Adaptive coding is constrained to midline locations in a spatial listening task

J.K. Maier*1,2,5, P. Hehrmann*4, N.S. Harper*1,3, G.M. Klump2, D. Pressnitzer5,
D.McAlpine1

1. UCL Ear Institute, 332 Gray’s Inn Road, London, WC1X 8EE, U.K.
2. Carl von Ossietzky Universität Oldenburg, Fakultät V, Institut für Biologie und Umweltwissenschaften, AG Zoophysiologie & Verhalten, Carl von Ossietzky Str. 9-11, 26111 Oldenburg, Germany
3. UCL Centre for Mathematics and Physics in the Life Sciences and Experimental Biology, Wolfson House, 4 Stephenson Way, London, NW12HE, U.K.
4. UCL Gatsby Computational Neuroscience Unit, Alexandra House, 17 Queen Square, London, WC1N 3AR, U.K.
5. CNRS & Université Paris Descartes & Ecole normale supérieure, 29 rue d’Ulm, 75005 Paris, France

**Running Head:** Adaptive coding for ITD

Corresponding author: D. McAlpine UCL Ear Institute, 332 Gray’s Inn Road, London, WC1X 8EE, UK. E-mail: d.mcalpine@ucl.ac.uk

* These authors contributed equally to the study
Abstract
Many neurons adapt their spike output to accommodate the prevailing sensory environment. Although such adaptation is thought to improve coding of relevant stimulus features, the relationship between adaptation at the neural and behavioral levels remains to be established. Here, we describe improved discrimination performance for an auditory spatial cue (interaural time differences, ITDs) following adaptation to stimulus statistics. Physiological recordings in the midbrain of anaesthetized guinea-pigs and measurement of discrimination performance in humans both demonstrate improved coding of the most prevalent ITDs in a distribution, but with highest accuracy maintained for ITDs corresponding to frontal locations, suggesting the existence of a fovea for auditory space. A biologically-plausible model accounting for the physiological data suggests that neural tuning is stabilized by inhibition to maintain high discriminability for frontal locations. The data support the notion that adaptive coding in the midbrain is a key element to behaviorally-efficient sound localization in dynamic acoustic environments.

Keywords
adaptation, interaural time difference, midbrain, neural model, psychophysics
Introduction

Most species evolve in complex environments containing diverse sources of sensory information over a very wide range of intensities, frequencies and locations. Sensory systems must efficiently encode over this wide range of possible stimulus values, given a limited availability of coding resources. One means by which neural systems can overcome this challenge is to adapt on a behavioral timescale in order to represent with particular efficiency the subset of natural stimuli in the current environment. Such adaptive coding is observed across a wide range of species and stimulus modalities, and is apparent in the responses of single neurons (Dean et al., 2005; Fairhall et al., 2001; Ohzawa et al., 1982) and across populations of neurons (Dean et al., 2005; Dean et al., 2008; Watkins and Barbour, 2008). Fisher Information (FI) represents one possible measure of coding quality that can be used to evaluate adaptive coding (Dean et al 2005).

Nevertheless, despite the apparent advantage adaptive coding would confer on sensory processing, the link between adaptive coding at the neural level and performance in sensory tasks is difficult to establish. Psychophysical assessment of adapted neural systems is often considered with respect to perceptual illusions such as afterimages (McCollough, 1965) or changes in perceived orientation of vertical bars [the “tilt” illusion (Solomon et al., 2004)] in vision, or misperception in sound-source localization in hearing (Kashino and Nishida, 1998; Dahmen et al, 2010). At the cognitive level, the term “cueing” is employed to describe the influence of prior stimulation on sensory performance; for example, in reducing reaction times required to localize a sound source in a given spatial hemi-field (Spence and Driver, 1994).
However, none of these concepts - after-effects, mis-localization or cueing - is easily reconciled with the concept of adaptive coding at the neural level. This normally describes the rapid adjustment of neural tuning properties to better represent the prevailing stimulus environment (Garcia-Lazaro et al., 2007; Maravall et al., 2007; Nagel and Doupe, 2006), rather than neural fatigue or higher, perhaps attentional, processes. Here, we describe adaptive coding for interaural time differences (ITDs), an auditory spatial cue upon which many mammals, birds and reptiles rely in order to locate the source of a sound. Sensitivity to ITDs depends on detecting instantaneous differences in air pressure generated by the acoustic waveform arriving at each ear, and retaining that information until it can be compared in the central nervous system (Goldberg and Brown, 1968; Goldberg and Brown, 1969; Yin and Chan, 1990). We demonstrate that neurons in the inferior colliculus (IC), the major auditory nucleus in the midbrain, represent these differences dependent on their long-term statistical distribution. Despite this dependence, neural discriminability remains highest for frontal locations, even when the stimulus distribution is strongly biased towards one side or the other. We then show evidence of improved spatial discrimination performance by human listeners under closely matched stimulus conditions, but again largely for locations corresponding to frontal space. A model of a biologically-plausible, multi-synaptic circuit is proposed to explain the neural adaptive coding, through the action of ITD-dependent excitatory and inhibitory cellular conductances. The model suggests that inhibition, via a dedicated anatomical pathway, acts to reduce the distribution-dependence of tuning curves in the IC affected by neural adaptation within the excitatory pathway, thus maintaining highest discriminability for frontal locations.
Methods

Physiological recordings

Extracellular recordings were made from single neurons in the IC of urethane-anaesthetized, pigmented guinea pigs. All experiments were carried out in accordance with the guidelines of the UK Home Office, under control of the Animals (Scientific Procedures) Act 1986.

Experimental design

Depth of anesthesia was assessed by means of the pedal withdrawal reflex and body temperature maintained at 37°C using a thermostatically-controlled heating blanket and rectal probe. Animals were prepared for experimental recordings using previously-reported techniques (e.g., Ingham and McAlpine, 2004) and, upon transfer to a stereotactic frame (modified from model 1730, David Kopf Instruments, Tujunga, CA) located within a sound attenuated booth (IAC, Winchester, UK), custom-built ear phones were inserted into the hollow ear speculae fixating the animal’s head, to form a sealed pressure-field sound delivery system. Single-unit extracellular recordings were carried out in the right IC using glass-coated microelectrodes of approximately 0.9 to 1 MΩ impedance. Electrodes were advanced dorsoventrally from outside the booth by means of a piezo-electric stepper motor. Electrical activity was transmitted from the microelectrode via a head stage to a preamplifier (TDT Medusa RA16PA), amplified, digitized at a sample rate of 25 kHz, and transmitted via fiber-optic cable to an RA16 base station for further amplification and band-pass filtering (variable gain, 600 Hz high-pass filter, 3 kHz low-pass filter). The resulting signals were passed to TDT Brainware and action potentials exceeding a user-defined trigger level were recorded for analysis.
Sounds were generated, with a 50-kHz sampling rate, using Tucker Davis Technology digital processing hardware (TDT, Alachua, FL; System III), TDT Brainware, Real Time Processor Visual design Studio (RPvds) and MATLAB software. Stimuli were attenuated (TDT, PA5), amplified (Beyerdynamic A150 Blueprint stereo-amplifier, Burgess Hill, UK) and presented via Beyerdynamic DT-48A (Burgess Hill, UK) loudspeakers, fitted and sealed with brass tube attachments to the hollow ear speculae. Probe-tube microphones (Knowles Acoustics FG3452, Burgess Hill, UK) inserted in the hollow specucale allowed for measurement of the stimuli at a distance of only a few millimeters from the tympanic membrane to ensure that the sounds delivered were well matched between the ears (within ±2 dB for frequencies below 2 kHz). Probe-tube microphones were initially calibrated against a Brüel & Kjær 1/8 in. microphone (Type 4136, Stevenage, UK). Diotic pure tones, 50 ms in duration, were presented to assess the characteristic frequency (CF) of isolated single neurons.

High Probability Region (HPR) stimuli

In order to assess the ability of IC neurons to represent the underlying statistical distributions of ITDs, broadband noise was presented to both ears simultaneously. The noise waveform at each ear was identical except for an ITD imposed on the ongoing waveform (the ITD at stimulus onset was zero). Every 50 ms, the value of the ITD was selected randomly from a predefined distribution (Figure 2, top left) comprising a high probability region (HPR) from which 80 % of values were selected. The remaining 20 % of ITDs were selected with equal probability from values beyond the boundaries of the HPR (the low-probability region, LPR), but limited to the range ±330 μs, the maximum naturally-encountered range of ITDs reported for the guinea pig (Sterbing et al., 2003). In total 7500 50-ms-epochs were presented for each HPR
stimulus. Due to hardware limitations the stimulus could not be presented continuously and each HPR stimulus was subdivided into 75 segments of 5-s duration (100 epochs), separated by <0.4 s. The noise seeds and the sample of 50 ms epochs were randomly chosen for each segment (i.e. the noise sample and the set of 100 levels differed from segment to segment). No onset ITDs were present at any transition, rather each frequency component was phase-shifted by the appropriate amount (in opposite directions in either ear) to achieve the required ITD. The use of ongoing only ITDs in binaural experiments is standard in studies of low-frequency ITD processing, and avoids the potentially confounding influence of envelope (i.e. onset) ITDs. Sensitivity to ITDs conveyed in the low-frequency stimulus fine-structure is usually dominated by the ongoing component. To assess sensitivity to the mean of a distribution of ITDs, the HPR width was fixed at ±66μs. To assess sensitivity to the variance, the HPR width was varied between ±6.5μs and ±330μs (i.e. a uniform distribution across the animal's ecologically relevant range).

Sample size

Responses were recorded from total of 37 IC neurons, 23 with 5 HPR-stimuli with different mean HPRs, and all 37 with responses to 3 HPR-stimuli with different mean HPRs. Twelve neurons were recorded with up to 4 different HPR-stimuli with different HPR variances.

Data analysis

Using TDT Brainware, action potentials were sorted according to waveform characteristics to ensure that data were obtained from a single neuron. Spike times were then exported to MATLAB 7.0 (The MathWorks, Natick, MA) for off-line analysis. The response to the first two 5 s segments of the stimulus was discarded.
Taking an average latency of 10 ms, the spike count for each 50-ms epoch was calculated i.e. the spike count 10-60 ms following the start of each new epoch. The ITD and spike count of each epoch were binned into one of 50 adjacent bins (~13 μs wide) evenly spread over the range of ITDs in the stimulus, resulting in an average of ~36 spike-counts for each ITD bin in the LPR, and ~530 spike-counts for each ITD bin in the HPR. The rate-vs.-ITD curves (Figures 3 and 5) show the average spike-count for each ITD bin converted to spike rate (i.e. multiplied by 20).

The probability $P_a[r \mid \tau]$ of neuron $a$ giving $r$ spikes in ITD-bin $\tau$ was calculated. $P_a[r \mid \tau]$ was smoothed with a 2-D Gaussian, with standard deviation of 48 μs and 0.8 spikes. Fisher information $f_a(\tau)$, for neuron $a$ is given by the equation:

$$f_a(\tau) = \sum_r P_a[r \mid \tau] \left( \frac{d \ln P_a[r \mid \tau]}{d \tau} \right)^2 \quad (1)$$

Assuming that non-stimulus-dependent variation of each IC neuron’s spike-counts is independent of that of the other neurons (Chechik et al., 2006; Popelar et al., 2003) population Fisher information $F(\tau)$ for N neurons is approximated by the equation:

$$F(\tau) = \sum_{a=1}^{N} f_a(\tau) \quad (2)$$

Error bars in Figures 3 and 5A were estimated using a bootstrap method (Efron, 1981). The bootstrap was performed by resampling with replacement from the epochs (each epoch having an ITD and spike count) with the number of resampled epochs equal to the original number of epochs. Such random draws were performed
2000 times and FI curves were computed for each random draw. Curves shown are the means over all such draws. The estimate of the SE is obtained as the standard deviation around the mean curves over the draws.

In Figures 4 and 5B, for epochs with ITDs in the HPR of the stimulus, only a random sample of those epochs was used in estimating the Fisher information, such that the average number of epochs per (ITD) bin was the same for the HPR as elsewhere in the function. Owing to the sampling, each neuron’s Fisher information function is the median of 20 functions, where each function was obtained using a different sample. Note that this down sampling of the HPRs and the median was not performed for the single neuron FI plots, (and 25 ITD-bins of ~26 μs were used) in Figures 3 and 5A due to the added time and complication of computing the error bars. However, the FI plots are very similar whether the HPR down sampling is performed or not. For some plots (in Figures 4B and 5B), each neuron is assumed to have a partner neuron on the opposite side of the brain, with the same response properties, except with the sign of the ITD reversed. This mirroring was performed for visualization only, and all statistical tests were performed on un-mirrored data only.

In order to measure gain changes and changes in the point of steepest slope of rate-vs.-ITD functions, the rate-vs.-ITD functions of neurons were fitted by the function:

\[ g(\tau) = R \exp\left( A_1 \sin(2\pi(\theta - \phi_1)) + A_2 \sin(4\pi(\theta - \phi_2)) + A_3 \sin(6\pi(\theta - \phi_3)) \right) + B \]  

where \( \theta \) is the interaural time difference \( \tau \) expressed at a proportion of the period \( Q \) of the neurons characteristic frequency, \( \theta = \tau / Q \). All other parameters of the equation were varied to fit the data. Fitting was achieved by minimizing the least squared
difference between Eq. 3 above and the measured rate-ITD function using the standard Matlab program \textit{fminsearch.m}. The function $g(\tau)$ is similar to the von Mises distribution function, being modulated and always positive (as are spike rates), however we have generalized it to account for asymmetries and higher harmonics than the dominant frequency by adding the terms weighted by $A_2$ and $A_3$. We found this provided a good fit to the data over the range of ITDs that we used.

The normalized curves fits were constructed from the raw data and the curve fits of Eq. 3, using the formula:

$$g_{\text{norm}}(\tau) = \frac{g_{\text{hist}}(\tau) - g_{\min}}{g_{\max} - g_{\min}}$$

(4)

where $g_{\min}$ is the minimum value of the curve fit over the range of the data, and $g_{\max}$ the maximum value of the curve fit over the range of the data, and $g_{\text{hist}}(\tau)$ is the rate-vs.-ITD function directly constructed from the data as described in the first paragraph of this section.

\textbf{Modeling}

We built a simple mechanistic model of the midbrain ITD pathway comprising MSO, DNLL and IC in order to assess to what extent observed stimulus dependencies of neural tuning characteristics in the IC can be accounted for by established functional and anatomical properties of the ascending auditory system (see Figure 1). The first stage of the model comprises two homogeneous populations (left and right) of excitatory, ITD-tuned MSO neurons. At the second stage, inhibitory neurons in the left and right DNLL receive inputs from the respective, ipsilateral MSO. Finally, excitatory inputs from the ipsilateral MSO and inhibitory inputs from the contralateral...
DNLL converge at the final stage of the model: an IC neuron, modeled as a simple leaky integrator, with synaptic depression acting on the MSO inputs. Model parameters were set in accordance with experimentally-determined physiological parameters where possible.

The mathematical details of the model were as follows. The rate response of an MSO neuron to a stimulus with instantaneous ITD $s(t)$ was modeled by a Gaussian-shaped ITD-tuning function of width $\sigma$, centered at a contralateral-leading ITD $\Delta_{\text{max}}$:

$$
   r(t) = r_\infty + c \cdot \exp\left(-\frac{(s(t) - \Delta_{\text{max}})^2}{2\sigma^2}\right).
$$

$r_\infty$ and $c$ determine the range of output firing rates. Figure 1 shows the MSO and the slopes of the ITD-tuning functions over the midline (the far slopes of the Gaussian-like tuning curves are not shown).

Assuming a population of identically-tuned excitatory MSO neurons with conditionally independent Poisson spiking behavior, we used the following model of synaptic depression (Tsodyks and Markram, 1997) to compute the postsynaptic current in a single IC neuron resulting from the ipsilateral MSO input:

$$
   \frac{dx}{dt} = \frac{1 - x(t)}{\tau_{\text{rec}}} - U \cdot r(t) \cdot x(t) \quad \text{and} \quad \frac{dy}{dt} = -\frac{y(t)}{\tau_{\text{m}}} + U \cdot r(t) \cdot x(t)
$$

$x$ quantifies the fraction of neurotransmitter available presynaptically, $U$ represents the fraction of available neurotransmitter released per spike and $\tau_{\text{rec}}$ determines the
rate at which the pool of available neurotransmitter recovers. \( y \) denotes the fraction of postsynaptically active neurotransmitter and \( \tau_{in} \) determines its inactivation rate (in this case chosen to mimic fast glutamatergic EPSCs). Finally, the postsynaptic current is assumed to be proportional to \( y \), resulting in the following current-balance equation for the membrane voltage \( V \) of a simple integrate-and-fire IC neuron:

\[
\tau_m \frac{dV}{dt} = -V(t) + W \cdot y(t) + \eta(t)
\]  \hspace{1cm} (7)

where \( \tau_m \) is the passive membrane time constant, \( W \) (in units of voltage) determines the input scale and \( \eta(t) \) is a zero-mean Gaussian random variable. Upon reaching the threshold voltage \( V_\theta \), a spike is generated following which \( V \) is reset to its resting potential (0 mV).

In order to incorporate inhibition via the contralateral MSO and DNLL (see Figure 1, red arrow), a neurotransmitter-controlled shunting mechanism was added to the IC current-balance equation that increases the membrane leakage upon activation of postsynaptic GABA receptors, yielding:

\[
\tau_m \frac{dV}{dt} = -(1 + \hat{W} \cdot \hat{y}(t)) \cdot V(t) + W \cdot y(t) + \eta(t)
\]  \hspace{1cm} (8)

Assuming that the contralateral DNLL follows its MSO inputs instantaneously, the number of postsynaptically active GABA\(\alpha\) receptors \( \hat{y}(t) \) is determined by the firing rate \( \hat{r}(t) \) of the contralateral MSO, convolved with an exponentially shaped (unit-area) IPSP-like filter with time constant \( \hat{\tau}_{in} \) and scaled by a connection weight \( \hat{W} \). ITD
tuning of the contralateral MSO is the exactly opposite to that of the ipsilateral MSO (cf Eq. (5)):

\[
\hat{r}(t) = r_{\infty} + c \cdot \exp \left( -\frac{(s(t) + \Delta_{\text{max}})^2}{2\sigma^2} \right)
\]

Model parameters throughout all simulations were chosen as follows: \( r_{\infty} \) and \( c \) were set such that the MSO neurons had a firing range of 10 to 85Hz within the physiological range of ITDs. Tuning width and preferred ITD were \( \sigma = 297 \mu\text{s} \) and \( \Delta_{\text{max}} = 330 \mu\text{s} \) (i.e. the limit of the physiological range) respectively. Parameters for the synaptic dynamics were \( U = 0.15 \), \( \tau_{\text{rec}} = 150 \text{ ms} \) and \( \tau_{\text{in}} = 5 \text{ ms} \). The choice of \( \tau_{\text{in}} \) reflects the short time-course of AMPA-mediated EPSCs, while \( U \) and \( \tau_{\text{rec}} \) were chosen such that the time course of adaptation in the excitatory postsynaptic current is in close agreement with the time course of response adaptation of IPD-sensitive IC neurons (52.9 ms for binaural, compared with 38.4 ms for monaural, adaptation) reported by Ingham and McAlpine (2004). Since inhibition in the IC is predominantly GABA-ergic and believed to be mediated by GABA\(\alpha\) receptors only (see Wu, 2005 for an extensive discussion), we set \( \hat{\tau}_{\text{in}} = 50 \text{ ms} \), matching the average of the decay time-constants of GABA\(\alpha\)-mediated IPSCs measured in brain slice preparations of rat IC (Wu et al., 2004), even though similar results can be obtained for significantly lower values of \( \hat{\tau}_{\text{in}} \). The IC membrane time constant and firing threshold were set to \( \tau_{\infty} = 8 \text{ ms} \) and \( V_{\theta} = 12 \text{ mV} \) (above resting potential) respectively, based on values reported for IC neurons in rodents, both in brain slices (Reetz & Ehret, 1999) and in vivo (Tan et al., 2007). The weight of the excitatory inputs \( W \) was fixed to value of 640 mV throughout, whereas the inhibitory weight \( \hat{W} \) was chosen as 0 (Figure. 6A, left column), 0.005 (Figure 6A, middle, and Figure 6B) or 0.008 (Figure 6A, right).
Psychophysics

Experimental design

Ten subjects, 7 male and 3 female and aged between 22 and 42 years participated in this study. All subjects had self-reported normal hearing. Stimuli were generated for each trial in real-time using custom Matlab programs. Two set-ups were used for data measurement. Stimuli were played back via a RME Fireface digital to analog soundcard in set-up 1 and a Creative SB Audigy 2ZS sound card in set-up 2 (both 96. kHz sampling rate), before being passed into a sound-attenuating booth (in both cases IAC 1202-A) where they were presented to the subjects over headphones (Sennheiser HD 250 and Sennheiser HDA 200, respectively). No difference in outcome could be found between the two setups. Adaptor stimuli were 800 Hz-wide bands of Gaussian noise filtered between 100 and 900 Hz (brick-wall FFT filter), presented with a mean overall level of 68 dB SPL, with durations chosen randomly between 1 and 2s (from a uniform distribution), and ITD randomly chosen from a distribution every 50 ms. Target stimuli were 500 Hz pure tones of 50 ms duration, presented at the same level. Both adaptors and targets included 5 ms onset and offset ramps. Inter-trial intervals were of 1.5s duration. ITDs were computed by delaying stimuli to one ear but without any onset or offset time lag: the signals from both ears were padded to the same length with fresh noise, so that onsets and offsets were synchronous. All subjects completed 2 sessions of 40 min duration, comprising 450 trials each with various combinations of adaptor position and target position presented in random order (100 repeats per combination, 900 trials per subject overall).

Data analysis
Sensory sensitivity $d'$ was computed for each adaptor and target condition using signal-detection theory with the following formula:

$$d' = z(\text{hits}) - z(\text{false alarms}) \quad (10)$$

where $z$ denotes the number of standard deviations from the mean, “hits” the rate of detecting a real difference in ITD between target tones, and “false alarms” the rate of incorrectly classifying a zero-ITD difference as different. A repeated-measure ANOVA was then performed with the $d'$ values computed for each subject as the dependent variable.

Results

Electrophysiological recordings

In mammals, ITDs are first processed in the medial superior olive (MSO) of the brainstem, where coincidence-detector neurons respond maximally to ITDs that compensate for the difference in the time of transmission of a sound from the two ears (Goldberg and Brown, 1968; Goldberg and Brown, 1969; Jeffress, 1948; Yin and Chan, 1990). The IC receives ITD-sensitive input from each MSO, a direct excitatory projection from the MSO on the same side of the brain, and a GABA-ergic inhibitory projection via the dorsal nucleus of the lateral lemniscus (DNLL) from the opposite side of the brain, itself the target of the ipsilateral MSO (Figure 1). Thus, IC neurons receive maximal excitatory drive for sounds located in one spatial hemisphere (i.e. to one side of the animal’s midline), and maximal inhibition for sounds located in the other.
Spike trains of IC neurons were obtained in response to the HPR stimulus – white noise with the ITDs randomly selected every 50 ms, whereby 80% was selected from a pre-defined high probability region (HPR, see Figure 2). This was performed for each neuron using a range of different ITD distributions, systematically varying both the center (mean) and width (variance) of the HPR. For each neuron and stimulus distribution, an ITD tuning curve and Fisher information (FI, a measure of coding accuracy) curve were computed from the binned, empirical spike-count distribution (Figure 2, see also Methods).

Adaptation to the mean of a distribution of ITDs

Responses of IC neurons were clearly sensitive to changes in the center of the HPR (Figure 3). The most obvious effect was a progressive reduction in neural response gain, i.e. a divisive reduction in the spiking output for all ITDs, as the HPR center of the distribution was shifted from ipsilateral-leading ITDs to contralateral-leading ITDs (akin to a sound source moving further into contralateral space). Furthermore, the detailed nature of this sensitivity differed depending on the ear at which the sound was leading in time. HPRs in which the sound was leading at the ear contralateral to the recording site (i.e. leading at the left ear; positive ITDs) generated a change in response gain only (green and blue curves in top row of Figure 3). HPRs in which the sound led at the right, ipsilateral ear, however, generated both an increase in gain (relative to the zero-centered HPR) as well as a small, additional shift in the tuning curve of some neurons (magenta and red curves in top row of Figure 3).

In order to quantify changes in gain, the dynamic response ranges of the rate-vs.-ITD functions were measured as the difference between the maximum and minimum spike rates, acquired by fitting Eq. 3 to the rate-vs.-ITD function. The gain for each
HPR was calculated as the response range for that HPR as a proportion of the response range for the HPR centered at 0 μs. The gains for rate-vs.-ITD functions to different HPRs were calculated for 23 neurons, and gain was plotted as function of the HPR (Figure 4a; left panel). Each symbol indicates the gain for one neuron for the HPR indicated on the abscissa, and the red line plots the median gain over the neural population. Neural gain decreased as the HPR was shifted from ipsilateral- to contralateral-leading ITDs for both of the contralateral-centered HPRs (132 μs and 264 μs), with median gain significantly less than 1.0 (in both cases p<0.05, n=23, Wilcoxon signed rank test) compared with the zero-centered HPR. For both ipsilateral-centered HPRs (-132 μs and -264 μs) gain was significantly greater than 1.0 (in both cases p<0.05, n=23, Wilcoxon signed-rank test), compared with responses to the zero-centered HPR.

Rate-vs.-ITD functions were normalized (cf. middle row of Figure 3) to test whether divisive gain changes constituted the only difference between responses to different HPRs. To quantify this, the ITD at which the maximum slope occurred on the fit to the rate-vs.-ITD function was considered a measure of shape; this should remain constant across rate-vs.-ITD functions generated by different HPRs if the only change is a change in neural gain. Normalized rate-vs.-ITD functions showed changes in the shapes of the functions relative to that for the zero-centered HPR, but only for ipsilateral-centered HPRs (Figure 4a; middle panel) the ITD of the maximum slope of rate-vs.-ITD functions (max-slope-ITD) shifted significantly towards ipsilateral-leading ITDs for the HPR centered at -264 μs (p< 0.05, n=23, Wilcoxon signed-rank test). That is, the median value (across 23 neurons) of the difference between the max-slope-ITD in the -264 us HPR adapted case and the max-slope-ITD in the 0us case was significantly different than 0. No significant difference from the
0us HPR case was seen for the max-slope-ITD in the -132, 132, and 264 μs HPR cases.

For each neuron, Fisher information, a measure of coding accuracy, was assessed to determine whether neurons are more informative about those ITDs most likely to be experienced as part of the HPR. Assuming an optimal decoder, higher FI reflects higher coding accuracy, manifested as a higher capacity to discriminate nearby ITDs based on the neuron’s spike count response. A reasonable approximation of FI is the square of the slope of the tuning curves divided by the variance (Dean et al., 2005). Thus, FI is high when the variance of the spike count is low, and when the spike rate changes steeply with changes in ITD. Since spike-count variance of IC neurons tended to be approximately proportional to the spike counts themselves, the peaks of FI functions were typically situated on the lower, rising portion of the slopes of tuning curves (see bottom left panel in Figure 2).

Although peak-FI for individual neurons did indeed follow the HPR to some extent (bottom row of Figure 3), this shift was only significant for HPRs centered at ipsilateral-leading ITDs. Peak-FI shifts followed exactly the same pattern as the observed shifts in the slopes of rate-vs.-ITD functions: median peak FI was located at significantly more negative ITDs than for the zero-centered HPR only for responses to the most ipsilateral-leading (-264 μs) HPR (Figure 4a, right panel p<0.05, n=23, Wilcoxon signed-rank test). For all other HPRs, the ITD at which the peak Fisher information occurred was not significantly different to that for the zero-centered HPR (p>0.05, n=23, Wilcoxon signed-rank test). That is, the median value (across 23 neurons) of the difference between the ITD at which the peak FI occurred for the -264 us HPR and for the zero-centered HPR case was significantly different, whereas
there was no significant difference in the ITD of the peak FI between the zero-centered HPR and the ITD of the peak FI for the other (-132, 132, and 264 μs) HPRs.

The peak Fisher information largely follows the changing position of the slopes of the rate-vs.-ITD functions, as can be seen in Figures 3 and 4A. The remaining dependence of FI on the HPR, after accounting for the slope shifts, may be due to more subtle changes in the shape of the rate-vs.-ITD function or in the changes in the variability of the spike rate.

Some degree of diversity was evident amongst the neural population, at least with respect to how neurons responded to changes in the HPR. Most neurons showed shifts in the slopes of their rate-vs.-ITD functions and peak FI in the direction of the HPR for contralateral HPRs, as well as gain changes (the middle and left column in Figure 3 are examples of such shifting neurons). However, some neurons showed only gain changes, with no shift in the ITD corresponding to the steepest slope or the peak of the FI, or showed no changes in slope but small shifts in the ITD at which the peak of the FI occurred. Summing FI across the population of 23 neurons (Figure 4b, top) revealed that population FI for stimuli with central HPRs (i.e. 0 μs, black) peaks around 0 μs ITD. For contralateral-leading HPRs (+132 μs, red, and +264 μs, magenta), the population peak-FI is progressively higher in magnitude and shifted contralaterally. For ipsilateral-leading HPRs (-132 μs, green, and -264 μs, blue), the population peak-FI did not shift in a systematic manner, and was of substantially lower magnitude, the latter reflecting the relative reduction in gain for ipsilateral-leading HPRs. Similar responses were observed for a larger population of neurons where responses to stimuli with HPRs centered at -132, 0, and +132 μs only were recorded (n=37; data not shown). Note that identical changes in the gain of rate-vs.-
ITD functions will generally only scale the corresponding FI functions, however gain changes that differ between neurons, or changes in rate-vs.-ITD function shape, allow for other changes in population FI function such as shifts in the ITD at which the peak FI occurs.

Assuming that neurons possess a symmetric partner in the opposite IC, population FI (n=23) can be mirrored around zero (midline), taking into account the neural representation of ITD in both brain hemispheres. Mirrored FI revealed that neurons shift their peak coding accuracy with respect to HPRs furthest away from the midline, but again only partially, and not at all for distributions centered at -132 or +132 μs (Figure 4b, bottom). The shifts observed in the mirrored data reflect the statistically-significant difference in the FI-functions for the HPR centered at -264 μs, relative to the zero-centered HPR, in the non-mirrored data (all statistics were performed on non-mirrored data, mirrored data being only for visualization). For ITDs within approximately ±50 μs of zero, population FI across both brain hemispheres indicated coding accuracy to be greatest when the population was adapted to an HPR centered at zero (Figure 4b, bottom, black curve). When the ITD exceeded ±50 μs, FI functions obtained when the neural population was adapted to HPRs centered at -264 or +264 μs provided for the most accurate coding. That is, the magenta FI curves show the highest FI values, compared to the other FI curves, over most of the ipsilateral range and the blue curves show the highest FI values over most of the contralateral range. However it should be noted that the peak FI did not shift sufficiently to align with the HPR center. Thus, at least for the HPRs centered at -264, 0, and +264 μs, the resulting adapted state of the neural population was most suited to code accurately spatial locations close to the most common ITDs of the HPR,
amongst the five different adaptation states tested. Note also that the magnitude of
the peak FI is roughly constant across these HPRs.

Adaptation to the variance of a distribution of ITDs

Fourteen neurons were assessed for their sensitivity to the variance of the HPR, with
widths of zero-centered HPRs extending from ±6.5 μs to a uniform distribution (±330
μs, Figure 5a). There was little evidence of any broadening of rate-vs.-ITD tuning
curves to accommodate wider distributions. Population FI, as for the individual tuning
curves, did not broaden to take account of the wider variance (Figure 5b). This
means that a widening of the HPR distribution is not reflected in a widening of the
neural population’s sensitive range for ITD. Comparing population FI at midline (0 μs
ITD), for a narrow (±66 μs) versus a wide (±330 μs) stimulus distribution in a group of
n=10 neurons, we found FI to be lower for the high-variance stimulus (p<0.05, n=10,
Wilcoxon signed-rank test). This change in the population FI would be due to subtle
shape, gain, and changes in spike-rate variability in the rate-vs.-ITD functions,
beyond broadening. This result suggests that the increased variance of the HPR
distribution should lead to reduced behavioral discrimination performance specifically
for ITDs around the midline.

A midbrain macro-circuit for adaptive coding of ITD

How can the adaptive tuning of ITD-sensitive neurons be accounted for
mechanistically, particularly the significant yet restricted adaptation to strongly
lateralized stimulus distributions? Here, we present a possible mechanism that is
sufficient to explain our data and is consistent with the known anatomy and
physiology. Neurons in the MSO, the initial site of ITD processing, encode stimulus
ITDs largely independent of their context (Spitzer and Semple, 1995). The adaptation
we measured in the IC must therefore occur after the somatic MSO response, somewhere along the midbrain ITD pathway comprising a direct excitatory connection to the ipsilateral IC as well as an indirect, inhibitory pathway from the contralateral MSO via the contralateral DNLL (Zhang et al, 1998; see Figure1). Such adaptation may, though a context-dependent code, allow more accurate ITD representation in the face of internal noise. In an earlier study, Ingham and McAlpine (2004) demonstrated pronounced spike-rate adaptation (SRA) in IC neurons tuned to the interaural phase difference (IPD) of dichotic pure tones during stimulation at their preferred IPD. This type of SRA is likely to be intrinsic to the excitatory pathway itself, rather than being a consequence of timed inhibition via the DNLL pathway, since the magnitude of inhibition arriving from the contralateral DNLL is minimal for best-IPD stimuli and adaptation constants were relatively slow (approximately 50 ms).

An exemplary candidate mechanism for SRA is synaptic depression, thought to reflect the depletion of excitatory neurotransmitters during prolonged phases of high presynaptic activity. We investigated the effects of such short-term synaptic plasticity at excitatory MSO-IC synapses through model simulations, and asked whether this simple mechanism alone could account for the stimulus-dependent changes in ITD tuning at the level of the IC. Consistent with previous reports (e.g. Rothman et al 2009), we find that synaptic depression reduces the gain of ITD tuning curves in the IC in a manner resembling the changes observed in vivo in some important aspects: i.e. the gain of the stimulus-response functions decrease as the center of the stimulus HPR moves from the ipsilateral to the contralateral side (Figure 6A, left column), whereas changes in HPR width have little effect on ITD tuning (data not shown, but similar to Figure 6B). Nevertheless, this reduced circuit, relying on synaptic depression as the sole source of changes to the ITD-tuning characteristics in the IC,
does not account for the specific lateral shift of tuning curves that occurs only for ipsilateral-centered distributions. Modeling IC neurons as leaky integrators, a pure gain change in the excitatory input currents resulting from synaptic depression translates not only into a change in neural output gain, but also into a concomitant lateral shift of the tuning curves (Figure 6A, left column). Inconsistent with our physiological findings, these shifts occur not only for ipsilateral-leading, but also for contralateral-leading stimulus distributions. Physiologically-plausible ITD tuning can be recovered, however, when the model takes into account the action of known inhibitory inputs originating from the contralateral DNLL.

The DNLL receives its own excitatory input largely from the MSO on the same side of the brain (i.e. contralateral to the IC to which it projects). As a result, the strength of inhibitory input to the IC displays ITD tuning opposite to that of the excitatory input (see Figure 1). ITD-sensitive inhibition in the IC is therefore strongest for ipsilateral-leading ITDs. This gives rise to varying amounts of contralateral shift due to inhibition alone, as the HPR of the stimulus distribution is shifted across the physiological range of ITDs, acting against the effect of gain changes that arise due to synaptic depression along the excitatory pathway. Depending on synaptic efficacy, these inhibitory-evoked, and distribution-specific, shifts can counteract the shifts originating from the excitatory input either partially (Figure 6A, middle column) or completely (Figure 6A, right column), allowing this circuit to mimic the behavior of both partially-shifting and non-shifting neurons. Inhibition also reduces the difference in neural gain between the ipsilateral and contralateral distributions, thus generally stabilizing the shape of IC tuning curves in the face of varying input statistics compared to a purely excitatory circuit subject to synaptic depression. Importantly, including ITD-sensitive inhibition does not affect the dependence of neuronal tuning on the width of the
stimulus HPR, already observed in the reduced model without inhibition: tuning curves are virtually identical for the range of HPR widths employed in the physiological recordings (Figure 6B). Consistent with our observations in vivo, FI nevertheless decreases around zero ITD as the HPR is widened, despite the neuron’s tuning curve remaining relatively unchanged. In the model, spike-rate-variability around the average response to a particular ITD value (a major determinant of FI) is dominated by the variability in ITD of the inputs themselves. As the stimulus HPR is widened, ITD-variability increases, resulting in a reduction in FI. In summary, based on our model, we propose that inhibition via the DNLL reduces the distribution dependence of IC tuning curves originating from the interplay of changing stimulus distributions and neuronal adaptation arising in the excitatory pathway alone. This may serve to maintain an auditory spatial fovea of high ITD discriminability around midline for all but the most strongly-lateralized ITD stimulus distributions employed in our electrophysiological experiments.

**Discrimination performance of human listeners in a spatial listening task**

Discrimination performance following an adapting sound was measured in human listeners, using a stimulation paradigm closely matched to the physiological experiments. Over headphones, listeners were presented with trials comprising a relatively long (random duration between 1 and 2 s) adaptor noise burst, followed immediately by a target sequence of two short (50 ms) target pure tones (Figure 7A). All sounds in the stimulus sequence were lateralized by means of ITD. A localization discrimination task (Same-Different) was performed on the target tones. The target tones could either have the same ITD (correct response ‘Same’) or ITDs that differed by 200 μs (±100 μs around the nominal target location; correct response ‘Different’) with equal likelihood. Approximately compensating for the difference in head width
between guinea pigs and humans, and consistent with the parameters employed in the electrophysiological recordings, the task was performed at three different mean target locations, corresponding to ITDs of 0 μs (central target), 200 μs (intermediate target) or 500 μs (lateral target). The maximum ITD for humans is ~690 μs (Moore, 2003) compared to ~330 μs in the guinea pig (Sterbing et al., 2003), i.e. about half of this. To this end, relevant comparable FI values in those figures showing electrophysiological data at approximately 0 μs, 100 μs, and 250 μs would be 0 μs, 200 μs and 500 μs respectively. For the noise adaptor, a new ITD was randomly selected every 50 ms from a chosen distribution (as in the physiological recordings). Two low-variance distributions were used, containing ITDs within the range of ±100 μs (central adaptor, Figure 7B, blue) or 400-600 μs (lateral adaptor, Figure 7B, green). A high-variance distribution was also included, containing ITDs within the range ±600 μs (diffuse adaptor, Figure 7B, red). Thus, as in the electrophysiological recordings, the range of ITDs encompasses the naturally-occurring range of ITDs generated by the (here, human) head. In any given trial, listeners (n=10) heard one of the three adaptors followed by one of the three target mean positions. The order of presentation of adaptor/target combinations was fully randomized, and all combinations equally likely, and listeners had to indicated whether the two target tones were the same or different. Listeners were instructed that adaptor location was not informative of target location. Results were analyzed in terms of the sensitivity index $d'$ of signal detection theory (see Methods).

Figure 7 plots discrimination performance at each target location (0, 200 and 500 μs) as a function of the adaptor condition (central, lateral and diffuse. Overall, discrimination performance was markedly better for central targets preceded by central adaptors. For such central adaptors, shifting the target away from midline
resulted in a marked decrease in performance. For lateral adaptors, performance did not change with target location. Following diffuse adaptors (centered at 0 μs but with large variance), performance was better for central than for intermediate and lateral targets, but overall poorer than for all other adaptor conditions. A two-way repeated-measures ANOVA with factors ‘adaptor’ (central, diffuse, lateral) and ‘target’ (central, intermediate, lateral) revealed significant main effects of ‘adaptor’ ($F_{2,18}=16.02$, $p<0.001$) and ‘target’ ($F_{2,18}=6.45$, $p=0.008$). In addition, a highly significant interaction was observed between adaptor and target conditions ($F_{4,36}=8.25$, $p<0.001$), confirming the joint influence of adaptor and target position on performance.

We also analyzed the data for each target location, employing planned comparisons that contrasted co-located adaptors (adaptor and target from the same location) with the diffuse adaptor condition considered as a baseline. For central targets, performance was improved by a central adaptor ($t_{9}=4.77$, $p=0.001$) relative to the diffuse adaptor and, for lateral targets, performance was improved by a lateral adaptor ($t_{9}=5.50$, $p<0.001$) compared with the diffuse adaptor. For intermediate targets, as there was no co-located condition, we tested both lateral and central adaptors. Compared to the diffuse baseline, performance was improved for the lateral adaptor ($t_{9}=2.65$, $p=0.026$), but not for the central adaptor ($t_{9}=1.51$, $p=0.166$).

**Discussion**

We investigated the extent to which adaptation to the distribution of ITDs affects the coding of ITDs in the auditory midbrain of the guinea pig and compared this to the discrimination performance of humans in a spatial listening task. This approach revealed three main findings. First, neural coding of ITDs is sensitive to changes in the mean of a distribution of ITDs. Second, neural sensitivity following adaptation to
different mean ITD distributions remains greatest for spatial locations around the midline. Third, human behavioral performance shows a beneficial effect of adaptation on a spatial discrimination task with many similarities to the neural data.

Comparing neural adaptive coding and human discrimination performance in an adaptive spatial-listening task

A critical feature of our study is that we employed a similar paradigm in the electrophysiological experiments and behavioral task, and strong similarities exist between the two data sets. The main psychophysical finding was that, for central targets, performance was markedly better following a central adaptor than following a diffuse or lateral adaptor, or for other target locations. Consistent with this finding, in the electrophysiology data FI was highest at zero when the HPR was centered at zero. Thus, a central tenet of adaptive coding at the neural level - that it should improve performance in the relevant task - was met. In addition, the diffuse adaptor produced poorer behavioral performance overall, but with performance still peaking at the central target location. Consistent with this, the physiological recordings also showed that a high-variance HPR reduced the FI peak value, without shifting its position. Finally, we also included an intermediate target location in the psychophysics (200 μs, corresponding to approximately 110 μs in guinea pigs assuming a linear mapping between the respective stimulus ranges used), as the physiological data predicted that discriminability for intermediate targets should be higher following adaptation to a fully-lateral HPR on the same side than following central of diffuse adaptor distributions (cf. bottom panels of Figures 4B and 5B, respectively). Note that this prediction is counter-intuitive: in terms of ITDs, the central adaptor is closer to the intermediate target than the lateral adaptor. Nevertheless, this prediction was verified: performance was better at the intermediate target location for a lateral
adaptor compared to central or diffuse adaptor. We argue that this is a particularly strong indication of a causal relation between adaptive coding in the physiology, at the level of single neurons, and behavioral performance on a spatial task.

Nevertheless, one noticeable difference exists between the physiological and psychophysical data: behavioral performance for lateral targets was markedly better than expected from neural FI curves, which were always very low irrespective of the HPR condition. Consistent with physiology, behavioral performance for lateral targets was better following a lateral adaptor compared to diffuse or central adaptors, but performance for lateral targets after a lateral adaptor was relatively good, contrary to expectations from the low FI curves. Reasons for this mismatch are unclear. They could include as yet unknown species differences in the early auditory pathway between guinea pigs and humans, effects of anesthesia, a different mapping of guinea-pig to human ITD space than we assume here, or, inevitably, remaining differences between the passive listening condition and the active task despite our efforts to match them as closely as possible. Related to this latter possibility, Getzmann (2004) and Sach et al. (2000) observed context effects for lateral targets similar to the present data, whereas Maier et al. (2010) did not, and specific differences between paradigms might account for the different outcomes. For instance, Maier et al. (2010) included a silent gap between adaptors and targets and, additionally, employed silence as opposed to diffuse adaptors as a baseline. In both Sach et al. (2000) and Getzmann (2004), the adaptor location was informative about the subsequent target location. It is likely, therefore, that stimulus and procedure details are important for spatial discrimination performance with lateral targets. In all studies, however, a robust context effect was always found for midline target
locations. We suggest that this behavioral outcome is consistent with the adaptive
coding observed in neural recordings.

How strongly adaptive are auditory spatial cues?

Adaptive coding for ITD, although broadly consistent with that for sound level (Dean
et al., 2005), is clearly less pronounced. We observed less of a shift in response
functions towards the mean of the prevalent distribution for ITD than Dean et al.
(2005) for sound level, where the neural population tended to adapt near-fully to the
mean of the underlying distribution of sound levels. Instead, ITD functions appear to
rise from a relatively-fixed location along the ITD axis and the major change was a
reduction in gain as HPRs were positioned at progressively more towards
contralateral-leading ITDs. Fisher information (mirrored and non-mirrored) was
relatively high for ITDs near midline for all HPRs reflecting greater accuracy for
midline spatial positions in sound localization tasks. As Dean et al. (2005) observed,
rate-level functions do not shift to accommodate HPRs centered at sound levels
below the threshold of baseline response functions. This is likely reflected in our data
to the extent that responses would not be evoked by ITDs that lie beyond the range
over which binaural coincidence detection in their excitatory (MSO) inputs generates
an output. This limits the extent to which response functions adapt to encode
ipsilateral-leading HPRs. The adaptive coding seen in the above studies may share
some mechanisms with stimulus specific adaptation in the IC (Zhao et al., 2011;
Lumani and Zhang, 2010; Malmierca et al., 2009; Reches and Gutfreund, 2008), the
adaptive coding perspective elucidates a different but related role of adaptation in the
auditory system. Rather than rendering oddball stimuli more apparent in the neural
response, adaptive coding suggests adaptation may also shape the neural
population response to better represent the whole distribution of possible stimulus values.

A recent study (Dahmen et al. 2010) reported that IC neurons in the ferret adapt their coding capacity to account for the different means and variances of the distribution of interaural level differences (ILDs) – the other binaural cue. Since, in the present study, adaptive coding for ITD was found to be mostly restricted to the midline, might this suggest a difference in adaptive coding for the two binaural cues? We argue that the data of Dahmen et al. (2010) do not warrant such a strong conclusion. A viable explanation for apparent adaptation to ILD distributions is that neurons are simply adapting to changes in sound level (as in Dean et al., 2005; 2008) rather than adapting to ILD. There is a remarkable correspondence between the degrees of adaptation to distributions of ILDs (Dahmen et al., 2010) and diotic sound levels (Dean et al. 2005). Consistent with this notion, Tsai et al. (2010) observed ILD sensitivity of neurons in the LSO (the presumed primary site of ILD sensitivity) to shift along the ILD axis with increasing overall monaural sound level. Additionally, such monaurally-evoked adaptation to sound level combined with an adaptation-unaware decoder would qualitatively predict the psychophysical repulsion effect reported in Dahmen et al., 2010 (see Seriès et al., 2009 regarding the visual tilt after-effect). Their data could also be accounted for by responses of neurons entirely insensitive to ILD, since an increase in ILD in their stimulus paradigm is always accompanied by a corresponding increase in level at the ipsilateral ear. Finally, in contrast to our study, where distributions confined to the physiological range were employed, Dahmen et al. (2010) employed ILD distributions centered at +15 or -15 dB, which are unlikely to be experienced under natural listening conditions for sounds in the horizontal plane over the range 4-16 kHz (Carlile, 1990). In summary, direct comparisons between the
results of Dahmen et al. (2010) and our own data in terms of their bearing on natural, spatial listening remains tenuous at best.

The limited degree of adaptation observed in encoding of ITDs compared to sound level (Dean et al., 2005) may be rationalized by a simple ethological consideration. Depending on the situation, mean environmental sound intensities can vary over many orders of magnitude. Importantly, despite limited gain control mechanisms in the middle and inner ear, the effective sound level is by-and-large not under immediate control of the listener, and the task of compensating for such gross differences in scale is thus left to the central nervous system. Conversely, in the context of sound localization, we are able freely to choose the ITD (and ILD) midline simply by turning our heads. Hence, the need for adaptive coding of auditory spatial cues at the neural level may be alleviated by the common behavioral response of a head orientation to sound-sources perceived to originate from one side or the other, following which fine discrimination can proceed around the new midline. Our data bear this out, with neural and psychophysical performance dominated by high performance for frontal locations, and the biggest benefits of adaptive coding also observed for those frontal locations. It is also unlikely that an unfolding distribution of highly-variable binaural cues corresponds to the movement of a single source whose movement is tracked with any precision. Our psychophysical evidence of poor discrimination performance for any target location when a high-variance adaptor was employed is consistent with the view that random and highly-variable changes in spatial cues are not treated as originating from a single source in motion but, rather, reflect a complex listening condition where no one source location dominates. This is also consistent with the reduced performance near zero ITD in the neural data when stimulus variance was high.
References


Figure Legends

Figure 1.
Sound sources (here located closer to one ear than the other) generate phase-locked action potentials in the auditory nerve fibers that are transmitted via the cochlear nucleus (CN) to the first stage of binaural integration in the medial superior olive (MSO; one in each brain hemisphere). MSO neurons act as binaural cross-correlators, coding the instantaneous value of the ITD, and responding maximally to sounds leading at the contralateral ear. The output of the MSO – retaining phase-locking capacities - projects ipsilaterally to the major auditory midbrain nucleus, the inferior colliculus (IC). The IC also receives phase-locked inhibitory (GABA-ergic) input from the dorsal nucleus of lateral lemniscus (DNLL) on the opposite side of the brain, reflecting ITD processing of the MSO in the other brain hemisphere, such that its maximum inhibitory influence (here plotted downwards for larger inhibitory influences) is greatest for negative (ipsilateral-leading ITDs).

Figure 2
Computation of tuning curves and Fisher information from neural responses. a) Each distribution of ITDs comprises a high-probability region (HPR) from which 80% of values are drawn, the remaining 20% contained within the range encompassed by the guinea pig’s physiological range (±330 μs). Here, the HPR is centered at -132 μs (i.e. leading in time at the ipsilateral ear) with a width of ±66 μs. b) Identical broadband noise (5 s) was presented to each ear with ITDs selected randomly every 50 ms from the distribution. c) The stimulus modulated the responses of isolated ITD-sensitive neurons (here, in the form of a peri-stimulus-time histogram). d) Probability-density-
function (pdf) of the response to multiple presentations of the HPR stimulus. The color indicates the probability of a particular spikes count (number of spikes over a 50-ms-epoch, on the y-axis) occurring in response to the ITD given on the x-axis (or to be precise, the range of ITDs in a ~13 μs bin). All presentations of the most negative (ipsilateral-leading) ITD, for example, evoked zero spikes, and therefore all of spike counts for this ITD fall into the ‘0’ bin. For increasingly contralateral ITDs, however, the proportion of trials evoking spikes increases, and thus the probability of spike counts occurring in bins other than ‘0’ also increases. Note that as the spike count probability increases the variability of the spike count also increases (indicated by the spread of bins in which spike counts were observed). The spike count-vs-ITD function is shown by the blue curve, and the calculated Fisher information by the green curve. The Fisher information depends on both the mean of the spike count and its variability.

Figure 3

Responses of three IC neurons to HPRs centered at -264, -132, 0, +132 or+264 μs, widths fixed at ±66 μs around the center (horizontal bars along the x-axis). Top row: rate-vs.-ITD functions showed highest gain when HPRs were positioned at ipsilateral-leading (negative) ITDs (magenta and red), gain falling as the HPR was shifted to contralateral-leading ITDs. Some neurons (left and middle columns) also showed shifts in their tuning curves along the ITD axis (relative to the zero-centered response) but only for HPRs located at ipsilateral-leading ITDs. Middle row: Gain and shifts for different HPRs relative to the zero-centered HPR. Bottom row: Fisher information indicates information to be highest around zero ITD for the zero-centered HPR, shifting laterally only for HPRs with the longest mean ITDs. In all cases, the bars on the lines are the standard error of mean, estimated by bootstrapping for the
Fisher Information, and directly calculated in the figures. Non-overlapping standard errors on two different lines are regarded as a significant difference for the single neuron.

**Figure 4**

**a)** Plots of neural gain (*left*), the position of the steepest slope (*middle*) and the position of peak Fisher information (*right*) for 23 individual IC neurons for each HPR. Individual values are plotted with respect to the gain, position of steepest slope and position of peak Fisher information relative to that for the response to the zero-centered HPR. The red lines plot the median values. Some data points are outside the bounds of the plot, so that the median values can be clearly seen. **b)** Summed Fisher information for neurons in response to changes in the center of the HPR. The *top* panel shows Fisher information for all neurons in one IC. The *bottom* panel shows mirrored Fisher information, taking account of the contribution of both sides of the brain.

**Figure 5**

**a)** Responses of two neurons, where the width of the HPR centered at zero was changed. The width of each HPR ranged from ±6.5 μs, to ±264 μs. Since 264 μs is 80 % of 330 μs (the full range of ITDs explored) and contains 80 % of epochs, the ±264 μs HPR distribution constitutes one in which all ITDs are equally likely (i.e. a uniform distribution across the range ±330 μs). Save for some changes in neural gain, IC neurons were relative insensitive to changes in the variance of the distribution of ITDs, with little evidence of scaling to accommodate the wider HPRs. The bars on the lines are the standard error of mean, as with Figure 3. **b)** The
reduction in gain is reflected in reduced Fisher information for ITDs around zero for a wide vs a narrow distribution (n=10).

Figure 6

Responses of model IC neurons, showing raw and normalized discharge rates (top and middle rows) and Fisher information (bottom row). a) The left column shows output of model neuron in which only synaptic depression, but no ITD-sensitive GABA\(_A\)-mediate inhibition from the DNLL was implemented. Gain changes and shifts for both ipsilaterally and contralaterally-centered distributions are evident in response to different HPR centers. These shifts can be observed in the normalized functions and underlie the shifts in Fisher information. In the middle column, ITD-sensitive GABA\(_A\)-mediated inhibition from the DNLL is set to an intermediate level such that shifts remain only for ipsilateral-leading HPRs (as observed in some neurons). In the right column, the inhibition from the DNLL is increased to fully counteract the shift in neural tuning (as observed in other neurons). The 'zoomed' inset figures show the average normalized tuning curves (averaged over many instances of the stimulus and IC integration noise), expanded around the "50 % maximum firing" point on the ordinate. The circles indicate average ITD that evoked 50 % maximum firing rate, and the error bars the standard deviation (along the abscissa) around this mean rate for the central and the two most lateral distributions. b) Widening the HPR around the midline causes a reduction in Fisher information, but has little effect on model tuning curves overall, compared to changes in mean (inhibition as in a), middle column).

Figure 7

Psychophysical experiment. a) Illustration of the behavioral task. A noise adaptor with ITDs randomly drawn each 50ms was immediately followed by two target pure tones,
also 50ms in duration. The uniform distribution for the adaptors covered the range [-
100 100] μs for central adaptors, [400 600] μs for lateral adaptors, and [-600 600] μs
for diffuse adaptors (not shown). The target tones were centered at ITDs of 0μs,
200μs, or 500 μs. Target tones had the same ITDs for “same” trials, and ITDs that
differed by 200 μs for “different” trials. The example shown here is for a central
adaptor, a 0 μs, target, and “different” trial. b) Discrimination performance (plotted as
d’) for each adaptor employed as a function of target location. The mean d’ for the
group of listeners (N=10) is shown, together with the standard error about the mean.
Performance was best for central adaptor and 0 μs target (blue) compared to all
other adaptor-target combinations. For lateral adaptors (green), performance
remained level independent of the target presented. Discriminating intermediate
targets benefited from lateral adaptor presentation. Finally, presentation of the diffuse
adaptor (red) resulted in the lowest discrimination performance.
Figure 2

A

B

C

D

Figure 2
Figure 3
Figure 5
Figure 6
Figure 7