (n = 7) in simple cells. The tuning width of the inhibitory synaptic conductance differed from that of membrane potential (C) by only 3.2 ± 3.5°.

The close agreement in tuning widths of excitatory and inhibitory conductances that we have measured in Fig. 19 extends previous observations that excitatory and inhibitory conductances...
postsynaptic potentials (EPSPs and IPSPs) have similar orientation preference (Ferster 1986). Although the spacing between orientations in our stimuli was rather coarse (30° for 5 cells, 15° for 1 cell, 10° for 1 cell), tuning widths for all relevant parameters were sufficiently large (i.e., half-width greater than 17°) to adequately constrain a Gaussian fit at our sampling resolution. Our measurements therefore should have been able to detect a systematic difference in tuning width or preferred orientation between excitation and inhibition. The close agreement between excitation and inhibition suggests that intracortical excitation and inhibition originate from cells that are similarly tuned and could explain previous results (Chung and Ferster 1998; Ferster et al. 1996; Nelson et al. 1994) that the orientation tuning of cat V1 simple cells is not significantly sharpened by synaptic inhibition.

**DISCUSSION**

In agreement with Borg-Graham et al. (1998) and Hirsch et al. (1998), we have found that the input conductance of cells in primary visual cortex increases significantly (20–300%) during the presentation of drifting gratings at the preferred orientation. In addition, we have found that these increases in input conductance are well tuned for stimulus orientation and that

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**FIG. 18.** Orientation tuning of excitation and inhibition for 7 simple cells. Error bars represent 1 SE. A and C: tuning of synaptic excitation. B and D: tuning of synaptic inhibition. Symbols indicate mean (○) and modulation (●) of excitatory and inhibitory synaptic conductances at each orientation. Orientation tuning for potential and total conductance for these cells is shown in Fig. 10.

**FIG. 19.** Summary of the tuning widths for the excitatory and inhibitory conductance of the 7 simple cells tested with different orientations. Panels show the half-width at half-height of tuning curves fitted to modulation. A: tuning width of excitatory conductance vs. tuning width of inhibitory conductance. B: tuning width of excitatory conductance vs. tuning width of membrane potential. C: tuning width of inhibitory conductance vs. tuning width of membrane potential.
their preferred orientation and tuning widths are nearly identical to those of the membrane potential responses.

These results argue against both of the models depicted in Fig. 1. The results argue against the veto model (A) because it predicts that a cell’s conductance should be highest for the orientations that are most different from the preferred orientation (Koch and Poggio 1985). The results argue against the normalization model (B) because it predicts that conductance should be independent of stimulus orientation (Carandini and Heeger 1994; Carandini et al. 1997, 1999). The increases in input conductance that we measured do constitute a gain-control mechanism that decreases the responsivity of the cells at high stimulus contrast, but this mechanism is orientation selective and thus does not depend purely on visual contrast.

Measuring input conductance in vivo

While our data agree with recent measurements of visually evoked changes in conductance (Borg-Graham et al. 1998; Hirsch et al. 1998), earlier measurements of input conductance during visual stimulation, even with stimuli of optimal orientation, resulted in lower values. Guided by the large conductance changes observed by Borg-Graham et al. (1998) and Hirsch et al. (1998), we have examined the factors that may have resulted in lower estimates in previous studies. These estimates ranged from a lack of measurable increase (Carandini and Ferster 1997; Douglas et al. 1988; Pei et al. 1991), to 16% (Berman et al. 1991) or 25% (Ferster and Jagadeesh 1992). Most likely, the reasons for the divergence in estimates lie in the differences in methods for visual stimulation and more importantly in differences in estimating the series resistance of the electrodes.

Indeed, the most critical steps in measuring the input resistance from single-electrode, whole cell recordings in vivo is the correct estimation of the electrode’s access, or series resistance. The change in potential evoked by an injected current pulse, which is used to measure input resistance, is equal not to the injected current multiplied by the cell’s input resistance but to the current times the sum of the input and electrode resistances. With in vitro recordings, the components of the response to a current pulse belonging to the electrode and to the cell are easy to distinguish. The electrode and cell time constants are so different that the electrode capacitance has finished charging by the time the membrane capacitance has just begun to do so. It is therefore a simple matter to “balance the bridge” by eye, subtracting out the electrode component and thereby reaching an accurate estimate of the cell’s input resistance.

The situation in vivo is different. The time constant of the electrode is larger in vivo than in vitro. First, the capacitance of the electrode is higher because its shank is embedded in several millimeters of tissue and agar. Second, the resistance of the electrode is increased as its tip passes through many hundreds of micrometers of tissue. The time constant of the electrode therefore approaches that of the cell, making it difficult to distinguish the electrode and cell components of the response to a current pulse, thereby requiring more quantitative methods for “balancing the bridge.” This requirement is most likely the source of the error in our own previous study of conductance (Carandini and Ferster 1997) where we used only the on-line bridge-balance technique for compensating for electrode series resistance and arrived at the conclusion that visual stimulation has little effect on conductance. Without using the more quantitative methods used here, we likely did not properly correct for the electrode resistance.

In this paper, we have adopted two independent methods that together allow precise measurements of the electrode resistance. The methods also provide correction for drifts in electrode resistance over time. They achieve a precision of better than 10%, over which range none of the conclusions of the study are significantly affected. This uncertainty in electrode resistance, and the corresponding uncertainty in membrane resistance, may yield an additional increase in the size of confidence intervals for measurements of input conductance.

One assumption that enters into our measurement of conductance is that the current-voltage relationship in the recorded neurons is linear. The I-V curves that we measured tend to bear this assumption out, which is somewhat surprising given the large number of voltage-sensitive conductances present in neurons. We have used hyperpolarizing currents for most of our tests to minimize the involvement of active currents. Nevertheless even when the cells were spiking, the I-V relationship was approximately linear, suggesting that the active currents underlying the spike are concentrated in the initial segment or even the first node of Ranvier (Colbert and Johnston 1996), away from the soma. That simple cells, at least, behave relatively linearly is borne out by their responses to visual stimulation, which are in some aspects quite linear (Carandini and Ferster 2000; Jagadeesh et al. 1993, 1997).

Distinguishing excitation and inhibition

In addition to measuring total input conductance, we have employed a simple method for deriving the excitatory and inhibitory components of conductance changes underlying visual responses based on the assumption that such changes are synaptic in origin. In this respect, one simplification in our model is our use of a single type of synaptic inhibition. Cortical cells have both GABA_A and GABA_B receptors, which are permeable to K^+ and Cl^- ions. Normally these channels would have equilibrium potentials near −65 and −100 mV. But the solution in our electrodes, which contains little chloride, would hyperpolarize the GABA_A equilibrium potential. We have therefore chosen the equilibrium potential for our inhibitory conductance (V_i) to be −85 mV, somewhere between GABA_A and GABA_B. The equilibrium potential for the excitatory conductance (V_e) was set to 0 mV, close to the equilibrium potential of glutamatergic synapses. We have repeated all of the analyses of excitatory and inhibitory components of conductance, varying the values of V_e and V_i by 10 mV in either direction. These changes did not significantly affect any of the basic conclusions of the study, either for electrically or visually evoked responses, and yielded distributions of excitation and inhibition that were within 5% of each other.

One potential limitation of our technique for deriving excitatory and inhibitory conductances arises from the possibility that some synaptic inputs are located in electrotonically distant portions of the dendrites. In that case, our current-clamp measurements would suffer the same problem that voltage-clamp recordings do when the space clamp is inadequate: the current-induced changes in potential would be different in different parts of the dendritic tree and soma. These differences would in...
turn mean that the excitatory synaptic currents in the dendrites would reverse only when the potential in the soma was higher than 0 mV. Similarly, inhibitory synaptic currents in the dendrites would reverse only when the potential in the soma was lower than $-65$ or $-100$ mV. We would then mistake a portion of the excitatory conductance for a negative inhibitory conductance, and vice versa. There are hints of this type of error in the responses to electrical stimulation (Fig. 14). But the time course and relative magnitude of the calculated conductances in this case are similar to what would be expected. Furthermore this type of error could not generate negative inhibitory conductances that are larger in amplitude than the excitatory conductances. Since the derived inhibitory conductances are two to three times larger than the excitatory conductances, we conclude that errors arising from inadequate space clamp are not large enough to affect our results significantly.

The technique used here to derive excitatory and inhibitory conductances offers significant advantages over other methods. For example, in the study of Pei et al. (1994), tuning curves for excitation and inhibition were inferred from the hyperpolarization and depolarization amplitudes. Such techniques, which rely solely on membrane potential traces, would miss concurrent excitation and inhibition. This would lead to a significant underestimation of inhibitory responses at orientations where excitation is strongest. Similar considerations apply to the work of Volgushev et al. (1992, 1993), who analyzed membrane potential responses to visual stimuli, in one case during injection of current. Finally, there may have been flaws in the approach of Ferster and Jagadeesh (1992), who attempted to measure conductance changes by observing changes in the amplitude of a test EPSP evoked by electrical stimulation of the LGN. Because the test EPSP were so brief, the measurements were likely dominated by membrane capacitance rather than resistance.

**Push-pull arrangement of excitation and inhibition**

While both excitation and inhibition are evoked by the preferred stimulus, in the subfields of simple cells they are spatially segregated. As Hubel and Wiesel (1962) suggested, on regions receive off inhibition, and off regions receive on inhibition in a push-pull arrangement. The first description of push-pull organization in intracellular recordings focused on hyperpolarizing IPSPs evoked by flashing bars (Ferster 1988). More recently, large changes in conductance associated with these IPSPs have been described by Borg-Graham et al. (1998) and by Hirsch et al. (1998). In agreement with Hirsch, we find that the hyperpolarizing off responses in the on region (and conversely, on responses in the off region) are dominated by the increase in inhibitory inputs with little contribution from the withdrawal of excitation. The use of sinusoidal gratings has allowed us to make careful measurements of the relative placement of the excitatory and inhibitory inputs within the subfields, where we find a surprisingly accurate push-pull arrangement. The $153^\circ$ average displacement in the spatial phases of the inhibition and excitation represents less than $1/6$ of a stimulus cycle difference from a perfect counterphase arrangement. Given that the stimulus is at the optimal spatial frequency, such that the spacing of the stimulus bars is comparable to the spacing of the subfields, this $153^\circ$ offset means that the on inhibitory inputs are superimposed with OFF excitatory inputs (and vice versa) with an error of less than 20% of the receptive field width. This 20% displacement, given the relatively small sample size, cannot be reliably distinguished from perfect counterphase. This small difference might also be accounted for by a difference in temporal phase of excitatory and inhibitory inputs.

Our results agree closely with a model of cat simple cell function in which a spatial push-pull arrangement of on and off excitation and inhibition is a prominent feature. Troyer et al. (1998) have applied push-pull inhibition to the feedforward models of orientation selectivity (Hubel and Wiesel 1962) to correct the feedforward model’s failure to predict the contrast invariance of orientation selectivity. Their model makes a number of predictions that are borne out by our results. First, it predicts an identical orientation tuning of excitatory and inhibitory conductance (e.g., Troyer 1998, Fig. 10). Second, it predicts an identical orientation tuning of the modulation of membrane potential and modulation of conductance. Third, it predicts conductance changes at the preferred orientation (about 100%) similar to those that we report.

**Tuning of inhibition**

We found that excitation and inhibition have similar tuning for orientation, so that inhibition is unlikely to sharpen the tuning conveyed by the excitatory inputs. These results are at odds with a number of studies suggesting that intracortical inhibition is more broadly tuned than excitation and thus helps in establishing the orientation tuning of the cells (Ben-Yishai et al. 1995; Blakemore and Tobin 1972; Creutzfeldt et al. 1974; Hata et al. 1988; Sillito 1979; Somers et al. 1995; Sompolinsky and Shapley 1997). More recently, Ringach et al. (1998) have suggested that inhibition would be most effective in sharpening orientation tuning when its tuning width is only slightly greater than that of excitation. Inspection of Fig. 19 does not support such an arrangement. There does not appear to be any systematic difference between the tuning width of excitation and inhibition. On the other hand, this figure plots the tuning widths of combined fits to mean and modulation. It might be that individual tuning curves for the mean or modulation components of excitation might be wider than their counterparts for excitation. Figure 18, however, again shows no obvious systematic indication of such an effect.

In most cells we did observe increases in membrane conductance for stimuli of all orientations. These increases in conductance may go some way toward explaining the suppression effects measured with plaids obtained with two gratings differing in orientation (Bonds 1989; Carandini et al. 1999; Gizzi et al. 1990; Morrone et al. 1982). In addition, our data cannot rule out the possibility that broadly tuned inhibition may be operative in cat complex cells or in cells of other species such as the primate (Ringach et al. 1997).

While our results are not consistent with a broadly tuned inhibition, they do suggest an important role for intracortical excitation in establishing orientation selectivity, as proposed by a number of models, both recurrent (Ben-Yishai et al. 1995; Chance et al. 1999; Douglas et al. 1991a, 1995; Martin 1988; Ringach et al. 1997; Somers et al. 1995) and feedforward (Troyer et al. 1998). According to these models, cortical cells
receive substantial excitatory input from other cortical cells that are similarly tuned. Our result that the mean input conductance of simple cells is increased more by stimuli of the optimal orientation than by stimuli of other orientations is consistent with this view. To see why this is the case, it may help to consider the predictions of a basic linear feedforward model of orientation tuning in simple cells (Ferster 1987; Hubel and Wiesel 1962). Imagine that changes in input conductance of a cell resulted from a weighted sum of the responses of properly aligned unoriented cells in the LGN. In principle, the weights could be positive and negative, reflecting both synaptic excitation and inhibition, possibly through interneurons. Because the LGN cells are not oriented, the orientation of the stimulus affects the relative timing—but not the size—of their responses. When the stimulus has the preferred orientation, these responses would be synchronized so that their weighted sum is strongly modulated. But the mean input conductance generated by the geniculate input would not be tuned for stimulus orientation because the mean response of the individual cells would be the same for all orientations.

If we are correct in our assumption that the changes in input conductance are entirely synaptic, then our finding that the mean conductance of simple cells is often tuned for stimulus orientation indicates that either simple cells integrate their inputs nonlinearly or they receive input from cells that have similar orientation tuning. These, of course, would have to be other cortical cells. The first explanation is supported by mounting evidence for nonlinearities operating at the synaptic (e.g., Abbott et al. 1997; Markram and Tsodyks 1996) or dendritic level (Mel et al. 1998). The second explanation is supported by evidence that the cortical circuitry contributes a two- to threefold amplification of the responses of simple cells (Chung and Ferster 1998; Ferster et al. 1996; Martin 1988). These explanations are not mutually exclusive, and further experiments will be needed to determine their validity.

We thank L. Borg-Graham and J. Hirsch for helpful suggestions on bridge-balancing techniques and K. Martin and T. Troyer for comments on the manuscript.

This work was supported by National Eye Institute Grant EY-04726 to D. Ferster. J. S. Anderson was supported by NEI Training Grant EY-07128. M. Carandini was partly supported by a Howard Hughes Medical Institute investigatorship to J. A. Movshon.

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