Static frequency tuning accounts for changes in neural synchrony evoked by transient communication signals.

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Abstract

Although communication signals often vary continuously on the underlying signal parameter, they are perceived as distinct categories. We here report the opposite case where an electrocommunication signal is encoded in four distinct regimes, although the behaviour described to date does not show distinct categories. In particular, we studied the encoding of chirps by P-unit afferents in the weakly electric fish *Apterontus leptorhynchus*. These fish generate an electric organ discharge that
oscillates at a certain individual-specific frequency. The interaction of two fish in communication contexts leads to the emergence of a beating amplitude modulation (AM) at the frequency difference between the two individual signals. This frequency difference represents the social context of the encounter. Chirps are transient increases of the fish’s frequency leading to transient changes in the frequency of the AM. We stimulated the cells with the same chirp on different, naturally occurring backgrounds beats. The P-units responded either by synchronization or desynchronization depending on the background. Although the duration of a chirp is often shorter than a full cycle of the AM it elicits, the distinct responses of the P-units to the chirp can be predicted solely from the frequency of the AM based on the static frequency tuning of the cells.

**Introduction**

The correct decoding of communication signals in aggressive and mating contexts is crucial to an animal’s survival and reproductive success. Not surprisingly, the perception of communication signals happens robustly, even though their characteristic features often only last milliseconds (e.g. Vernaleo and Dooling, 2011; Salgado and Zupanc, 2011). Many acoustic as well as electric signals include frequency sweeps and modulations in a variety of vertebrate species ranging from fish (Zakon et al., 2002) over bats (Siemers and Schnitzler, 2004) to primates (Wang et al., 1995) and humans (Liberman and Mattingly, 1989). They often occur in social situations in which interfering signals from different individuals (Cherry, 1953; Zupanc and Maler, 1993; McKibben and Bass, 1998) make decoding particularly hard.
Albeit often consisting of continuously variable acoustic signals, communication signals are perceived as distinct categories (e.g. in humans, Holt and Lotto, 2010, monkeys, May et al., 1989, or birds, Nelson and Marler, 1989). Recent studies have revealed neural correlates of this mapping from variable sensory stimuli to perceptual categories (Prather et al., 2009; Gifford et al., 2005). Here we find that, on the level of electroreceptor units, the same electrocommunication signal is encoded in four different regimes of beat frequencies. This distinction is not reflected by corresponding behavioural categories. A socially relevant background signal that interacts with the electrocommunication signal had previously been found to continuously influence communication behaviour (Bastian et al., 2001; Hupé et al., 2008; Walz et al., 2013).

Weakly electric fish emit an electric organ discharge (EOD) which they use for navigation and communication purposes. Their EOD oscillates at an individual-specific frequency that is stable under baseline conditions, but modulated in the context of communication (Moortgat et al., 1998; Zakon et al., 2002). The electrocommunication signal we focus on is the so-called small (type-2) chirp (Hagedorn and Heiligenberg, 1985; Dye, 1987). During such a chirp, the emitting fish transiently increases the EOD frequency (EODf) by around 100 Hz for a few tens of milliseconds. As a result the EOD amplitude of the emitting and perceiving fish is modulated depending on the background beat frequency, that equals the frequency difference between the two EODf (Zupanc and Maler, 1993; Benda et al., 2005; Walz et al., 2013). Different beat signals resemble different social encounters, because the EODf depends on gender (Meyer et al., 1987; Zakon and Dunlap, 1999) and size (Triefenbach and Zakon, 2008; Fugère et al., 2011) of the fish. The beat frequency therefore potentially reflects how different the fish are in these aspects.
The beat also influences chirp production with more chirps being produced at lower beat frequencies (Engler and Zupanc, 2001; Bastian et al., 2001; Hupé et al., 2008).

Amplitude modulations such as beats and chirps are primarily encoded by P-type electroreceptor afferents. These neurons fire phase-locked action potentials to each EOD cycle with a probability that depends both on the amplitude and the frequency of amplitude modulations. P-units show strong spike-frequency adaptation and thus reduced responses to slow AM frequencies. Chirps transiently increase the AM frequency, release the P-units from adaptation and increase their response when emitted on low beat frequencies (Benda et al., 2005). However, as we show, the P-unit response differs when chirps occur on other beat frequencies.

We start out with describing the signals chirps elicit at different background beats. Our single unit as well as whole nerve recordings demonstrate that the chirp either synchronizes or desynchronizes the population of P-unit receptor afferents depending on the beat frequency. This results into a division of the representation of the chirp on the receptor level into four coding regimes. We finally demonstrate that the rapid responses of the cells to chirps can be well predicted based on their frequency tuning curves and that the position of the chirps within the beat only plays a role at low beat frequencies.
Material and Methods

In-vivo electrophysiology

Intracellular as well as whole nerve recordings were made from the anterior part of the lateral line nerve of 52 Brown Ghost Knifefish (*Apteronotus leptorhynchus*, Gymnotiformes) of either sex (46 for intracellular and 6 for whole nerve recordings, 12–16 cm body length, EOD frequency between 602-948,767.3+/−96.87).

First, fish were anesthetized with MS-222 (120 mg/l; PharmaQ; Fordingbridge, UK) and a small part of the skin was removed atop of the lateral line just behind the skull. Right after surgery and throughout the entire electrophysiological experiment the margin of the wound was regularly treated by local anesthetics Lidocaine (2%; bela-pharm; Vechta, Germany). The nerve was not affected by this treatment since we found no difference between recordings from the nerve and recordings from the deep fiber layer in the electrosensory lateral line lobe (Benda et al., 2005, 2006). For the recordings fish were immobilized (Tubocurarine; Sigma-Aldrich; Steinheim, Germany, 25–50 µl, of 5 mg/ml solution), placed in a tank, and respired by a constant flow of water through their mouth. The water in the experimental tank (47 × 42 × 12 cm) was from the fish’s home tank with a conductivity of about 300 µS/cm and kept at 28°C. All experimental protocols were approved and complied with national and regional laws (file no. 55.2-1-54-2531-135-09).

For intracellular recordings of P-unit afferents, we used standard glass microelectrodes (borosilicate; 1.5 mm outer diameter; GB150F-8P, Science Products, Hofheim, Germany) pulled to a resistance of 50–100 MΩ (Model P-97, Sutter Instrument Co., Novato, CA,
USA) and filled with a 1 M KCl solution. Electrodes were advanced into the nerve using microdrives (Luigs-Neumann; Ratingen, Germany). Potentials were recorded using the bridge mode of the SEC-05 amplifier (npi-electronics GmbH, Tamm, Germany) and lowpass filtered at 10 kHz.

Spikes were detected online as peaks that exceeded a dynamically adjusted threshold value above the previous detected trough (Todd and Andrews, 1999). To track changes in amplitude of the recorded spikes the threshold was set to 50% of the amplitude of a detected spike, but not below a minimum threshold that was set above the noise in the recording based on a histogram of all peak amplitudes. Trials with bad spike detection were discarded from further offline analysis.

Population activity in whole nerve recordings was measured using a pair of hook electrodes of chlorided silver wire. Recorded signals were differentially amplified (gain between 200 and 2000) and band-pass filtered (2 – 5000 Hz passband, DPA2-FX, npi-electronics, Tamm, Germany). The strong EOD artifact in this kind of recording was eliminated prior to further analysis by applying a running average of the size of one EOD period (Benda et al., 2006).

The EOD of the fish was recorded between its head and tail using a pair of vertical carbon rods (11 cm long, 8 mm diameter), amplified 200 to 500 times and band-pass filtered (3 – 1500 Hz passband, DPA2-FX, npi-electronics, Tamm, Germany). These electrodes were placed isopotential to the stimulus field (see below) to eliminate contamination with the stimulus. During electrophysiological experiments the actual stimulus driving the receptor cells was estimated by recording the voltage between a pair of silver wires (1 cm apart) placed perpendicular to the trunk of the fish, thus approximating the transder-
mal voltage (amplification 200 to 500×, band-pass filtered with 3 – 1500 Hz passband, DPA2-FX, npi-electronics, Tamm, Germany).

For online spike and EOD detection, stimulus generation and calibration, as well as pre-analysis and visualization of the data, we used the ephys, efield, and efish plugin sets of the software RELACS (www.relacs.net) running on a Debian Linux computer. All recorded data were digitized using a data acquisition board (PCI-6229; National Instruments, Austin TX, USA) at a sampling rate of 20kHz.

**Electro sensory stimulation**

During experiments the electro sensory scene representing different encounters with other fish was created by electrical stimulation. The stimuli were applied using a pair of stimulation electrodes (carbon rods, 30 cm long, 8 mm diameter) placed on either side of the fish parallel to its longitudinal axis. Stimuli were computer-generated and passed to the stimulation electrodes after being attenuated to the right amplitude and isolated from ground (Attenuator: ATN-01M, Isolator: ISO-02V, npi-electronics, Tamm, Germany).

The EOD of a second fish can be mimicked by stimulating directly with a sine wave of an appropriate amplitude and frequency. The superposition of this stimulus with the EOD of the fish from which we recorded results in a beat, a periodic amplitude modulation (AM) with a frequency given by the difference between the frequencies of the stimulus and the EOD of the fish, the “difference frequency” \( \Delta f_{\text{Beat}} \), and an amplitude \( A \) that we set to 10 or 20% of the amplitude of the fish’s EOD. In addition chirps can be mimicked by Gaussian frequency and amplitude modulation of the stimulating sine wave. The
time-dependent frequency difference $\Delta f(t)$ between stimulus and EODf then follows

$$
\Delta f(t) = \Delta f_{\text{Beat}} + s \cdot \exp \left( -\frac{t^2}{2\sigma^2} \right),
$$

where $\Delta f_{\text{Beat}}$ is the difference frequency of the underlying beat, $s$ is the maximal frequency excursion during the chirp (its size), and $\sigma = \Delta t / \sqrt{2 \ln 10}$ sets the width of the chirp, $\Delta t$, at 10% height of the Gaussian modulation. We used chirps of $s = 60$ or 100 Hz and $\Delta t = 14$ ms. The amplitude of the EOD of the emitting fish was decreased by a Gaussian of the same width by maximally 2% of the baseline amplitude (see Fig. 1 for a schema of a small chirp). The sine wave stimulus including the chirp leads to a specific AM of the EOD with a frequency following Eq. (1) that is encoded by the P-units.

Alternatively to stimulation with an EOD mimic, any AM can be obtained by multiplying the intended AM with the fish’s own EOD (multiplicator: MXS-01M, npi-electronics, Tamm, Germany) and playing the multiplied signal back via the stimulation electrodes.

In order to generate the AM resulting from the superposition of the EOD of a fish emitting a chirp at time $t = 0$ and a receiving fish we computed the amplitude modulation according to

$$
AM(t) = A(t) \cos(\Delta \phi(t)) ,
$$

where

$$
\Delta \phi(t) = 2\pi \int_{-\infty}^{t} \Delta f(t') \, dt' = 2\pi \Delta f_{\text{Beat}} t + 2\pi s \sigma \int_{-\infty}^{t/\sigma} \exp(-z^2) \, dz + \Delta \phi_0 ,
$$

is the phase of the beat as the time integral over the frequency difference of the two EODs. The first term models the beat resulting from the superposition of the two EODs with the difference frequency $\Delta f_{\text{Beat}}$. The second term accounts for the Gaussian increase of
the frequency difference during the chirp. $\Delta \phi_0$ determines the phase of the beat cycle at which the chirp occurs — it is zero at the peak of a beat cycle. In addition, the EOD amplitude $A(t)$ was decreased by multiplying it with a Gaussian kernel of the same width and centered at time $t = 0$ by 2%.

A single stimulus of a given difference frequency was composed of chirps at ten different phases of the beat (every $36^\circ$). At least 200 ms or one beat period, whichever was larger, separated the chirps. Each such stimulus of ten chirps was repeated 16 times. Then the next stimulus with a different difference frequency, contrast, or chirp size was played. After recording, chirps evoked by the same stimulus were grouped according to the measured phase of the beat at which they occurred. Because of slight changes in EODf of the fish, the phase of a chirp within a beat cycle can vary when using direct stimulation, so that instead of exactly 16 we got between 10 to 20 responses to each chirp of a given phase.

Both the direct and the AM stimuli primarily elicit responses in P-unit electroreceptors. Since we found no differences in the evoked effects on the cells, data from both stimulation paradigms were pooled (Benda et al., 2005). We also pooled data over both contrasts used (10 and 20 %), since we did not obtain different results when analyzed separately.

**Chirp encoding analysis**

The time course of the firing rate (the PSTH) was computed by convolving each spike train with a Gaussian kernel with a standard deviation of 1 ms and averaging over trials. We chose 1 ms as our default kernel since it corresponds to the fast excitatory component
of post-synaptic potentials evoked by P-units in their target cells, the pyramidal cells in
the ELL (Berman and Maler, 1998). We also tested different kernel widths and found
small quantitative, but no qualitative differences (not shown).

We calculated the response during beat and chirp by averaging within two time win-
dows, one located during the beat before the presentation of a chirp and the other one
centered around the chirp. For the size of the analysis window for responses to the beat
we took the largest integer multiple of the beat period smaller than 60 ms but at least one
full beat period for beat cycles longer than 60 ms. The window for chirp response analysis
spanned the width of the chirp stimulus (14 ms) stretched by a factor of 1.2, and was
shifted by 5 ms with respect to the time of stimulus application to account for neuronal
delays. The firing rate response in each time window was assessed as the modulation
depth of the firing rate, i.e. the standard deviation of the PSTH. The population activity
recorded from the lateral line nerve was similarly assessed by calculating the standard
deviation of the recorded voltage.

The average correlation between pairs \((i, j)\) of spike trains, as a measure of synchrony,
was quantified by means of the correlation coefficient

\[
 r_{ij} = \frac{\langle (s_i - \langle s_i \rangle_t)(s_j - \langle s_j \rangle_t) \rangle_t}{\sqrt{\langle (s_i - \langle s_i \rangle_t)^2 \rangle_t} \sqrt{\langle (s_j - \langle s_j \rangle_t)^2 \rangle_t}}
\] (4)

where \(s_i\) and \(s_j\) are two spike trains convolved with a Gaussian kernel with a standard
deviation of 1 ms (see above) and \(\langle \ldots \rangle_t\) denotes averaging over time. The \(r_{ij}\) are then
averaged over all possible pairs of spike trains recorded in one cell in response to a specific
stimulus.

To assess the effect of chirps at different beats we calculated the chirp selectivity index
(CSI, see Vonderschen and Chacron, 2011) as

\[
CSI = \frac{r_{\text{chirp}} - r_{\text{beat}}}{r_{\text{chirp}} + r_{\text{beat}}}
\]  

(5)

where \( r_{\text{chirp}} \) is the response (standard deviation of the firing rate or of the population activity, or spike-train correlation) during the chirp and \( r_{\text{beat}} \) is the response during the beat. The CSI is greater than zero when chirps increase a cells’ response, and less than zero if they decrease the response relative to the response evoked by the beat. Note that the CSI yields qualitatively similar results to that of the chirp gain (\( r_{\text{chirp}}/r_{\text{beat}} \)) used in previous studies (Benda et al., 2005, 2006).

We also predicted the CSI solely from the responses of P-units to beats, i.e. their AM frequency tuning. This analysis is based on the simplifying assumption that P-units only respond to the frequency change of the AM caused by the chirp. For the predictions we first calculated the mean frequency excursion of the chirp, which is 60 Hz in the case of a chirp of \( s = 100 \text{Hz} \). We then predicted the response to the chirp to be similar to the response to a beat that is 60 Hz higher than the underlying background beat. The predicted CSI was subsequently calculated between the response to the beat of the frequency elicited by the chirp (60 Hz above underlying beat frequency) and the response to the underlying beat. The predictions were calculated from the tuning curves of single nerves, which were averaged over different trials.
Chirp discrimination analysis

The distance between two spike trains was quantified using a spike train metric according to

$$d^2(s_i, s_j)_{\tau_c} = \frac{1}{\tau_c} \int_{t_1}^{t_2} [s_i - s_j]^2 \, dt \quad (6)$$

where $s_i$ and $s_j$ are two spike trains convolved with an alpha-function of width $\tau_c$ that we varied from 1 to 100 ms (van Rossum, 2001). We examined P-unit responses on two different integration intervals: one ranging from $t_1 = -10$ ms to $t_2 = 25$ ms that contained the chirp response only (as in Marsat and Maler, 2010), while the other ranging from $t_1 = -10$ ms to $t_2 = 100$ ms in addition contained the beat context (as in Vonderschen and Chacron, 2011).

We then asked whether the spike trains evoked by chirps occurring on different phases in the beat are distinguishable. For this we grouped all spike trains evoked by a chirp of a specific size according to the phase $\Delta \phi_0$ in the beat where the chirp occurred into $n = 10$ phase bins indexed by $a$, each bin covering $36^\circ$. We then took each spike train, computed its average distance (Eq. (6)) to all the spike trains of each of the bins, and incremented the number of assigned spike trains in that bin $b$ with the minimal average distance to the spike train by one. Chirps occurring in different phases of the beat would be optimally distinguishable if each spike train was assigned to the same phase bin it originated from. From this procedure we constructed confusion matrices $p(a, b)$ by counting the number of spike trains originating from phase bin $a$ and assigned to phase bin $b$ for all $n^2$ combinations of phase bins $a$ and $b$ and normalizing by the total number of spike trains. The confusion matrices were averaged over all cells. In case of optimal distinction, this matrix only had
values different from zero on the diagonal where \( a = b \). The less well different phases could be distinguished the more off-diagonal elements would carry significant entries.

The discriminability can be quantified by the mutual information \( I \) contained in this confusion matrix, which is calculated according to

\[
I = \sum_{a=1}^{n} \sum_{b=1}^{n} p(a,b) \log_2 \frac{p(a,b)}{p(a) \cdot p(b)}
\]

where \( p(a) \) is the fraction of trials in which the chirp was delivered at a beat phase falling into phase bin \( a \) and \( p(b) \) is the fraction of spike trains that was assigned as having been evoked by beat phase in bin \( b \). \( p(a,b) \) is the fraction of responses that were assigned to beat phase \( b \), although having been elicited by \( a \). We normalized the mutual information by its maximum possible value \( I_{\text{max}} = -\sum_{a=1}^{n} p(a) \log_2 p(a) \), the entropy of the stimulus, such that the relative mutual information

\[
I_{\text{rel}} = \frac{I}{I_{\text{max}}}
\]

ranges from zero to one, with higher values indicating better discriminability.

**Results**

**EOD amplitude modulations caused by small chirps**

Small chirps (Engler et al., 2000) are short EOD modulations of a small Gaussian-shaped frequency excursion ranging from a few tens up to about 150 Hz (the size of a chirp \( s \)) and lasting for around 10–20 ms (its width \( \Delta t \); Engler et al., 2000; Engler and Zupanc, 2001; Bastian et al., 2001; Kolodziejski et al., 2007, see Fig. 1A,B). The superposition of
two EODs leads to a regular amplitude modulation, i.e. the beat. At a receiving fish, a chirp causes a characteristic disruption of the regular beat pattern (Fig. 1 C), for example a brief acceleration (Fig. 1 D).

**Figure 1:** near here.

**Figure 2:** near here.

However, the AM caused by a chirp strongly depends on the difference frequency of the underlying beat, $\Delta f_{\text{Beat}}$, indicating the social context, as well as on the phase, $\Delta \phi$ within the beat cycle at which the chirp occurs (Fig. 2). The time course of the AM (first and third column) is determined by the phase difference between the two EODs (middle column). During normal beats, the phase difference increases or decreases with constant slope. This slope is set by the difference frequency $\Delta f_{\text{Beat}}$ between the EODf of the chirping and the EODf of the receiving fish. The absolute value of $\Delta f_{\text{Beat}}$ is the frequency of the resulting beat AM. Throughout this paper we calculate $\Delta f$ as the frequency of the communicating fish, EODf$_2$, (i.e. the frequency of the stimulus) minus the frequency of the receiving fish, EODf$_1$. Thus, $\Delta f$ is positive if the stimulation frequency is above the EOD frequency of the recorded fish. A chirp always constitutes an increase in EODf$_2$. Therefore, the transient change in $\Delta f(t)$ that a chirp induces depends on both the value and the sign of the beat frequency $\Delta f_{\text{Beat}}$.

At positive $\Delta f_{\text{Beat}}$, when EODf$_2$ is greater than EODf$_1$, a chirp transiently increases $\Delta f(t)$ and thus briefly accelerates the beat AM (Fig. 1 D). At low $\Delta f_{\text{Beat}}$, the chirp leads
to a fast up- or down stroke depending on the phase of the beat at which it is emitted (Fig. 2A). At faster $\Delta f_{\text{Beat}}$, the chirp spans several periods of the beat and thus the beat phase at which it occurs is not as crucial anymore (Fig. 2B).

When $EODf_2$ is lower than $EODf_1$, $\Delta f_{\text{Beat}}$ is negative and $\Delta \phi(t)$ decreases with time (Fig. 2C,D middle column). Now, the transient increase in EODf$_2$ caused by the chirp decreases $\Delta f(t)$ and thus slows down the beat. It could even invert the sign of $\Delta f(t)$. The latter occurs at $\Delta f_{\text{Beat}}$ between $-90$ and $0$ Hz and results in a plateau-like signal (Fig. 2C). At faster negative $\Delta f_{\text{Beat}}$ the chirp leads to a few periods of a slower beat (Fig. 2D).

Although the original communication signal, the chirp, is always the same (Fig. 2E), it causes a huge variety of AM signals depending on the underlying beat parameters (its frequency $\Delta f_{\text{Beat}}$ and phase $\Delta \phi$). In the following we demonstrate how these different signals are encoded in the electrosonic system.

**Chirps increase P-unit responses at slow positive difference frequencies**

The AMs of both beats and chirps are encoded in P-unit electroreceptors. In the absence of a beat, the P-units fire randomly with a constant rate (Fig. 3, left column). When the cell is stimulated with a slow beat (e.g. 10 Hz in Fig. 3, middle column), its firing rate closely follows the stimulus. However, spike timing appears to exhibit a high degree of variability when compared across trials (Fig. 3B).

As was shown before (Benda et al., 2005, 2006), a small chirp increases the cell’s response when superimposed on such a slow beat. The peak of the firing rate during
the chirp clearly exceeds that during the beat (Fig. 3C, middle column), although the maximal amplitude of the stimulus is the same during chirp and beat periods (Fig. 3A, middle column).

The shortest inter-spike interval of the cell’s response is determined by the frequency of the fish’s EOD (Fig. 3B, middle column). During the fast upstroke of the chirp, the cell reaches this highest possible firing rate. Here, the inter-spike intervals are on the order of one EOD period and consequently the correlation over trials is high. The increase in firing rate is thus caused by both, an increase in instantaneous firing rate as well as an increase in correlation across trials (Fig. 3B, middle column).

**Figure 3:** near here.

**Chirps decrease P-unit responses at faster beats**

At higher beat frequencies, for example $\Delta f_{\text{Beat}} = 100$ Hz, the cell responds with an increased maximal firing rate of about 600 Hz to the beat (Fig. 3 right column). Further, two action potentials are predominantly fired in response to each beat cycle (Fig. 3B, right column). In contrast to the slow beat described above the chirp now decreases the peak firing rate (Fig. 3C) and the locking pattern breaks down during the chirp due to missing spikes (see spike raster in Fig. 3B).
**Population activity is either synchronized or desynchronized by chirps**

The receptor afferents are subject to uncorrelated noise whose source has not been identified but probably is channel noise (Chacron et al., 2005; Benda et al., 2006). This implies that the effects seen over subsequent trials recorded in single cells are expected to persist at the population level as well. To test this, we measured the population response in whole-nerve recordings for the same chirp/beat combinations as used in single cell recordings. The population response is bigger the more afferents fire in synchrony and gets cancelled out as afferents fire asynchronously. A chirp on a slow beat increases the population activity (Fig. 3D, middle column), suggesting an increase in synchrony among cells. The population activity is already high in response to a faster beat (Fig. 3D, right column) and is decreased by the chirp. The population activity thus resembles the effects shown for the single cell and supports the assumption that the correlation between trials recorded from single cells mirrors the synchrony among cells in a population.

**Synchronization and desynchronization of P-unit activity at negative difference frequencies**

*Figure 4: near here.*

The time course of a pure beat AM is determined only by the magnitude, not by the sign of the difference frequency. At negative $\Delta f_{\text{Beat}}$ that arise in interactions with an EOD of lower frequency than that of the receiving fish, the resulting beat AMs are thus
the same as the AMs of the corresponding positive $\Delta f_{\text{Beat}}$. However, a chirp occurring on a beat of negative $\Delta f_{\text{Beat}}$ causes quite different P-unit responses as compared to one occurring on the corresponding positive $\Delta f_{\text{Beat}}$. The chirp now decreases the absolute $\Delta f(t)$ (Fig. 2D).

At intermediate negative $\Delta f_{\text{Beat}}$, where the chirp transiently inverts the sign of the frequency difference and a plateau-like signal evolves (Fig. 2C), the response depends on where the plateau occurs, namely at which phase of the beat the chirp is emitted. In Fig. 4, middle column, we show an example where the chirp occurs more towards the trough in the beat, and the cells cease firing. They keep on firing at high levels if the chirp occurs at the peak of the beat (not shown). For all cases, the correlation between trials decreases in response to this slow signal. At very fast beats, where the response to beats is reduced due to the high frequency, it is now transiently increased by the chirp (Fig. 4, right column).

**Four distinct regimes for encoding chirps at different beat frequencies**

**Figure 5:** near here.

The examples shown so far suggest a strong influence of $\Delta f_{\text{Beat}}$ on the synchronization or desynchronization of the P-unit response by a chirp. In the following we will systematically examine this effect and quantify the P-unit responses by the chirp selectivity index ($CSI$), i.e. the contrast between the responses to chirps and beats (see methods and
Vonderschen and Chacron, 2011). As the response of P-units fluctuates around a mean firing rate, we determined the CSI in terms of the firing rate fluctuation (as calculated by the standard deviation) and the correlation over trials.

The CSIs pooled over all single unit recordings \( n = 220 \) cells as well as over all \( n = 9 \) population recordings confirm the impression of the example recordings shown above (note that we included repeated measurements of 3 of the 6 nerves from which we had performed whole nerve recordings). There are four regimes of \( \Delta f_{\text{Beat}} \) in which the firing rate, the spike correlation, and the population activity are affected in the same way by a chirp of size \( s = 100 \text{ Hz} \) (Fig. 5, left column): At large negative \( \Delta f_{\text{Beat}} \) (below \(-100 \text{ Hz}\)) the CSI is greater than zero, indicating an increase in firing rate as well as synchrony in response to the chirp (regime 1 in Fig. 5). At slow negative \( \Delta f_{\text{Beat}} \) between \(-80 \) and \(-20 \text{ Hz}\) the chirp desynchronizes the P-unit responses \( (CSI < 0) \) (regime 2). For positive \( \Delta f_{\text{Beat}} \) the opposite happens: At low beat frequencies between about 0 and 30 Hz, the CSI is positive again (synchronization, regime 3), while all beats faster than 30 Hz lead to a CSI less than zero (desynchronization, regime 4). At these high beat frequencies, the effect is less prominent for spike correlations. The results at most \( \Delta f_{\text{Beat}} \) differ statistically significantly from zero (p-value < 0.05 and corrected with a modified Bonferroni correction, Simes method, Simes, 1986), indicating that chirps affect the responses and that both effects, decreases as well as increases in the response, are consistent and reliable over cells. Values at the zero-crossings, where the CSI changes from being positive to being negative or vice-versa, values are not distinguishable from zero.

Similar results are obtained for the responses to chirps with a smaller size of 60 Hz (Fig. 5, right column). However, effects are smaller at many \( \Delta f_{\text{Beat}} \), especially at high
positive ones (arrow 1 in Fig. 5 B, right column). Accordingly, many values are not significantly different from zero (significance is indicated by asterisks), particularly regarding correlation across trials. Also, the zero crossings of the CSI curves slightly differ between the 100 Hz and the 60 Hz chirp (arrows 2 and 3 in Fig. 5 B).

In summary, chirps are encoded by P-units over the whole behaviourally relevant repertoire of beats. However, depending on $\Delta f_{\text{Beat}}$, a chirp either synchronizes or desynchronizes the P-unit population, leading to either an increase or decrease of both the response’s rate and correlation across trials. This partitions the $\Delta f_{\text{Beat}}$ in four distinct regions. In the following we analyze how the responses to chirps are generated and how cell heterogeneity and more detailed aspects of a chirp influence the response to chirps.

**Predicting the response to chirps from frequency tuning**

As described above, a chirp increases the frequency difference $\Delta f(t)$ for a short time (Fig. 2) and with that transiently modulates the frequency of the resulting AM that is encoded by the P-units. The response of a P-unit to a chirp could therefore be predictable solely from its tuning to sinusoidal AMs of different frequencies, i.e. beats. The single-cell responses to sinusoidal AM stimuli show a peak in modulation-depth of the firing rate as well as in correlation at intermediate AM frequencies between 50 and 80 Hz and decrease for slower and faster frequencies (Fig. 6 A,B). Their response to beats of negative $\Delta f_{\text{Beat}}$ is the same as for those of positive $\Delta f_{\text{Beat}}$. This is expected as the beat AM of a certain
positive $\Delta f_{\text{Beat}}$ is the same as that of the corresponding negative $\Delta f_{\text{Beat}}$.

The tuning of the population response closely matches the tuning of spike-train correlations measured in single cells (compare Fig. 6B,C). The largest modulation of the population response and thus the highest synchronicity is found at the same intermediate beat frequencies. Note that all three tuning curves are symmetrical around zero, because the amplitude modulation of a beat of negative $\Delta f_{\text{Beat}}$ is the same as that for a positive one.

To predict the response to a chirp with a size of $s = 100\,\text{Hz}$ we read off the response from the AM frequency tuning curves obtained from the whole-nerve recordings at 60 Hz (approximately the average change in frequency evoked by this chirp) to the right of $\Delta f_{\text{Beat}}$ (Fig. 7A). For most $\Delta f_{\text{Beat}}$ these predictions of the response to the chirp match the measured data well (Fig. 7B), indicating that the cells mainly respond to the change in $\Delta f(t)$ induced by the chirp. The response to chirp-induced frequency changes is rapid since the prediction also works for low beat frequencies where the higher $\Delta f$ during the chirp results in less than a full beat cycle.

**Figure 7:** near here.

With this procedure we then computed the $CSI$ for every beat frequency (Fig. 7C). Small differences between predicted and measured $CSI$ are seen for fast positive $\Delta f_{\text{Beat}} (> 120\,\text{Hz})$ where the measured desynchronization is weaker than predicted, and for intermediate negative beats ($\Delta f_{\text{Beat}} \approx -30\,\text{Hz}$), where higher $CSI$ values are predicted. The latter is the region in which the phase relation between chirp and beat influences the
response. The phase is not considered in the prediction and deviations are therefore not surprising.

The prediction based on AM frequency tuning was robust with respect to the particular value used for shifting the tuning curve during the chirp (Fig. 7C, inset). Also, computing a more precise prediction by considering the chirp’s shape did not improve the prediction (not shown).

**Sources of single cell response variability**

**Figure 8:** near here.

The estimates of the CSI derived from single unit responses (Fig. 5A,B) show a considerable amount of variability when pooled over cells and animals. In contrast, the CSIs computed from the population rates are much more reliable, since the variability between single cells is already averaged out in the measurement (Fig. 5C). In both cases, we pooled all data irrespective of the phase at which the chirps occurred within a beat cycle. Chirps at different phases $\Delta\phi_0$ of the beat give rise to very different AMs (Fig. 2, see also Walz et al., 2013; Zupanc and Maler, 1993) and thus to potentially different responses of the P-units (see below). To disentangle the influence of cell heterogeneity and phase we averaged over each factor separately and analyzed the remaining variability.

When averaging the responses over beat phases first, the remaining variability is caused by cell heterogeneity (Fig. 8A) and appears to be large. The variability caused by different phases of the chirp within the beat (Fig. 8B) is markedly lower except for intermediate
negative beat frequencies. Comparing the standard deviation of CSI estimates when averaged over cells or over beat phases indicates that indeed the variability over cells is greater than that over phases (Fig. 8 C). The responses of single cells are apparently more strongly affected by their heterogeneous properties than by the difference in stimulus shape caused by different beat phases where the chirp occurs.

**Discrimination of different chirps**

*Figure 9:* near here.

We next ask whether an upstream neuron could in principle distinguish chirps occurring at different phases $\Delta \phi_0$ of the beat. Especially at slow beats the particular phase at which a chirp occurs in a beat cycle has a strong impact on the resulting amplitude modulation (Fig. 2). This appears to be reflected in the spike responses (Fig. 9 A).

For analyzing the differences between spike trains evoked by chirps at different $\Delta \phi_0$ we performed a discrimination analysis similar to Marsat and Maler (2010) and Vonderschen and Chacron (2011) on the basis of spike distance metrics (van Rossum, 2001). In order to determine whether the responses to different $\Delta \phi_0$ were clearly distinguishable, we constructed confusion matrices over 10 different bins of beat phases indexed by $a$ (Fig. 9 B) by assigning each single spike train to the bin $b$ of beat phases that elicited the spike trains it was most similar to. Perfect distinction would lead to matrices that have non-zero values only on the diagonale. The confusion matrices were constructed for each $\Delta f_{\text{Beat}}$, time scale $\tau_c$ of the distance measure Eq. (6) and each cell and subsequently averaged over cells. How
well spike trains evoked by chirps on different beat phases can be assigned correctly is quantified by the relative mutual information $I_{rel}$ of the confusion matrix, Eq. (8). For each $\Delta f_{\text{Beat}}$ and each temporal resolution tested a single value is obtained that is color coded in Fig. 9C,D (see methods for details). A high information in the confusion matrix, corresponding to a light color in Fig. 9C,D, reflects a good discriminability of the responses evoked by chirps at different beat phases.

Generally, the responses to chirps occurring at different phases of the beat can be well discriminated at slow beats while discrimination becomes more difficult at higher beat frequencies (darker colors in Fig. 9C,D). Discrimination performance is markedly improved at higher beat frequencies when temporal resolution of the distance measure is fine ($\tau_c = 1\, \text{ms}$, Eq. (6)). On the contrary, at slow beats good discrimination can be achieved with a wide range of temporal resolutions. This matches the natural time scales of the AM waveforms induced by the chirps. However, for all beat frequencies up to 100 Hz, the discrimination is possible at the physiologically relevant time scale on the order of milliseconds.

Increasing the width of the analysis interval simply increases discrimination performance since more information becomes available for the discrimination. The dependence on $\Delta f_{\text{Beat}}$ and temporal resolution is, however, not influenced by the width of the analysis interval (compare left and right column in Fig. 9C and D). The size $s$ of the chirp, i.e. its maximal frequency excursion, also influences discrimination performance. Discrimination is elevated for the 100 Hz chirp as compared to the 60 Hz chirp (compare Fig. 9D and C, respectively).
Discussion

Our data demonstrate that the very same stereotyped communication signal — the small chirp of the weakly electric fish *A. leptorhynchus* — is encoded in two opposing ways. Depending on the frequency of the ongoing background signal, the beat, the chirp transiently either synchronizes or desynchronizes the activity of the receptor population. In fact, the range of naturally occurring beat frequencies is partitioned into four regimes where synchronization alternates with desynchronization. In contrast to a previous study where synchronization was attributed to small chirps and desynchronization to a different type of chirps (large chirps, Benda et al., 2006), we here focused on the neural responses elicited by a single type of chirp occurring in different social contexts that are reflected by the frequency of the background beat. Since male EODf are typically higher than female ones (Meyer et al., 1987; Zakon and Dunlap, 1999) and larger fish carry higher frequencies than smaller fish (Triefenbach and Zakon, 2008; Fugère et al., 2011), low beat frequencies result from same-sex, aggressive and high ones from opposite-sex, submissive encounters. We chose the small chirp as it is the most commonly emitted signal in most contexts (Zupanc, 2002) and used background frequencies that fish are likely to encounter in the wild (Stamper et al., 2010).

Critical to a perception of signals is their representation at higher brain areas. Does the differential encoding of small chirps at different background frequencies persist at such subsequent processing stages and thus correspond to a differential perception? P-units project with distinct convergence ratios onto pyramidal cells in three different maps of the electrosensory lateral line lobe (ELL, Heiligenberg and Dye, 1982; Carr et al., 1982; Maler,
As shown by lesion experiments, the lateral segment (LS) of the ELL is necessary for chirping behaviour (Metzner and Juranek, 1997). In this map about one thousand electroreceptor afferents converge onto each pyramidal cell (Maler, 2009). The resulting large receptive fields together with a readout based on coincidence detection explains their high-pass response properties (Krahe et al., 2008; Middleton et al., 2009). The pyramidal cells of the LS should therefore be sensitive to changes in the level of synchrony of the P-unit population as measured here by spike train correlations and whole nerve recordings. Indeed, LS pyramidal cells of the E-type encode small chirps on low difference frequencies in synchronized bursts, whereas large chirps on high difference frequencies, that desynchronize P-units (Benda et al., 2006), are encoded by I-cells (Marsat et al., 2009). We expect that depending on the beat small chirps are encoded by E-cells whenever they synchronize the P-unit population and by I-cells in case they desynchronize the P-units. Thus, small chirps would be encoded in two different processing streams depending on the background difference frequency.

The result of four encoding regimes is largely independent of the assumed readout of the P-unit population, as the firing rate as well as correlations between spike trains give similar results. This similarity is not surprising since P-units are independent (Benda et al., 2006; Chacron et al., 2005) and their mean firing rate is the same during beats and chirps (Benda et al., 2006). In the centrolateral and the centromedial segments (CLS and CMS) of the ELL neither E-cells nor I-cells show such strong responses to chirps as in the LS (Marsat et al., 2009). In these segments, receptive field sizes are smaller. About 150 (CLS) or 40 (CMS) P-unit afferents project onto each pyramidal cell (Maler, 2009). This makes an additive readout of P-unit activity as quantified by the firing rate more likely.
Our results focus on the responses evoked by chirps directly. However, a chirp also induces a phase shift of the beat (Fig. 1 D, Benda et al., 2005). Superficial E-cells that encode small chirps on slow beats (Marsat et al., 2009) receive indirect feedback (Berman and Maler, 1998) that predicts and cancels responses to low-frequency ongoing beats (Bastian et al., 2004). After a chirp the beat and the feedback are out of phase, resulting in an enhanced response (Marsat and Maler, 2012). The cancellation of beat responses by the feedback only works up to AM frequencies of 20 Hz and is thus unlikely to enhance chirp responses at higher difference frequencies. Thus, at AM frequencies larger than 20 Hz that occur mostly during social encounters (Stamper et al., 2010) chirp-induced phase shifts of the beat are not processed by the indirect feedback of the ELL.

The AM waveform a chirp induces not only depends on its size, duration, and the difference frequency, but also on the phase at which the chirp occurs during the beat (Fig. 2). Indeed, responses to the same chirp at different beat phases can be well discriminated at low difference frequencies (Fig. 9). This is preserved in ELL pyramidal cells as well as in dense coding cells of the torus semicircularis (Vonderschen and Chacron, 2011). The large differences in AM waveforms and the corresponding neural responses caused by different beat phases was demonstrated to hinder discrimination of chirps of different sizes and durations in pyramidal cell responses (Marsat and Maler, 2010). However, at difference frequencies larger than about 100 Hz P-unit responses to chirps of a particular size and width become more and more similar independent of their phase in the beat (Fig. 9), thus potentially allowing to discriminate properties of different types of chirps. This behaviourally relevant range of difference frequencies (Stamper et al., 2010) was not tested in the mentioned ELL studies. Discrimination of chirps in P-units performed best
at time constants of 1 ms in contrast to about 5 ms in pyramidal cells (Marsat and Maler, 2010; Vonderschen and Chacron, 2011), following the general pattern of less precise spike responses in upstream neurons both in vertebrates (Kara et al., 2000) and invertebrates (Vogel et al., 2005). For future analysis of chirp discrimination in P-units, population responses have to be taken into account, since variability between different cells is even larger than between responses of a single cell to chirps at different beat phases (Fig. 8).

Because the rate of emitted small chirps strongly decreases with larger difference frequencies (Engler and Zupanc, 2001; Bastian et al., 2001) and recordings of P-unit responses suggested vanishing responses at beat frequencies beyond 60 Hz (Benda et al., 2005), all electrophysiological studies on chirp encoding considered difference frequencies only up to this frequency (Benda et al., 2006; Marsat et al., 2009; Marsat and Maler, 2010; Vonderschen and Chacron, 2011). However, large difference frequencies up to 300 Hz do occur naturally (Stamper et al., 2010) and chirps at larger difference frequencies do have significant effects on echo responses and attack behaviour (Hupé and Lewis, 2008; Hupé et al., 2008). Our data on P-unit responses to chirps demonstrate that chirps are indeed encoded by P-units in the full range of possible positive and negative difference frequencies.

Surprisingly, chirps as transient and stereotyped communication signals (Zakon et al., 2002; Hupé and Lewis, 2008) turned out not to be encoded by P-units irrespective of context parameters like the difference frequency. Rather the space of difference frequencies is divided into four regimes where synchronizing chirp responses alternate with desynchronizing responses (Fig. 5). Since difference frequency carries important information about social context in terms of gender (Meyer et al., 1987; Zakon and Dunlap, 1999), size (Zakon and Dunlap, 1999; Dunlap, 2002), and dominance (Dunlap, 2002; Triefenbach and
Zakon, 2008; Fugère et al., 2011) our findings suggest two opposing hypotheses. Either small chirps have the same meaning at all difference frequencies, then one would expect to find neurons further upstream that respond in the same way to small chirps irrespective of difference frequency. Or different behavioural categories of chirps exist that reflect the categorical representation that we find on the receptor level.

Following the second hypothesis we suggest that small chirps at large difference frequencies could be used by the fish to determine the sign of the difference frequency. How fish sense the sign of the difference frequency has been studied in detail in *Eigenmannia* in the context of the jamming avoidance response for low difference frequencies (Bullock and Heiligenberg, 1986; Kawasaki et al., 1988). However, at high difference frequencies, this mechanism, that is based on a comparison between amplitude and phase modulation signals evoked by the beat, has not been studied yet. Because the phase modulation induced by the beat results in smaller and smaller time shifts that have to be detected by the T-unit system (?) as the beat frequency increases, this mechanism might not work at high beat frequencies. Alternatively, since small chirps either synchronize or desynchronize the P-unit population at large negative or positive difference frequencies, respectively, chirping could provide the necessary cue whether the fish’s frequency is higher or lower than that of its opponent.

Our study on the encoding of a communication signal was triggered by behavioural observations demonstrating the utilization of this signal on a much broader context then previously assumed (Hupé et al., 2008). The results showed a much richer response diversity on this broader space of natural stimuli. Like many recent unexpected findings from the visual system of vertebrates (e.g. Vinje and Gallant, 2000; Butts et al., 2007)
and invertebrates (van Hateren et al., 2005) as well as in the auditory system (Nelken et al., 1999; Theunissen et al., 2000), this emphasizes the importance of natural stimuli when studying neural function. In turn, our results on the context-dependent encoding of one type of chirps by electroreceptors call for more detailed behavioural as well as electrophysiological studies that take into account the full range of natural and behaviourally relevant stimuli.

The dependence of P-unit activity on frequency differences can be explained by a simple model based on the static AM frequency tuning curve of the neuron. As demonstrated in Fig. 7, the synchronization behaviour of the P-units in response to the chirps is mainly based on their AM frequency tuning. A chirp transiently increases the frequency difference and thus modulates the AM frequency. The neuronal response rapidly follows this shift of AM frequency according to the AM frequency tuning curve. The good performance of the model highlights how fast the P-units respond to changes in stimulus frequency. As the chirp width is only 14 ms and thus shorter than one period of many of our beat stimuli, P-units already respond to fractions of a beat cycle (see for example Fig. 3, middle column). Because P-unit action potentials lock onto the EOD (Hagiwara and Morita, 1963) their membrane time constant is likely to be shorter than a single EOD period (∼1 ms) and thus potentially explains the P-units’ ability to quickly follow such a mean-coded signal. Cortical neurons also have been shown to rapidly follow mean-coded signals (Boucsein et al., 2009; Tchumatchenko et al., 2011). A variance-coded transmission that was suggested for rapid signal transmission (Silberberg et al., 2004) is therefore not required.

The AM frequency tuning curves for both rate modulation and correlations as the
basis for predicting chirp responses show a band-pass tuning with maximal values in the range of 30 to 80 Hz (Fig. 6). Such a band-pass frequency tuning is found in neurons of various sensory systems (auditory: Narayan et al., 1998, vestibular: Straka et al., 2005, visual: Saul and Humphrey, 1990) and is thus not a specific characteristic of P-units. The high-pass component of the P-units’ tuning curve (Nelson et al., 1997) has been attributed to rapid spike-frequency adaptation (Benda et al., 2005). Note that adaptation currents in general attenuate responses to low-frequency components of the stimulus thereby shaping a high-pass filter (Benda and Herz, 2003). The low-pass component could simply originate from the firing rate of the P-units (Knight, 1972; Pressley and Troyer, 2011) that have a high baseline activity of about 100 to 250 Hz (Gussin et al., 2007). The AM frequency tuning is static with respect to the time-scales of AMs induced by beats and chirps considered here. The tuning may, however, change on longer time scales.

In addition to these basic mechanisms of the spike generator the receptor current itself could already be band-pass tuned. While this is not the case for P-units, since the tuning we consider here is with respect to the amplitude modulation of a carrier signal, auditory nerve fibers, for example, are band-pass tuned by the cochlear filter to their characteristic sound frequency (Narayan et al., 1998). Many behaviourally relevant signals in acoustic communication as well as echolocation involve frequency shifts like the chirps in electrocommunication discussed here (see e.g. Bailey et al., 1993; Wang et al., 1995). The study of their encoding has been focused on more complex aspects such as the selectivity for spectro-temporal features (Zhang et al., 2003). However, the fast and robust encoding of transient signals in peripheral receptors could also be based on the simple frequency-tuning mechanism described above. This mechanism does not require
unique properties in receptor cells and could therefore be a universal mechanism for fast encoding of transient periodic signals.

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Figure Captions

Figure 1: A small chirp and its effect on the amplitude modulation sensed by a receiving fish. A) EOD waveform of a single fish during a small chirp. The largest frequency excursion of the chirp is at time zero (arrow in panel B). Chirp beginning and end are defined as the times the EODf excursion exceeds 10% of the chirp size $s$ and are indicated by tick marks and black bar. B) EOD frequency during the chirp. $s$ is the maximum deviation from baseline EODf (vertical arrow). The horizontal arrow shows the chirp width. C) Resulting EOD waveform close to a receiving fish that has an EOD frequency of 20 Hz below the chirping fish (thin line) and its amplitude modulation (AM, thick line). The chirp alters the AM form (black bar). D) Without the chirp the AM would be an ongoing beat (dashed line) with frequency given by the difference, $\Delta f_{\text{Beat}}$, of the two EODf. The chirp (black bar) transiently increases $\Delta f(t)$ for less than a full period of the beat (solid line).
**Figure 2: Signals caused by chirps at different beats. A–D)** Characteristic AMs (left and right column) are formed by the phase difference $\Delta \phi(t)$ between two EOD signals (middle column). In all examples a chirp of width $\Delta t = 14$ ms and size $s = 100$ Hz was simulated centered around time 0 (all values corresponding to Eq. (3) ). The stimulation frequency was chosen relative to the fish’s EODf to form difference frequencies $\Delta f_{\text{Beat}} = 10, 150, -50$ and $-150$ Hz as indicated. The left column shows the AM caused by a chirp occurring at beat phase $\Delta \phi_0 = 180^\circ$ (right in the trough of the beat), while the right column shows the same chirp at $\Delta \phi_0 = 0^\circ$ (at the peak of the beat). The phase differences (middle column) are shown for both $\Delta \phi_0 = 180^\circ$ (solid line) and $\Delta \phi_0 = 0^\circ$ (dashed line). A phase difference of $360^\circ$ corresponds to a single beat cycle. Note that the actual effects of a chirp on the AM also depend on its width and size. **E)** The time course of the EOD frequency of a chirping fish with EODf$_2 = 810$ Hz (the “stimulus”, dashed line) together with the EOD frequency of the receiving fish with EODf$_1 = 800$ Hz (solid line) for the same situation as shown in panel A. **F)** The chirp transiently changes the resulting time-dependent $\Delta f(t)$ from the background beat $\Delta f_{\text{Beat}} = \text{EODf}_2 - \text{EODf}_1 = 10$ Hz to maximally $\Delta f_{\text{Beat}} + s = 110$ Hz. This acceleration of the beat frequency mainly determines the resulting AMs (left and right column in panel A). **G)** $\Delta f(t)$ for the beat frequencies shown in panels B–D as indicated. For a chirp on the slow negative $\Delta f_{\text{Beat}} = -50$ Hz from C $\Delta f(t)$ crosses 0 Hz (dotted line) and reverses sign. On the fast negative $\Delta f_{\text{Beat}} = -150$ Hz from D the frequency difference is transiently slowed down by the chirp.
Figure 3: Electroreceptor activity evoked by a chirp at positive difference frequencies. A) The AM stimulus recorded at a site close to the fish’s body under baseline conditions (no stimulus, left column), with a beat resulting from a difference frequency of $\Delta f_{\text{Beat}} = +10$ Hz (middle column) and a beat of $+100$ Hz (right column). A chirp of size $s = 100$ Hz and width $\Delta t = 14$ ms was centered around time 0. Shown are individual AMs for each trial (black lines) and the average (gray line). B) Spike raster of a single cell recording under the respective stimulus conditions. C) Average firing rate computed by convolving the spike raster shown in B with a Gaussian kernel of 1 ms standard deviation and averaging over trials. The timescale of the kernel resembles the fast component of the postsynaptic potential in the target cells (Berman and Maler, 1998). D) Population activity as recorded from the lateral line nerve with hook electrodes. Black lines depict results from single trials, grey line their average. The gray boxes mark the time window used for analysing the responses to chirps.

Figure 4: Electroreceptor activity evoked by a chirp at negative difference frequencies. Same as in Fig. 3 for beats resulting from difference frequencies of $\Delta f_{\text{Beat}} = -60$ Hz (middle column) and $-200$ Hz (right column). Note, that the shown data originates form a different subject than that in Fig. 3 and therefore exhibits a different baseline activity.
Figure 5: Representation of chirps in electroreceptor activity depends on difference frequency. The chirp selectivity index (CSI) measures the contrast between the response to the chirp and the response to the beat. A) The average firing rate computed in a window around the chirp (gray boxes in Figs. 3 and 4) and during the beat is used as a measure for the single unit response. Shown are the median (solid line) and the interquartile range (shaded area) of all CSI values pooled over beat phases, contrasts, and cells. B) CSI of single units based on spike correlation across trials. The arrows point to differences between the left and right column that are referred to in the text. C) The CSI obtained from the population activity as the standard deviation of the potential recorded from the lateral line nerve. Gray and black bars indicate beat frequencies where chirps have synchronizing (CSI > 0) or desynchronizing (CSI < 0) effects, respectively. The different regimes are numbered from 1-4. Difference from zero was assessed by a sign test (Bonferroni corrected) in all cases and those values significantly different from zero (p > 0.05) are indicated by asterisks. All panels in the left column show the responses to a chirp of size $s = 100$ Hz, in the right column to one of size $s = 60$ Hz.

Figure 6: AM frequency tuning of P-units. The responses to the pure beat stimulus as a function of difference frequency $\Delta f_{\text{Beat}}$ (based on the same responses as in Fig. 5). The responses are averages of A) the standard deviation of the single cell firing rate as a measure for the rate modulation depth, B) the correlation between pairs of spike-trains as a measure of synchrony and C) the population activity computed as the standard deviation of the voltage recorded from the lateral line nerve in a window during the beat. Shown are median (solid line) and interquartile range (gray).
Figure 7: Predicting the response to a chirp solely from the AM frequency tuning. A) Prediction procedure. The average frequency excursion of a chirp with a maximum of 100 Hz over 14 ms is about 60 Hz. We predicted the response to the chirp from the response to a beat with a frequency shifted by this 60 Hz to the right with respect to the underlying beat. For example, the response to a chirp on top of a beat of $\Delta f_{\text{Beat}} = -150$ Hz was predicted to be the same as a response to a pure beat of $\Delta f_{\text{Beat}} = -150$ Hz $+$ 60 Hz $= -90$ Hz. At a beat of $\Delta f_{\text{Beat}} = 70$ Hz the prediction was read off as the response to a beat of $\Delta f_{\text{Beat}} = 70$ Hz $+$ 60 Hz $= 130$ Hz, as demonstrated in the figure. The same applies to all other $\Delta f_{\text{Beat}}$. With the predicted response, the CSI can be calculated as for the measured data. The predictions were done on the data from individual nerves and then averaged over nerves. Note that the procedure is demonstrated here on median values in order to simplify the illustration. B) The predicted nerve response during the chirps is shown together with the measured ones as a function of $\Delta f_{\text{Beat}}$. C) The predicted CSI in comparison with the measured CSI. The inset shows the root mean squared error of the prediction for different shift values used for approximating the effect of the chirp.
Figure 8: Sources of variability. A) The chirp selectivity index (CSI, based on the correlation over trials) computed from responses to chirps of $s = 100$ Hz in dependence on beat frequencies (same data as in Fig. 5B). Here the CSI is averaged over all phases $\Delta \phi$ for each cell separately (each black circle is the average of a single cell). Gray area represents mean ± standard deviation of the CSI estimates. B) Same data as in A, but now averaged over cells for ten classes of beat phases $\Delta \phi$, i.e. the time of occurrence of a chirp within a beat cycle. Three phase-classes are drawn as indicated, the gray area marks the mean ± standard deviation of the ten phase classes as a function of beat frequency. C) Comparison of CSI variability when averaging over cells or phase. For each underlying beat frequency $\Delta f_{\text{Beat}}$, the standard deviation of the CSI estimations when averaged over cells (gray area in panel A) is plotted over the standard deviation of the estimation when averaged over cells (gray area in panel B). Points lying above the diagonal exhibit a greater variability resulting from cell heterogeneity than from different phases of chirp stimulation.
Figure 9: Discriminability of chirp responses at different beat phases. A) top: AMs of two different beats ($\Delta f_{\text{Beat}} = 10$ Hz and $120$ Hz) superimposed with chirps occurring at different phases of the beat ($\Delta \phi = 180^\circ$ and $90^\circ$). Black bars indicate the two intervals used for the discrimination analysis (short interval spanning the chirp only and long interval also including parts of the beat). Bottom: Rasterplots of the corresponding neuronal responses. B) Confusion matrices created from assigning each spike train evoked by a chirp occurring at the beat phase $\Delta \phi_0$ in bin $a$ to the phase bin $b$ that had elicited a set of spike trains this spike train had the smallest distance to as estimated by Eq. (6). The confusion matrices were then averaged over cells and their relative mutual information was calculated (Eq. (8)). Subplots show confusion matrices for different beat frequencies $\Delta f_{\text{Beat}}$ as indicated and a chirp size of 100 Hz using the time-constant $\tau_c = 2$ ms and the short analysis window for estimating the distance between spike trains. C) Discrimination performance (in terms of the relative mutual information) of a chirp of size $s = 60$ Hz as a function of $\Delta f_{\text{Beat}}$ and the temporal resolution $\tau_c$ of the distance measure (Eq. (6)) for the short (left plot) and long (right plot) analysis intervals. D) Same as C but for responses to a chirp of size $s = 100$ Hz. Circles in the left panel mark the corresponding confusion matrices shown in B.
A.

B.

C.

D.

$\Delta t = 15 \text{ ms}$

$s = 80 \text{ Hz}$

$\Delta f_{\text{Beat}} = 20 \text{ Hz}$ chirp
\[ \Delta f_{\text{Beat}} = 10 \text{ Hz}, \Delta \phi = 180^\circ \]

\[ \Delta f_{\text{Beat}} = 150 \text{ Hz}, \Delta \phi = 180^\circ \]

\[ \Delta f_{\text{Beat}} = -50 \text{ Hz}, \Delta \phi = 180^\circ \]

\[ \Delta f_{\text{Beat}} = -150 \text{ Hz}, \Delta \phi = 180^\circ \]

\[ \Delta f_{\text{Beat}} = 10 \text{ Hz}, \Delta \phi = 0^\circ \]

\[ \Delta f_{\text{Beat}} = 150 \text{ Hz}, \Delta \phi = 0^\circ \]

\[ \Delta f_{\text{Beat}} = -50 \text{ Hz}, \Delta \phi = 0^\circ \]

\[ \Delta f_{\text{Beat}} = -150 \text{ Hz}, \Delta \phi = 0^\circ \]
A

Baseline

$\Delta f_{\text{Beat}} = 10\ Hz$

$\Delta f_{\text{Beat}} = 100\ Hz$

B

Trials #

C

Rate [Hz]

D

Nerve pot. [\mu V]

Time [ms]

Time [ms]

Time [ms]
A. AM [mV/cm]

B. Trials #

C. Rate [Hz]

D. Nerve pot. [μV]

Δf_{Beat} = -60 Hz

Δf_{Beat} = -200 Hz
A

Chirpsize $s = 100 \text{ Hz}$

Chirp size $s = 60 \text{ Hz}$

B

C

CSI (Std rate)

CSI (Correlation)

CSI (Std nerve pot.)

$\Delta f_{\text{Beat}} \text{ [Hz]}$
CSI = 0.95 – 0.66
CSI = 0.78 – 0.96
Δf_{Beat} [Hz]

A

B

C

 CSI = 0.95 – 0.66
CSI = 0.78 – 0.96
Δf_{Beat} [Hz]

 CSI = 0.95 – 0.66
CSI = 0.78 – 0.96
Δf_{Beat} [Hz]

 CSI = 0.95 – 0.66
CSI = 0.78 – 0.96
Δf_{Beat} [Hz]
A

CSI (Correlation)

Δf [Hz]

B

CSI (Correlation)

Δf [Hz]

C

std (CSI) over phase

std (CSI) over cells

36° 108° 288°
A $\Delta f_{\text{Beat}} = 10 \text{ Hz}, \Delta \phi_0 = 180^\circ$ $\Delta f_{\text{Beat}} = 10 \text{ Hz}, 90^\circ$ $\Delta f_{\text{Beat}} = 120 \text{ Hz}, \Delta \phi_0 = 180^\circ$ $\Delta f_{\text{Beat}} = 120 \text{ Hz}, 90^\circ$

B $\Delta f_{\text{Beat}} = -200 \text{ Hz}, l_{\text{rel}} = 0.24$ $-20 \text{ Hz}, l_{\text{rel}} = 0.89$ $10 \text{ Hz}, l_{\text{rel}} = 0.74$ $120 \text{ Hz}, l_{\text{rel}} = 0.52$

C Short interval (35 ms) $s = 60 \text{ Hz}$ $\tau_c$ [ms]

D Long interval (110 ms) $s = 60 \text{ Hz}$ $\tau_c$ [ms] $\Delta f_{\text{Beat}}$ [Hz]

E $s = 100 \text{ Hz}$ $\Delta f_{\text{Beat}}$ [Hz] $\tau_c$ [ms] 0.10 0.08 0.06 0.04 0.02 0.00